

# Glass transition effects in ultra-thin polymer films

Wierzba, 12 May 2004

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# Outline

1. Introduction
2. Phenomenology of the glass transition
3. Polymer chains in nano-scale geometry – general issues
4. Glass transitions effects in ultra-thin polymer films – main findings and models
5. Dielectric relaxations in ultra-thin polymer films – basic issues
6. DRS results on ultra-thin PMMA films
7. Liquid-like surface mobility in supported PS-films
8. Summary and Future work

# 1. Introduction

## Motivation of this lecture:

### 1. new materials:

- clay-based "nano"composites, other materials containing "nanofillers",
- nano-structured materials, e.g. alignment layers, nano-porous materials

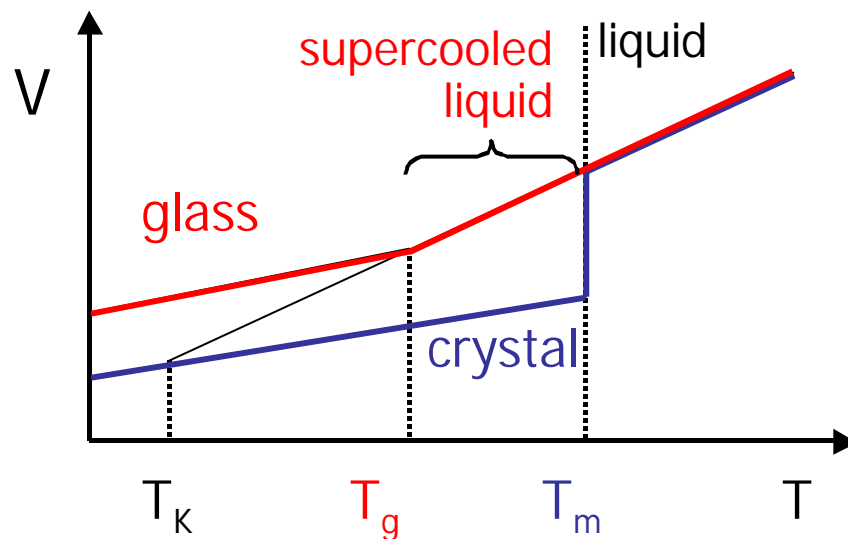
2. ongoing **miniaturization** of devices and structures, lithographic structuring below 100 nm !

3. new insights in **physics of macromolecules** and the **glass transition**

## 2. Phenomenology of the glass transition

### The glass transition:

2<sup>nd</sup> route from liquid to solid state by avoiding crystallization



$$T_g < T < T_m:$$

Viscosity and structural relaxation time  $\tau$  obey Vogel-Fulcher-Tammann (VFT) law:

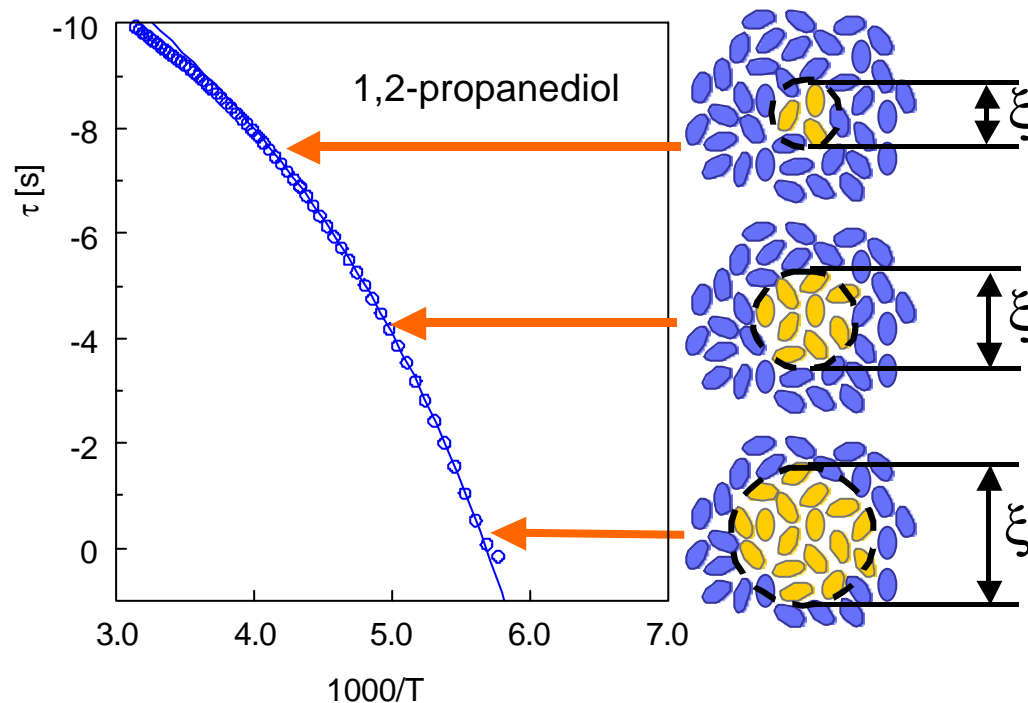
$$t(T) = t_{\infty} \exp\left(-\frac{E_v}{k(T - T_v)}\right)$$

### Example:

Crystallization of a supercooled liquid (sodiumacetate/water)

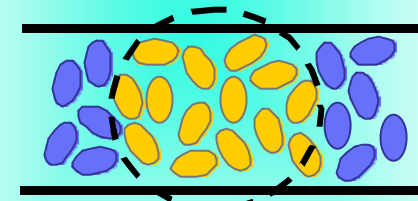
## Rationalization of VFT law:

Temperature dependent length scale  $\xi = \xi(T)$  of cooperatively rearranging regions (CRR) (Adam and Gibbs, 1965)



### CRR's in confined geometry:

deviations of  $\xi(T)$  from bulk behaviour likely

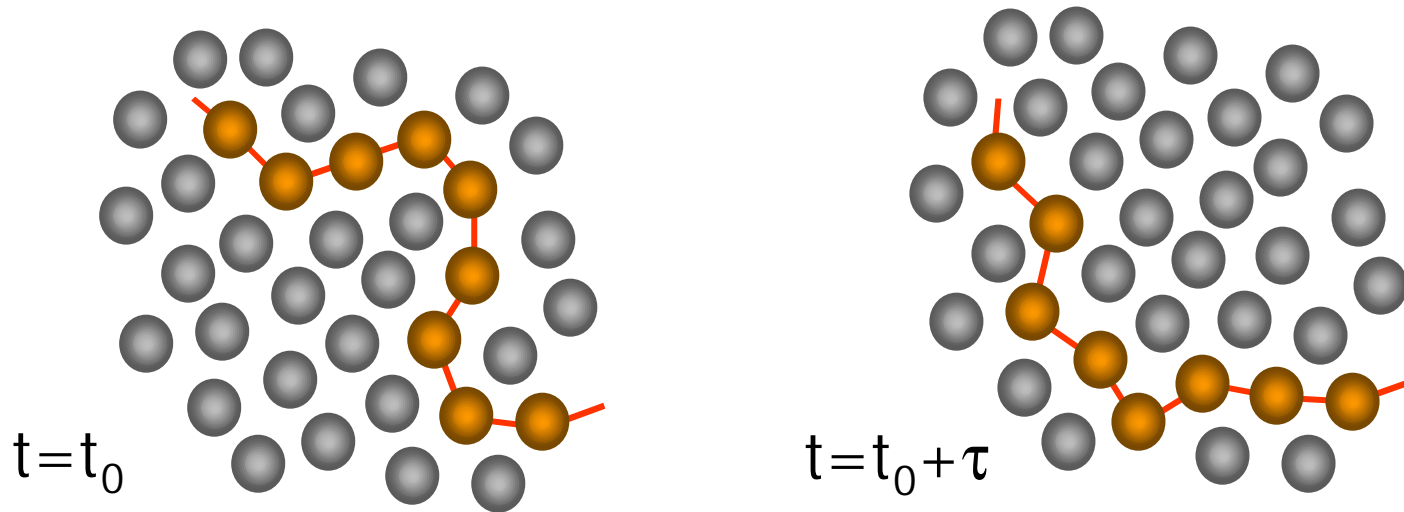


→ finite size effects

# Dynamic glass transition

## In polymers:

Additional contribution of chain connectivity expected



cooperative motions of a few monomer units  
(polymer segments) at  $T > T_g$

# Dynamic glass transition

more or less pronounced curvature of  $\eta(1/T)$  dependence  
classification into **fragile** and **strong** glass formers

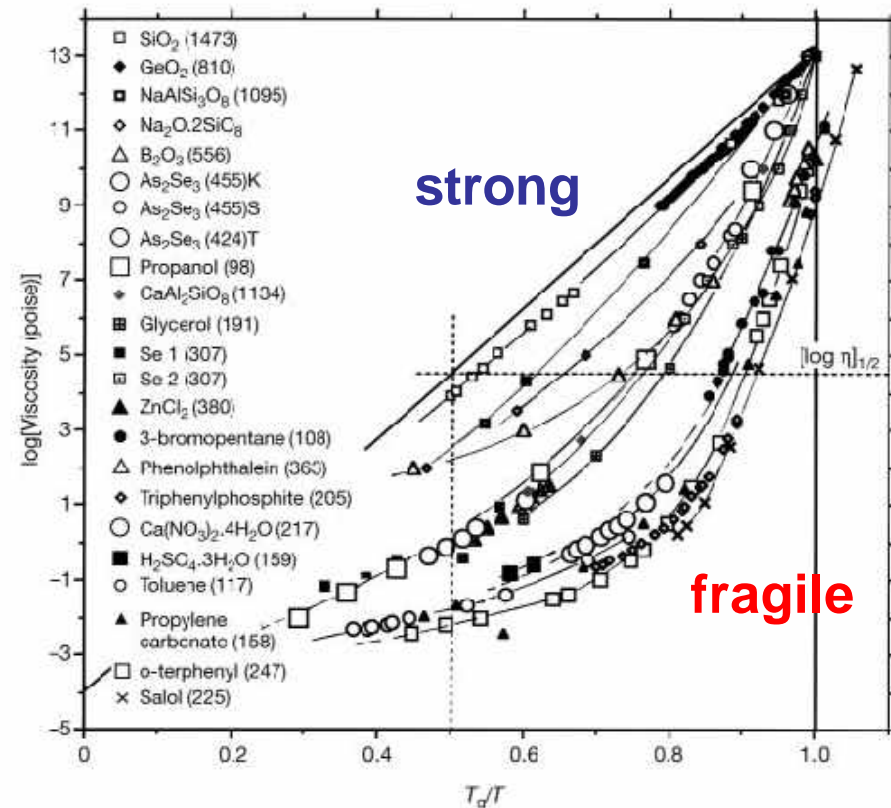
**fragility**: nothing to do with mechanical "fragile" behaviour

**fragility or steepness index:**

$$m = \left. \frac{d \log \langle \tau \rangle}{d(T_g/T)} \right|_{T=T_g}$$

linked to VFT parameters

$$m = \frac{E_V}{2.303R} \frac{T_g}{(T_g - T_V)^2}$$



# Dynamic glass transition – theoretical concepts

## 1. Free volume approach

$$1/t \propto \exp(v_f/v)$$

- assumption of an **activation volume** ( $\propto$  free volume) which links dynamics to specific volume/density
- Lowering the temperature results in progressive slow-down in relaxation rate due to faster decrease in the free volume  $v_f \rightarrow$  **effective barrier changes with T**

### Free volume concept:

- rationalises the VFT behaviour, works reasonably well for many polymers
- fails to predict the pressure dependence  $\tau(p)$  and  $T_g(p)$



# Dynamic glass transition – theoretical concepts

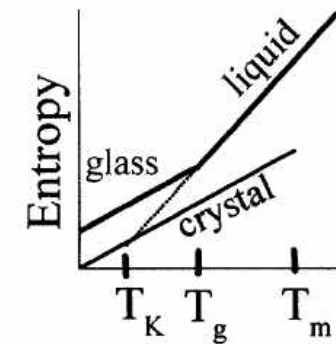
## 2. Adams-Gibbs theory

$$\log(t / s) = A_{AG} + \frac{C}{S_c(T) \cdot T}$$

- assumption of cooperatively rearranging regions (CRR)
- links transition probability  $W \propto \tau^{-1}$  to temperature dependent configurational entropy  $S_c(T)$ :

$$S_c(T) = S_{\text{melt}} - S_{\text{crystal}}$$

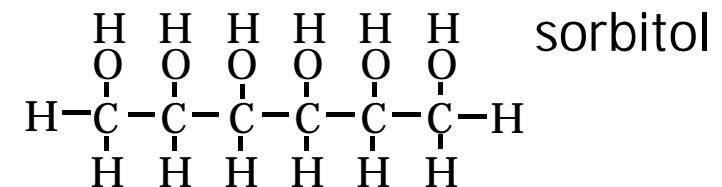
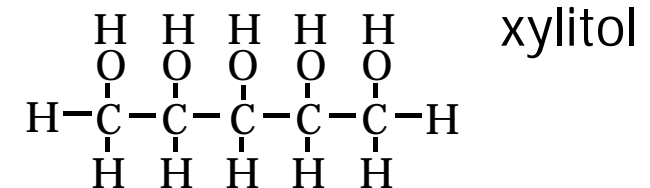
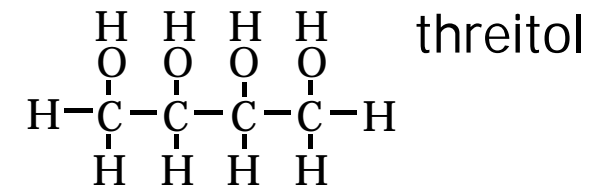
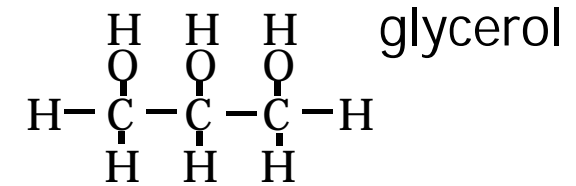
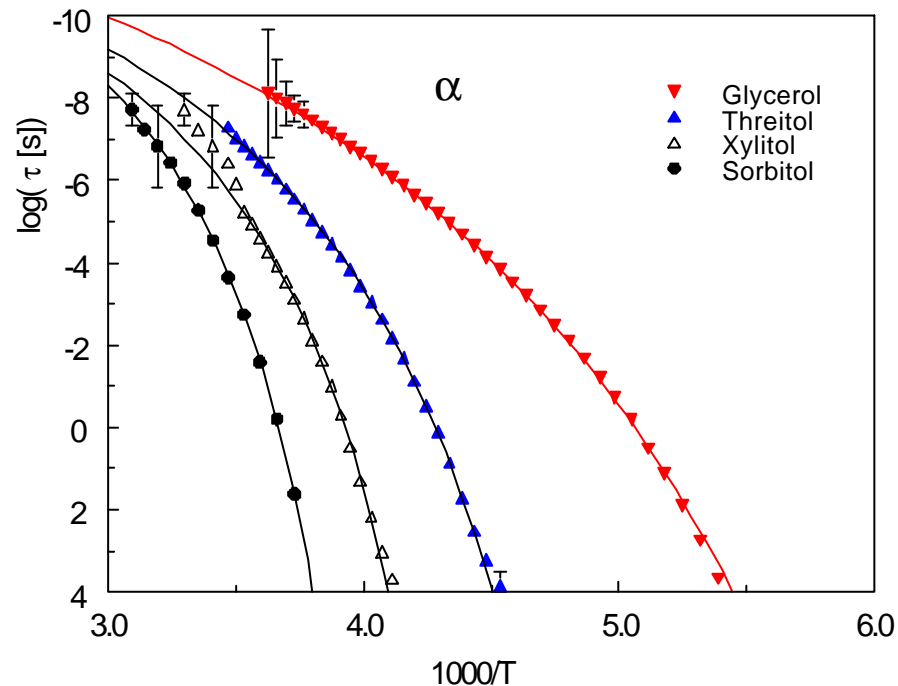
- AG theory introduces **cooperativity**
- Unfortunately no predictions about **length scale of CRRs**



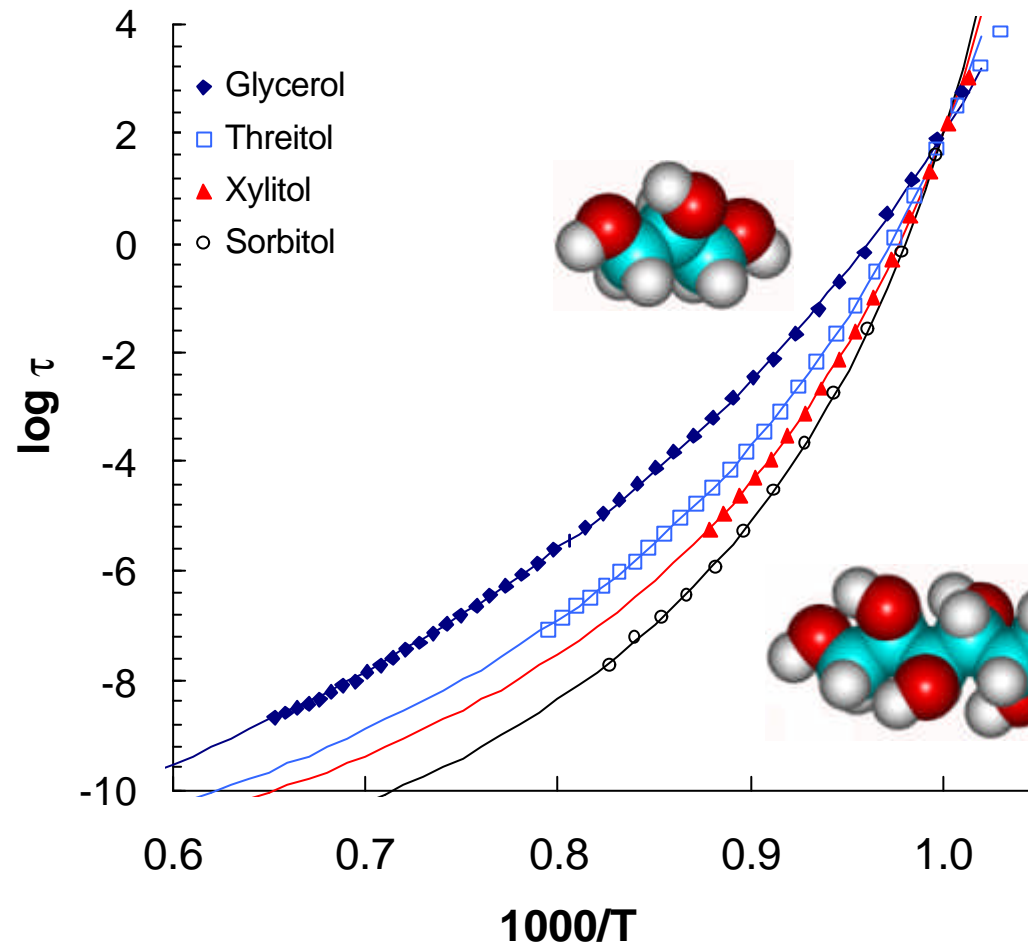


# Dynamic glass transition – simple liquids

## Homologue series of alcohols



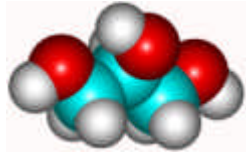
# Fragility classification



	$T_g$ [C]	m
glycerol	-83.3	55.5
threitol	-46.0	79.9
xylitol	-24.5	97.2
sorbitol	-6.0	112.1

# Fragility classification

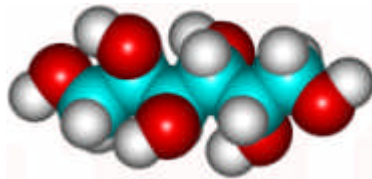
Interpretation of fragility/steepness index:



	<i>m</i>
glycerol	55.5
threitol	79.9
xylitol	97.2
sorbitol	112.1



$$m \propto \frac{\text{intermolecular cooperativity}}{\text{intramolecular cooperativity}}$$



**alcohols:** H-bonding glass formers  
number of OH-groups/molecule varies from 3 → 6

# Dynamic glass transition – effect of confinement

First: simple glass formers (low molecular mass)

## 1<sup>st</sup> example:

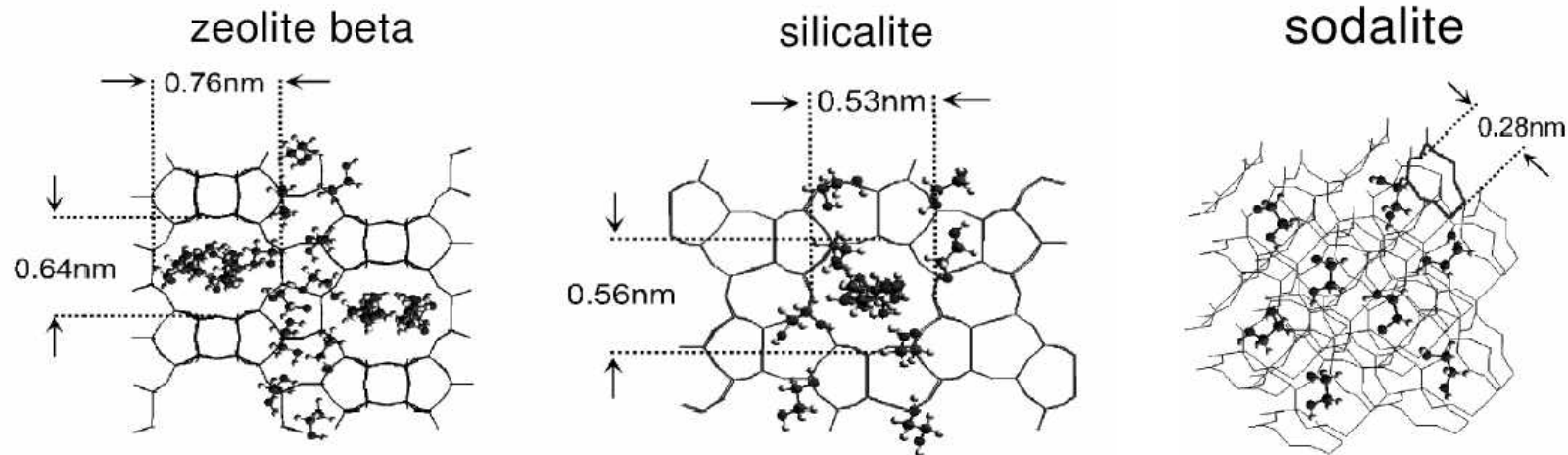
Confining ethylene glycol (EG) in zeolites

*[Huwe et al., PRL 1999]*

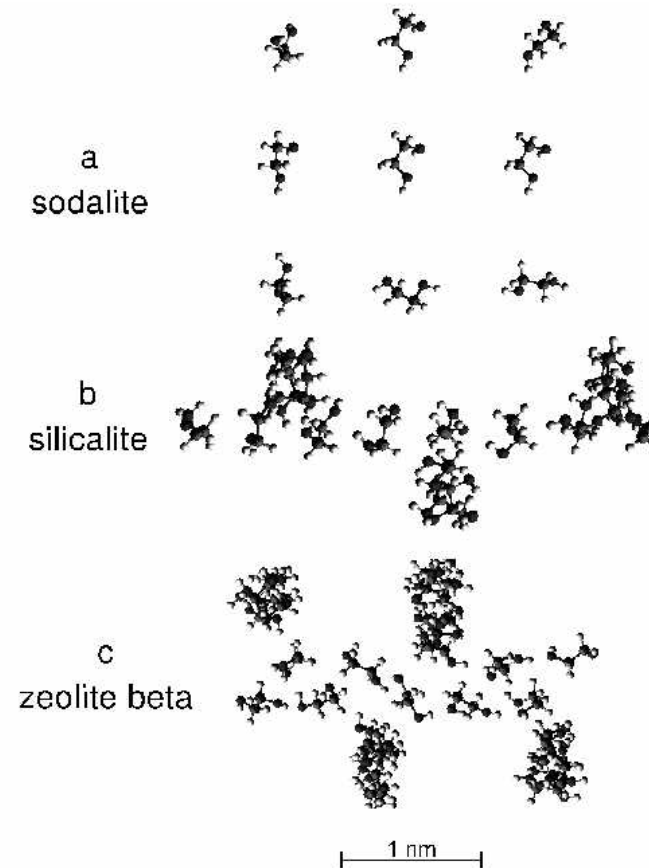
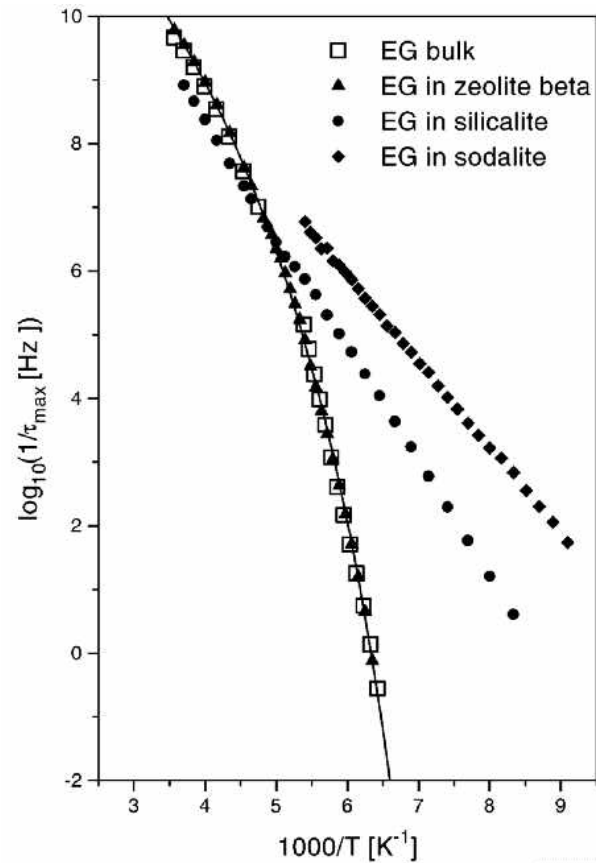
# Dynamic glass transition – effect of confinement

Study of **glass transition of ethylene glycol (EG)** in different confinement

Confined geometry provided by various **zeolites** having channels or cages of different shape and size



# Dynamic glass transition – effect of confinement





# Dynamic glass transition – effect of confinement

**Interpretation** of results from ethylene glycol/zeolite systems:

→ **Minimum number of nearest neighbors of 6 required to establish VFT-type dynamics**

# Dynamic glass transition – effect of confinement

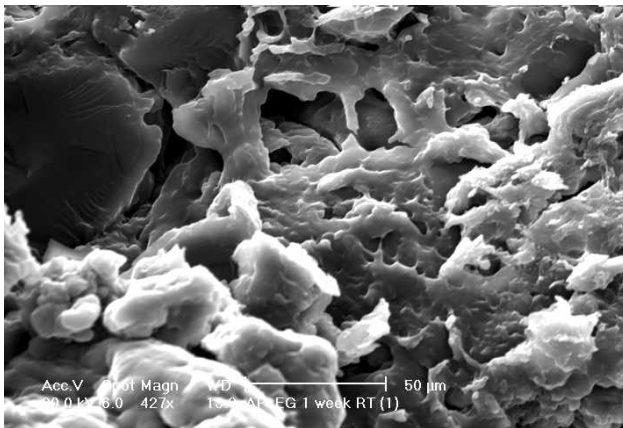
## 2<sup>nd</sup> example:

$\alpha$ -relaxation of ethylene glycol (EG) in Amylopectine/ethyleneglycol (AP/EG) mixtures:

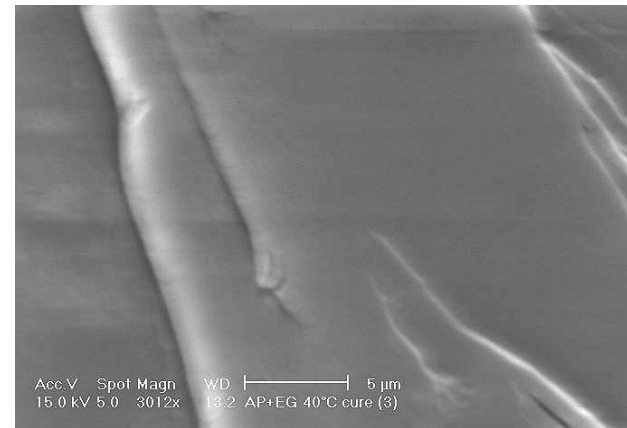
formation of *nm-sized droplets* of EG due to physical network formation between EG/starch

→ **3-dim. Confinement**

J. Phys. Chem B, Smits et al., 2001



*freshly mixed*

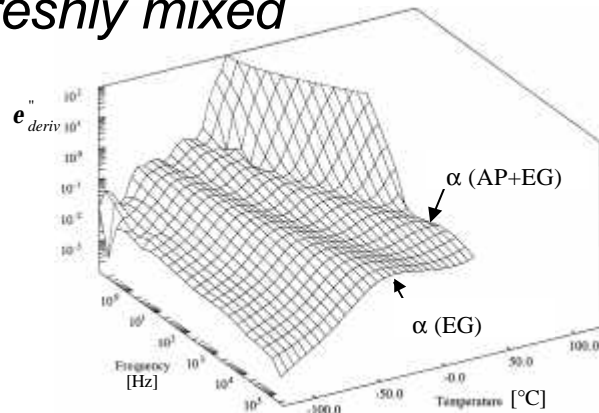


*annealed sample*

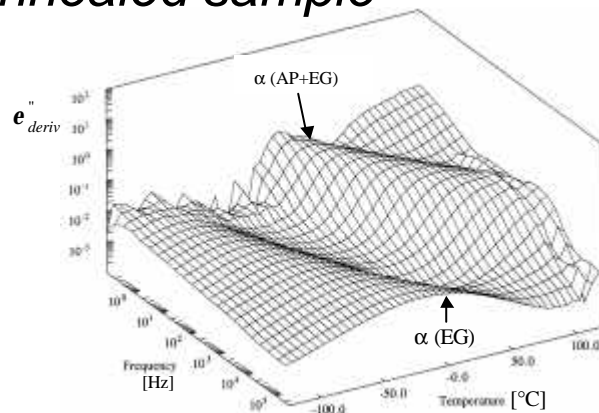
# Dynamic glass transition – effect of confinement

## $\alpha$ -relaxation of amylopectine/ethyleneglycol mixtures:

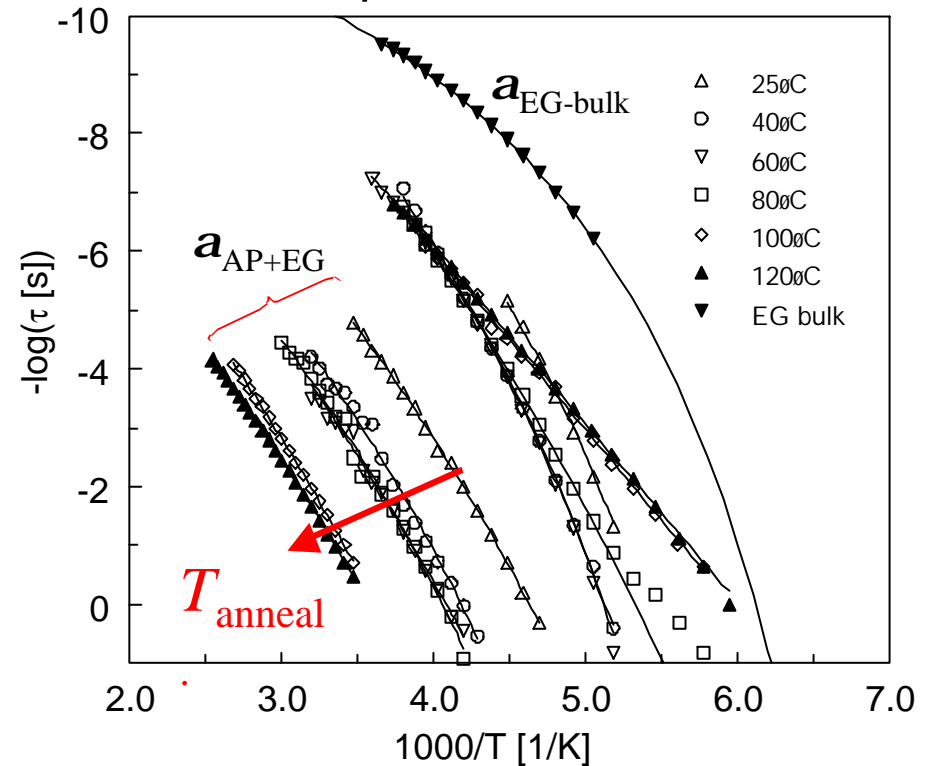
*freshly mixed*



*annealed sample*

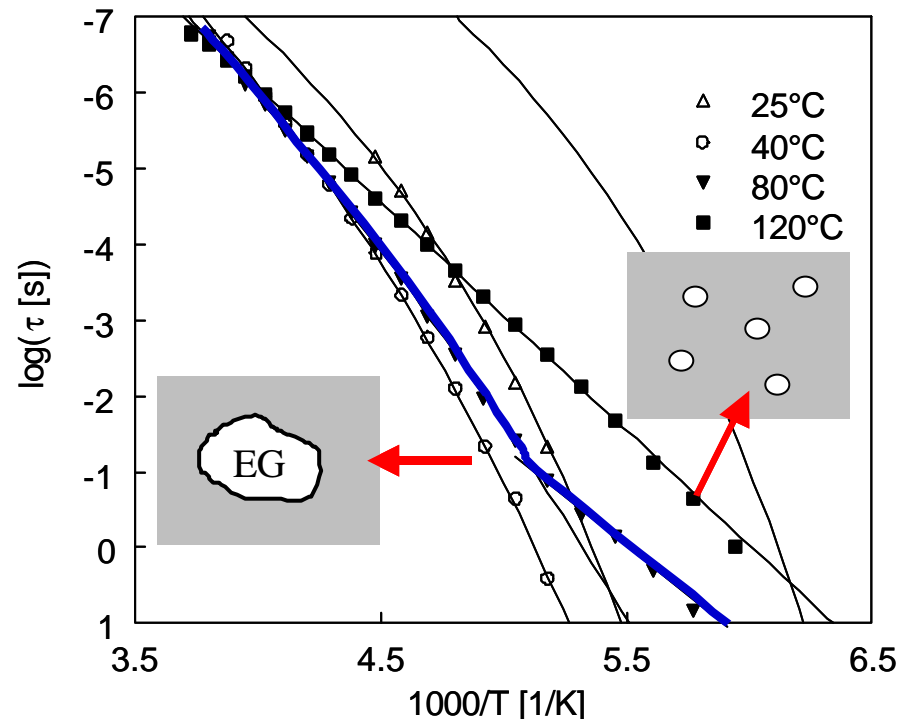


2 separate glass transitions of EG and AP/EG phase



# Dynamic glass transition – effect of confinement

## $\alpha$ -relaxation of amylopectine/ethyleneglycol mixtures:



$\alpha$ -process of EG senses size reduction from "bulk" droplets to nm-sized EG clusters

evolution of structure

→ **time-dependent confinement**

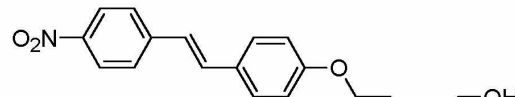
**Clear transition from VFT behaviour → Arrhenius law**

# Dynamic glass transition – effect of confinement

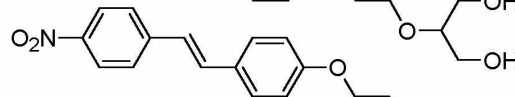
## 3<sup>rd</sup> example:

Mesogenic nitrostilbene diols of various methylene spacer lengths (LC monomers):

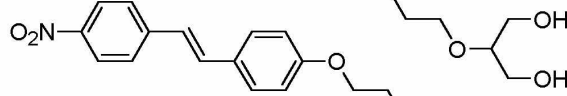
**8a** ( $n=2$ )



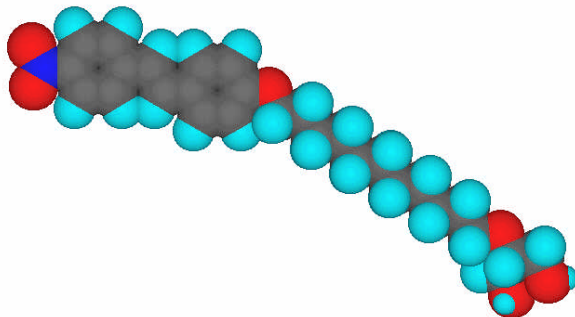
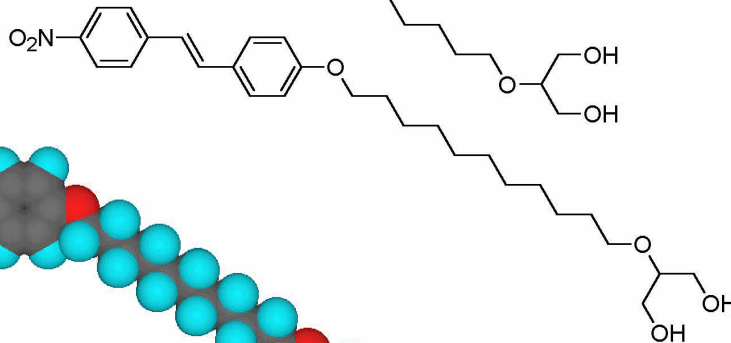
**8b** ( $n=4$ )



**8c** ( $n=6$ )



**8d** ( $n=11$ )



Phase behaviour

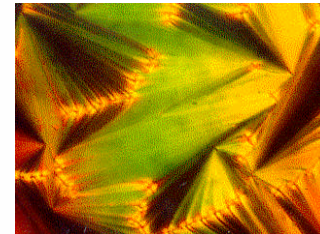
isotropic

(nematic)

$S_A$

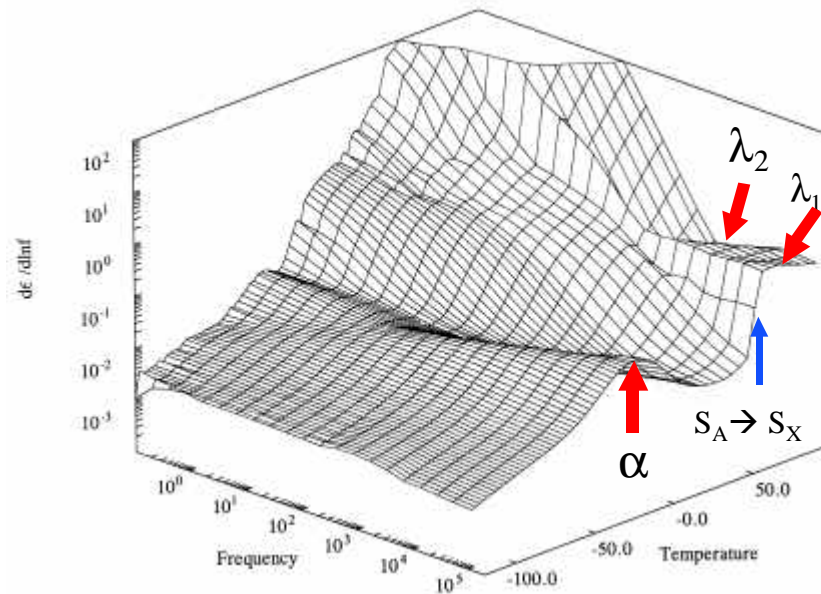
$S_E (S_X)$

$T$

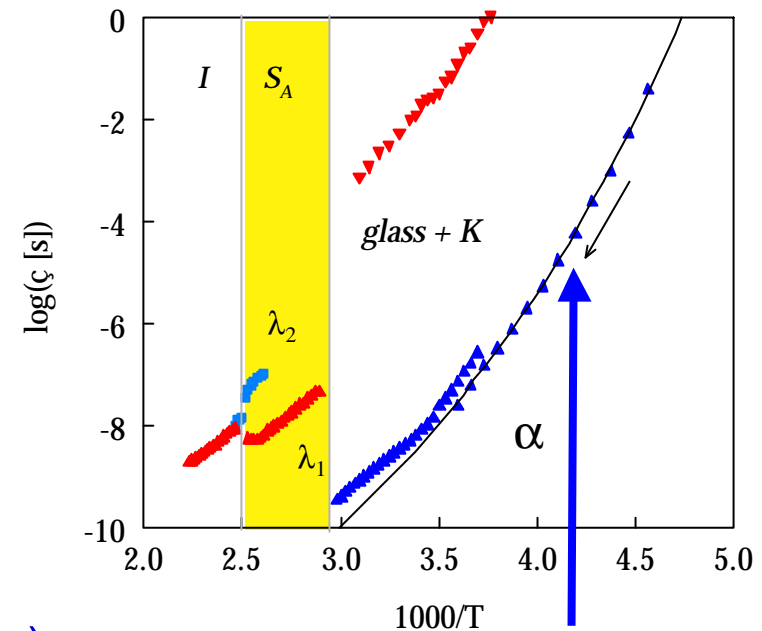


# Dynamic glass transition – effect of confinement

Dielectric spectrum of C<sub>6</sub>-compound:



Relaxation map

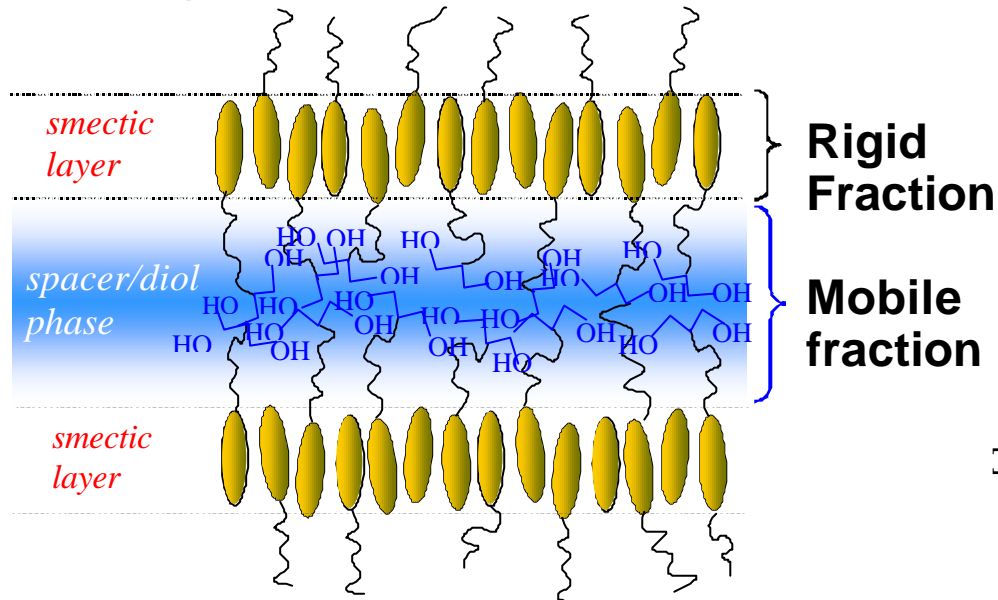


- 2 mesogenic relaxations (in S<sub>A</sub> state)
- 2 phase transitions

**unexpected “VFT-process”**

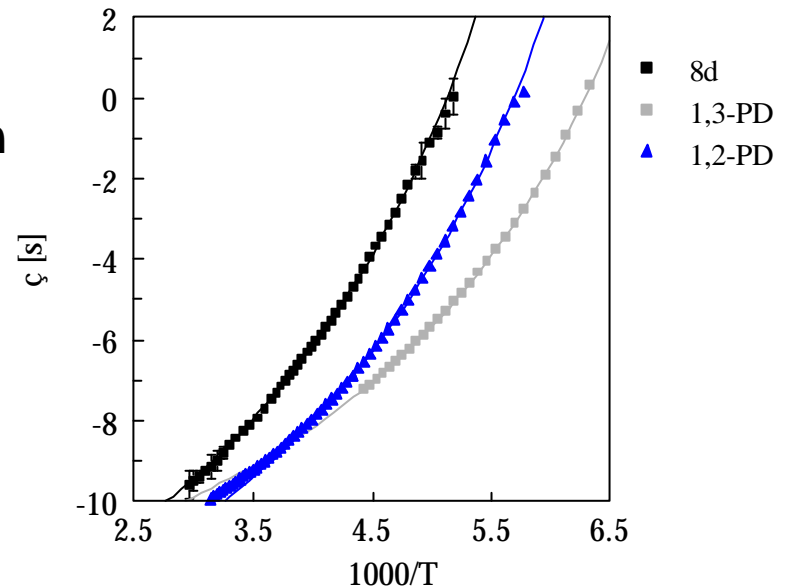
# Dynamic glass transition – effect of confinement

Coexistence of glass forming (liquid) phase and crystalline mesogenic order



- Analogy to H-bonded liquids ?

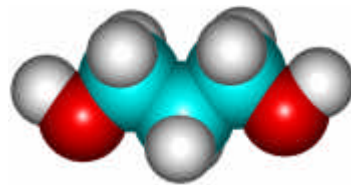
Comparison with diols  
1,3-PD and 1,2-PD



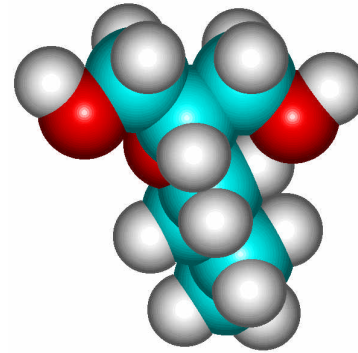
# Dynamic glass transition – effect of confinement

High frequency relaxation rate: single molecule behaviour

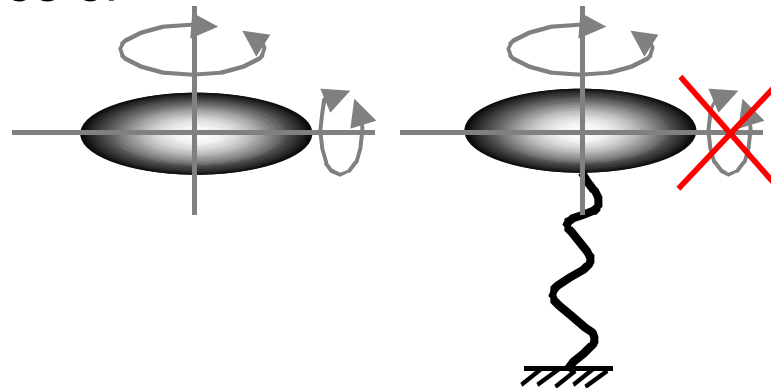
**1,3-  
propanediol**



**1,3-PD with attached  
alkoxy-spacer**



rotational degrees of  
freedom:



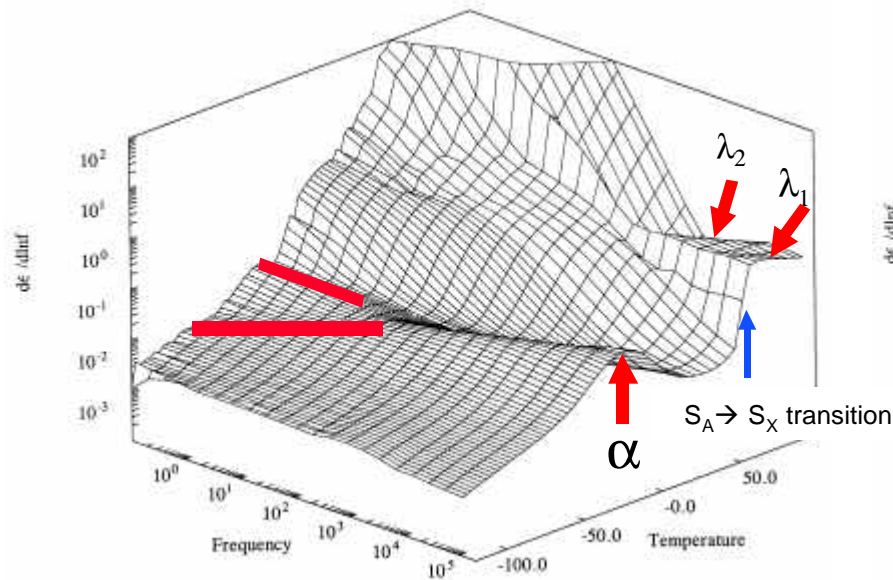
difference in high frequency relaxation rate by  $< 1$  decade plausible



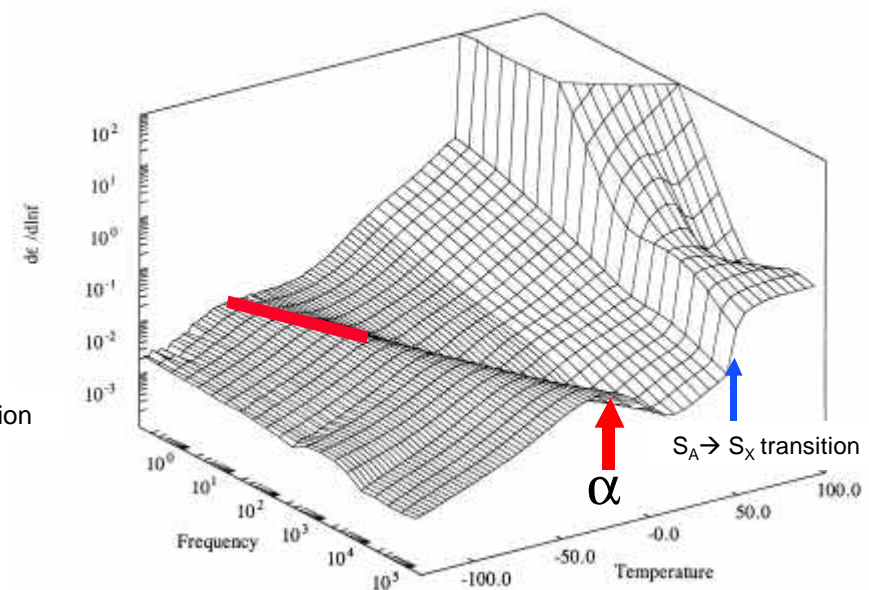
# Dynamic glass transition – effect of confinement

## Low frequency relaxation behaviour

**8c** ( $C_6$ -spacer)



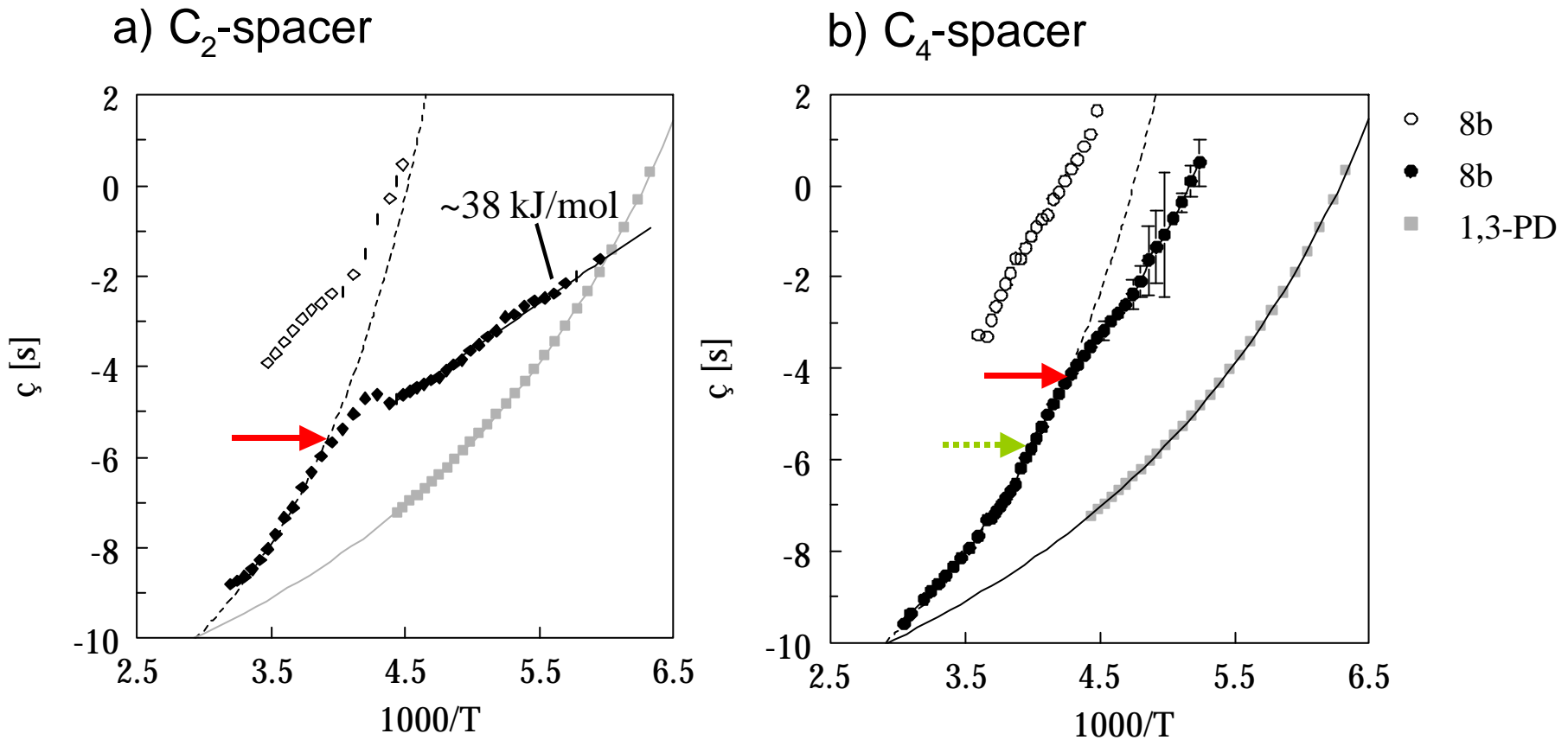
**8d** ( $C_{11}$ -spacer)



**Splitting of  $\alpha$ -process for short spacers lengths ( $n \leq 6$ )**

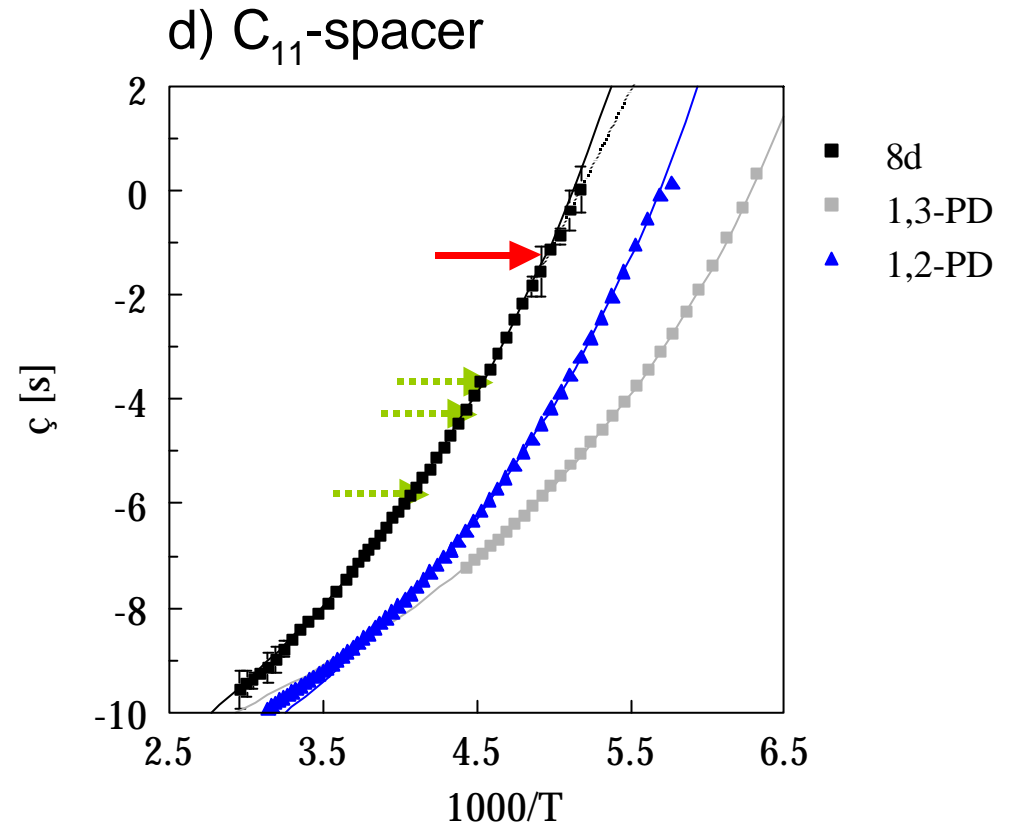
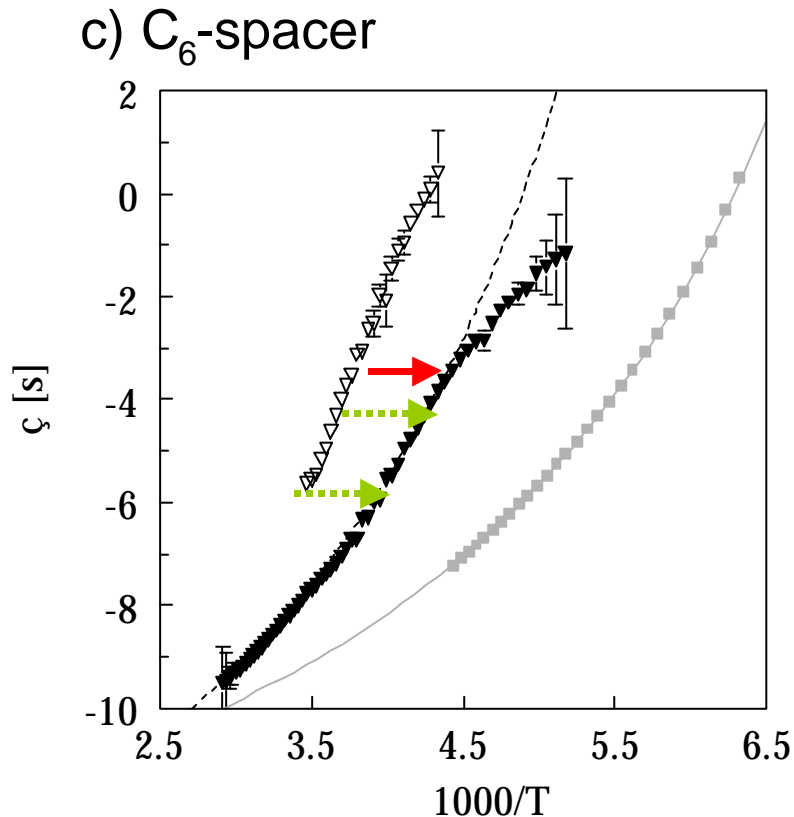
# Dynamic glass transition – effect of confinement

## Fit-results: peak relaxation time $t_a$ – details



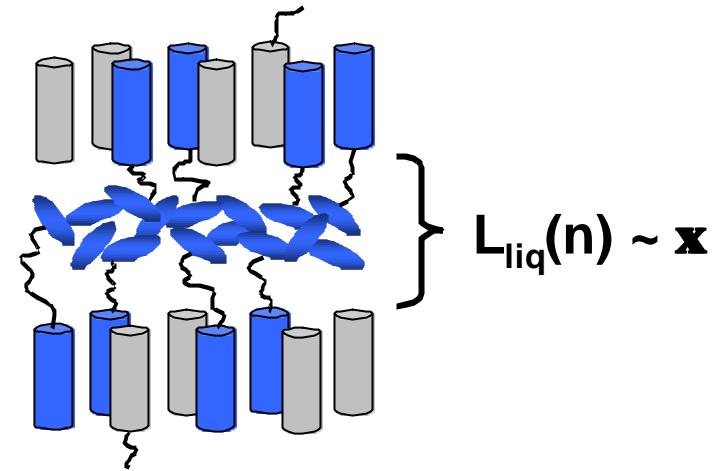
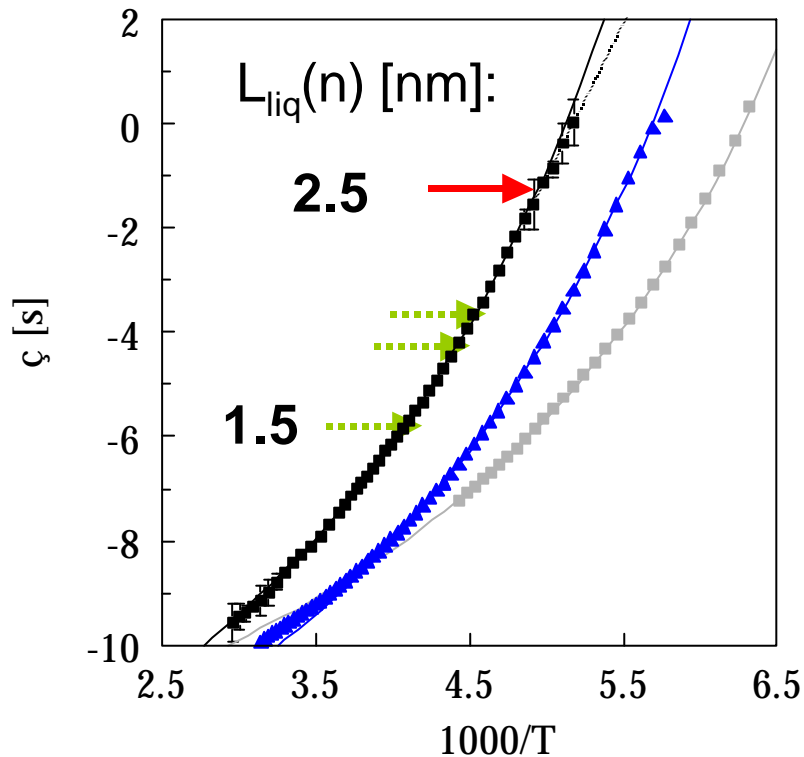
# Dynamic glass transition – effect of confinement

## Fit-results: peak relaxation time $t_a$ – details



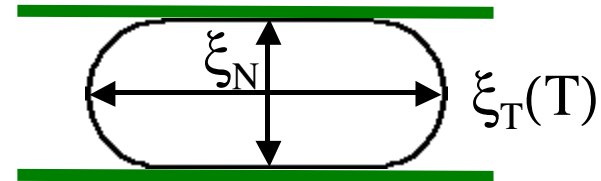
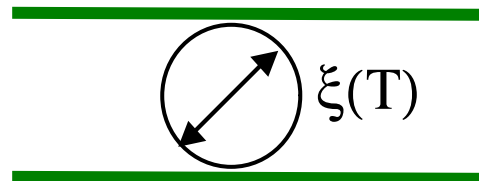
**Crossover-frequency  $f_c$  : function of spacer length  $n$**

# Dynamic glass transition – effect of confinement



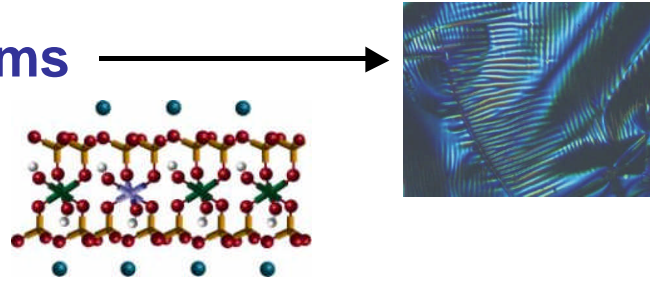
Physical meaning of crossover frequency:

$$\mathbf{x}(f_{ct}) \sim L_{liq}(n)$$

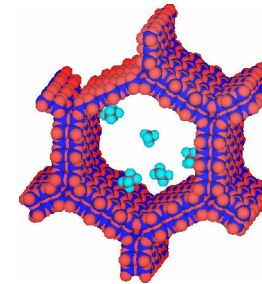
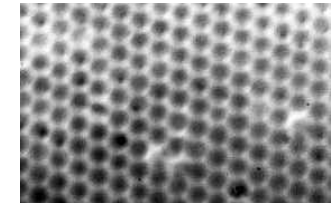


### 3. Polymer chains in nm-scale geometry

- ultra-thin polymer films
- clay-based nano-composites
- semicrystalline polymers
- liquid-crystalline polymers
- nano-structured materials



porous silica

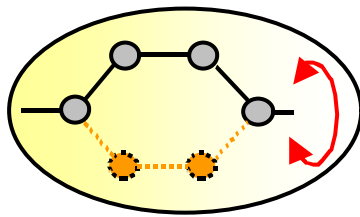


MCM-41

**Interference between intrinsic length scales of molecular dynamics and geometric dimensions expected**

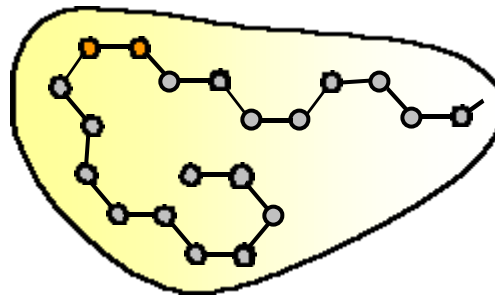
# Length scales of motions in polymers

local motions, e.g.  
simple bond rotations



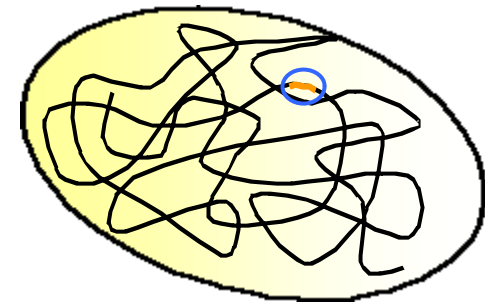
$< 1 \text{ nm}$

segmental motions  
(dynamic glass transition)



$2 < \xi < 10 \text{ nm}$

chain relaxation  
(Rouse, Reptation)



$10 < \xi < 200 \text{ nm}$

increasing relaxation time, characteristic length scale



# Length scales of motions in polymers

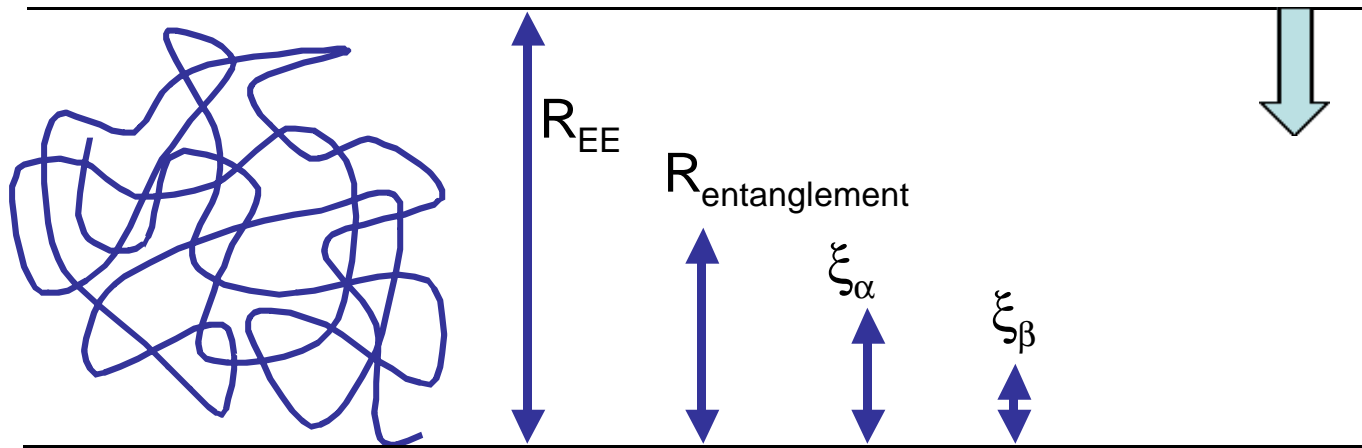
## There are more length scales:

- reptation model: **tube dimensions** and there related relaxation times  $\tau_d$ ,  $\tau_e$ ,  $\tau_r$  (lecture Prof. Kimmich)
- mean **distance between entanglements** (dependent on  $M_c$  and degree of chain coiling)

# Length scales of motions in polymers

## Study of dynamics in confinement:

Successively break-down of molecular motions related to intrinsic length scales  $> L$  = imposed length of confined geometry



**Ideally: Reduction of  $L$  only affects the larger processes**



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5. Dielectric relaxations in ultra-thin polymer films – basic issues
6. DRS results on ultra-thin PMMA films
7. Liquid-like surface mobility in supported PS-films
8. Summary and Future work

## 4. Glass transitions effects in ultra-thin polymer films

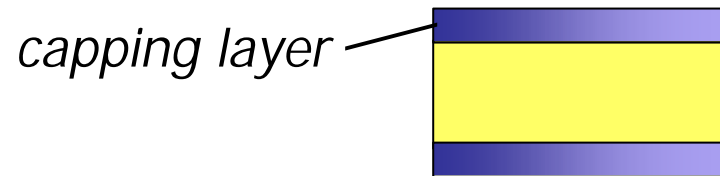
### In this section:

- Ultrathin polymer films: basic geometries and **preparation**
- 10 years study of  $T_g$ -effects on ultrathin polymer films: typical **results**
- What remains to be answered?
- How can Dielectric Relaxation Spectroscopy (DRS) contribute to solve the remaining questions?

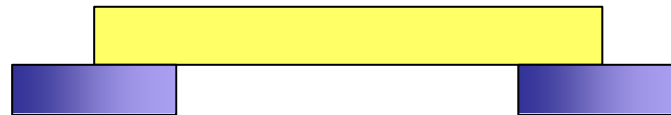
**Ultrathin polymer films:** thickness  $L < 100\text{nm}$

## 2 basic configurations

**supported films** (polymer on substrate):



**freely-standing films:**

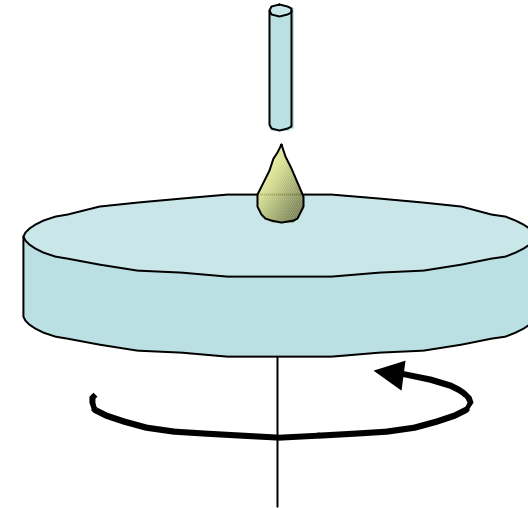


# Ultrathin polymer films – how to prepare them ?

- **Spin coating**
- Physical vapour deposition
- Electro spraying
- Water transfer technique

## Four key stages:

1. fluid dispense
2. spin-up
3. stable fluid outflow
4. evaporation dominated drying.

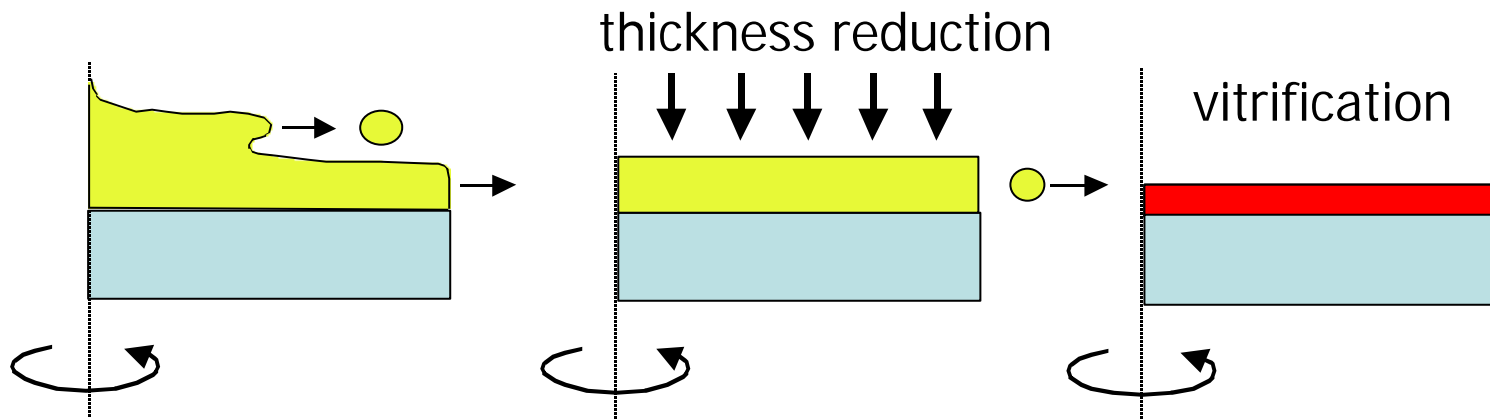


## Ultrathin polymer films – preparation (2)

1. fluid dispense
2. spin-up
3. stable fluid outflow
4. evaporation dominated drying.

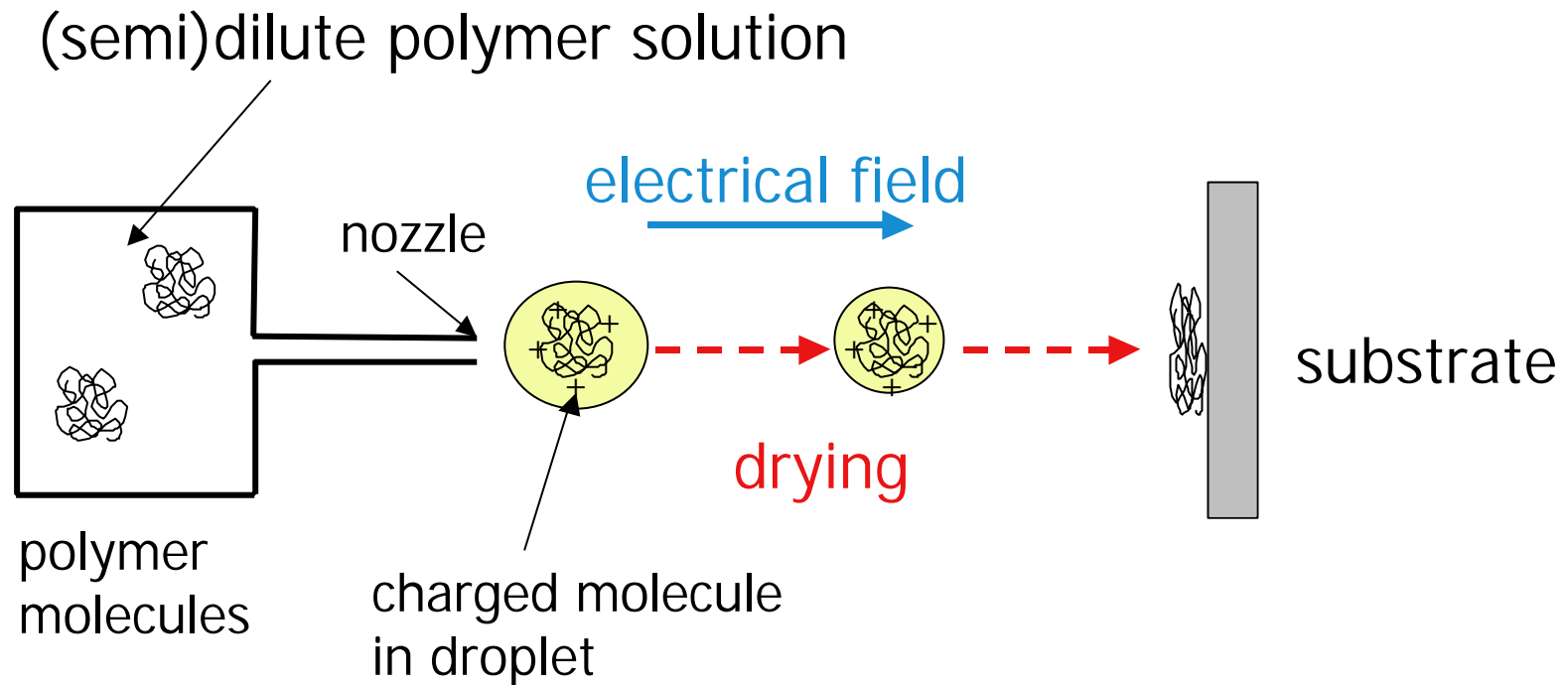
**final thickness**

$$h_f = c_0 \left( \frac{e}{2(1 - c_0)} \frac{3h}{rw^2} \right)$$



## Ultrathin polymer films – preparation (3)

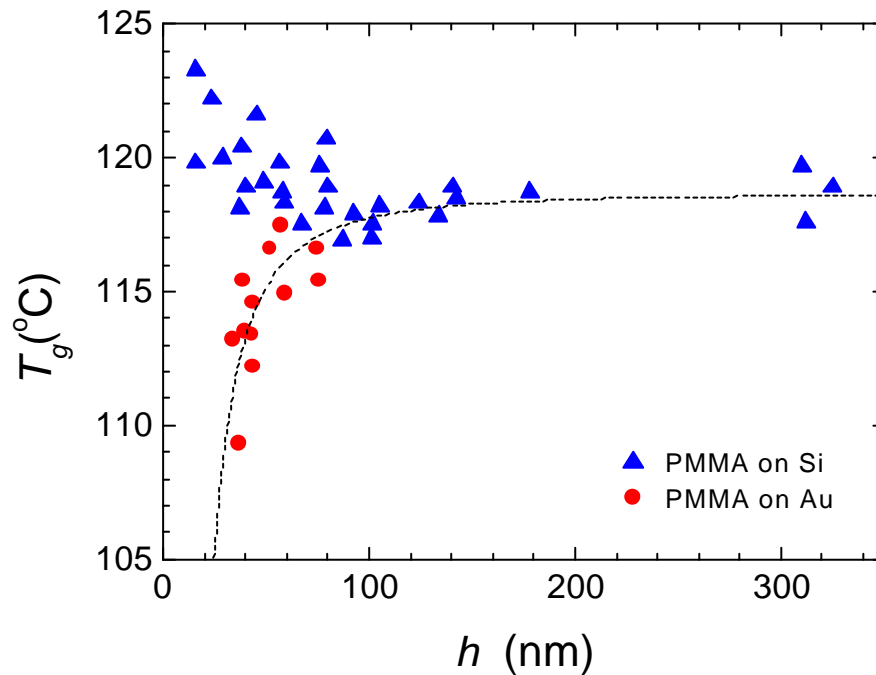
### Electro-spraying:



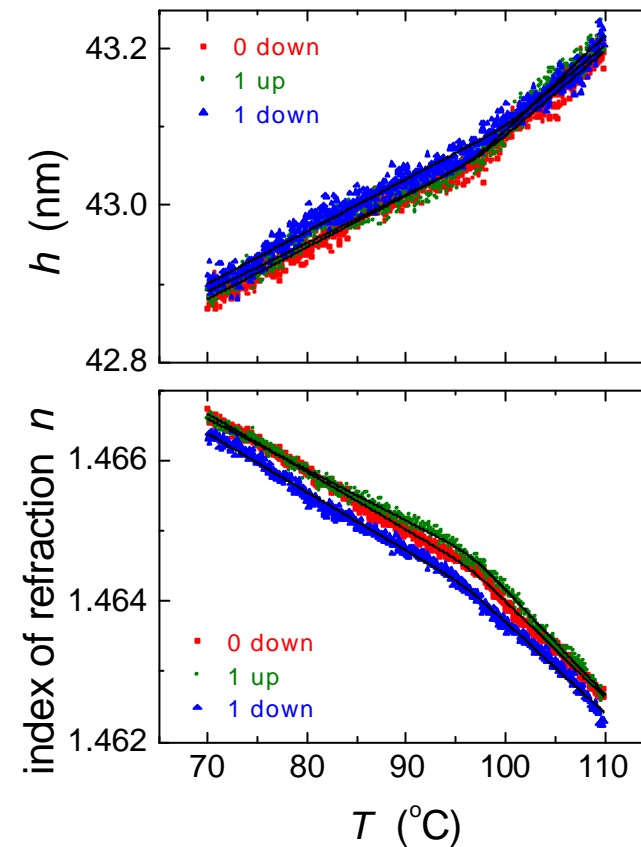
→ deposition of unentangled single polymer molecules possible

# $T_g$ -effects on ultra-thin polymer films

**First results:** [Keddie *et al.*, Faraday Discuss. **98**, 219 (1994)]



typical result from ellipsometry:  
 $h(T)$ ,  $n(T)$



# $T_g$ -effects on ultra-thin polymer films

## Different techniques:

- Ellipsometry (refraction index, thickness)
- x-ray reflectivity (volume expansivity)
- PALS (free volume expansivity)
- Brillouin spectroscopy

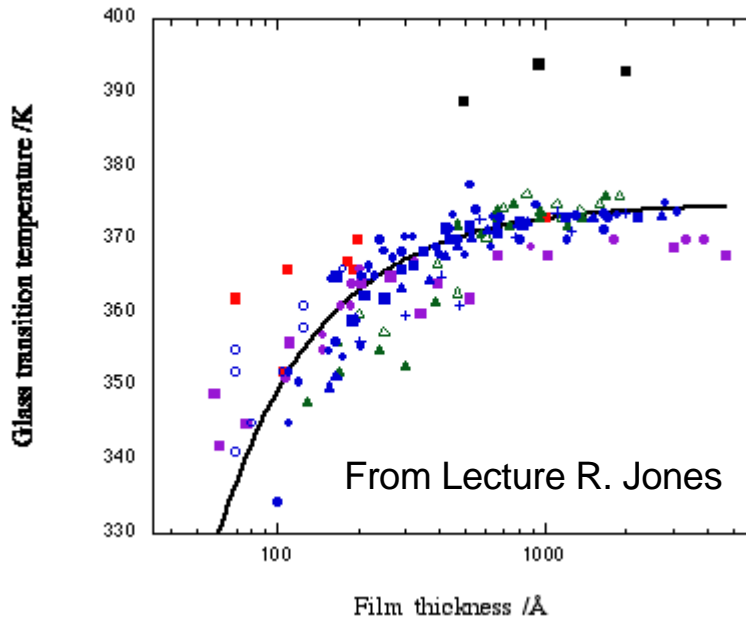
## In the following: $T_g$ -effects on

- **different polymers:** PS, PMMA
- **different geometries:** supported, freely-standing films
- **different molecular mass**



# Supported PS films

## PS supported on silicon



**pretty universal behaviour**

No  $M_w$  dependence  
between 120k and 2M

### Different techniques:

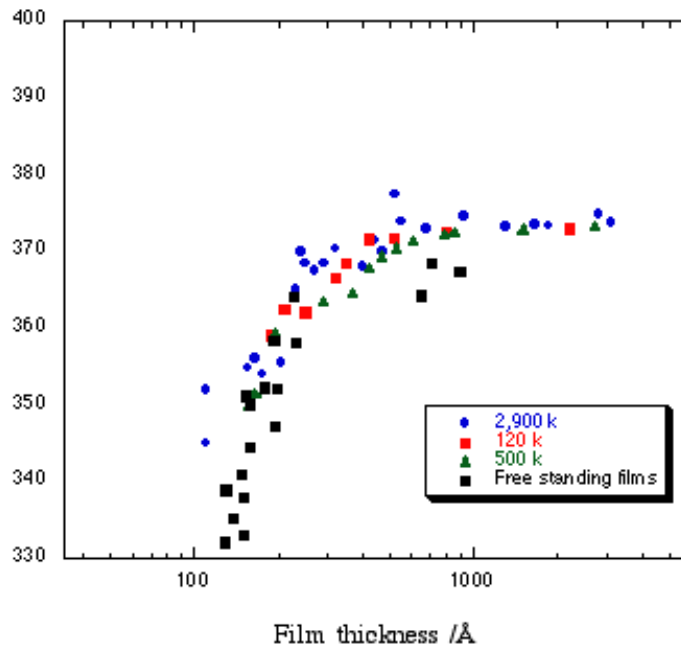
- Ellipsometry
- Micro-DSC
- Dielectric Spectroscopy
- PALS

### Substrates & conditions:

- HF-etched Si, vacuum
- HF etched Si, air
- SiOx
- Hexamethyl disilazane layer on silicon

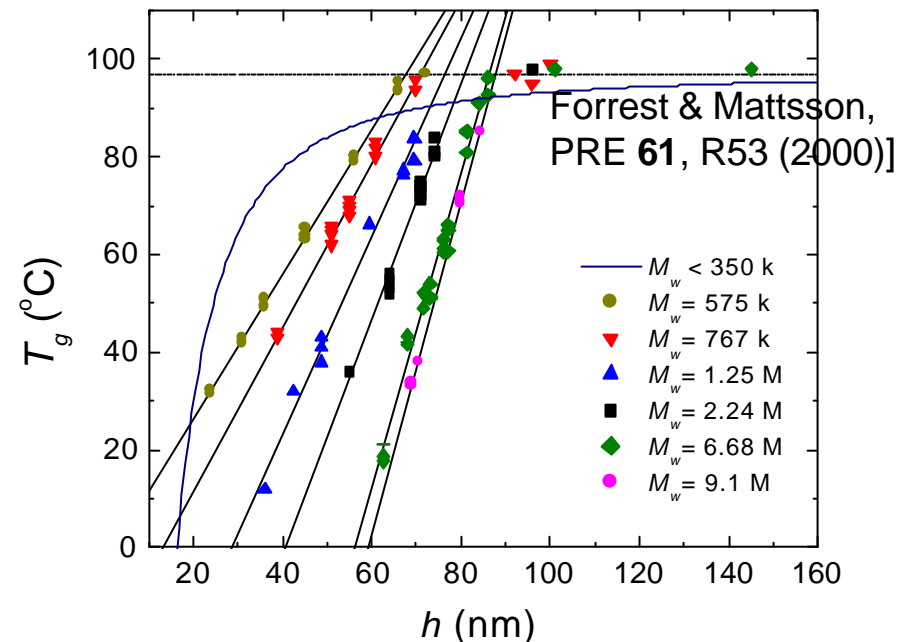
# Supported PS films vs. freely-standing films

PS freely-standing,  $M_w < 347k$



freely-standing films behave like supported films with half the thickness → **2 free surfaces**

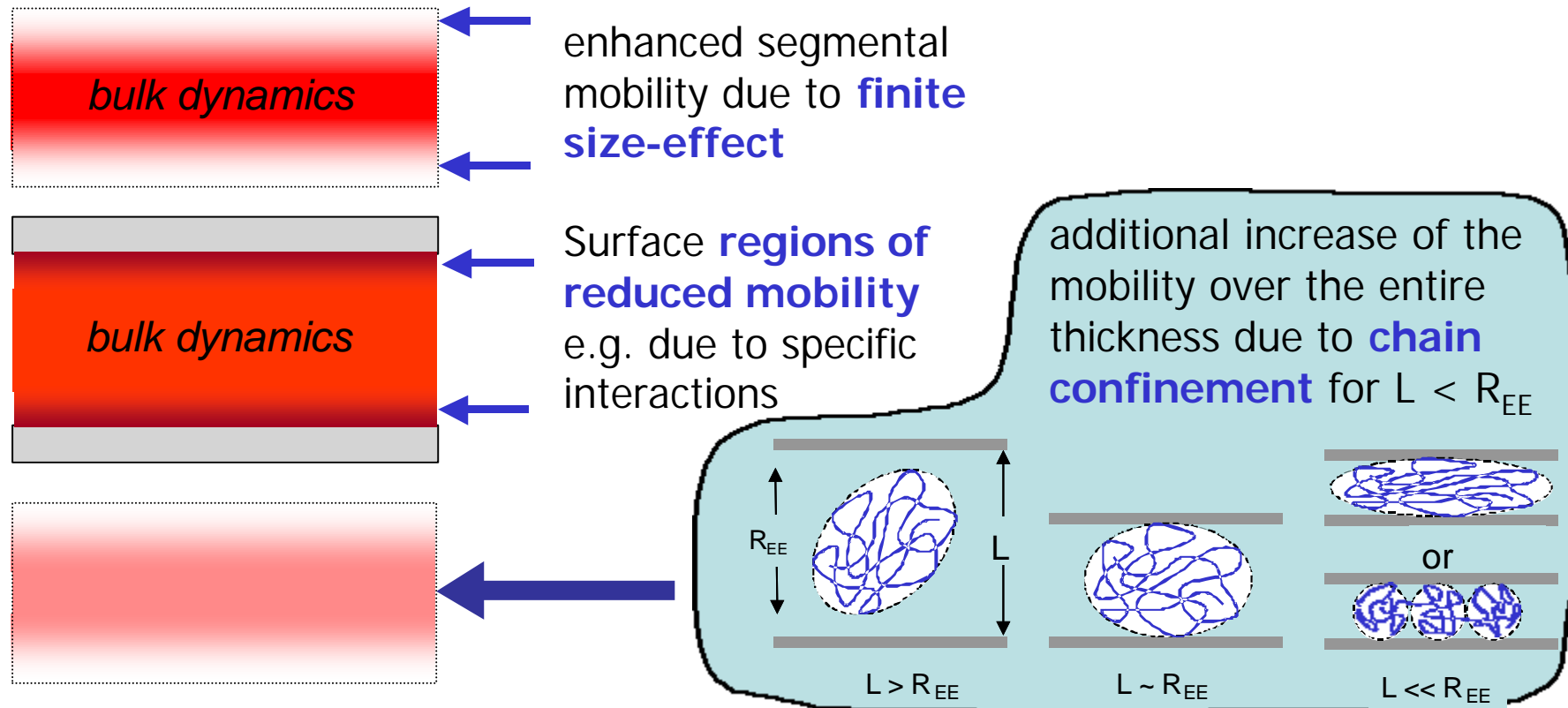
high  $M_w (> 347k)$



strong  $M_w$  dependence, but simple scaling:

$$T_g = T_g^* + b(h - h^*) \ln[M_w / M_w^*]$$

# Three possible scenarios of changed segmental mobility in freely-standing or supported/capped polymer films:

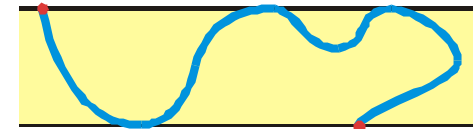


# Some models that describe the $T_g$ -depression in low- $M_w$ PS films

## segregation of chain ends to free surfaces

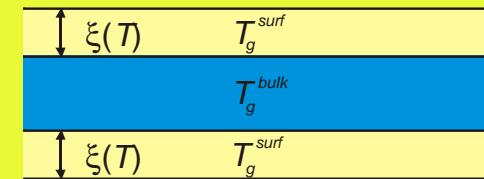
[Mayes, Macro. **27**, 3114 (1994)]

[Tanaka *et al.*, Macro. **29**, 3040 (1996)]



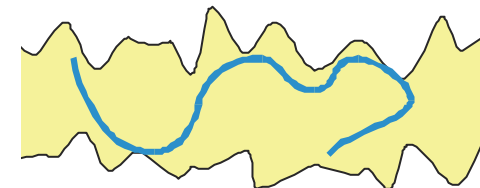
- near-surface cooperative motion

[Forrest & Mattson, PRE **61**, R53 (2000)]

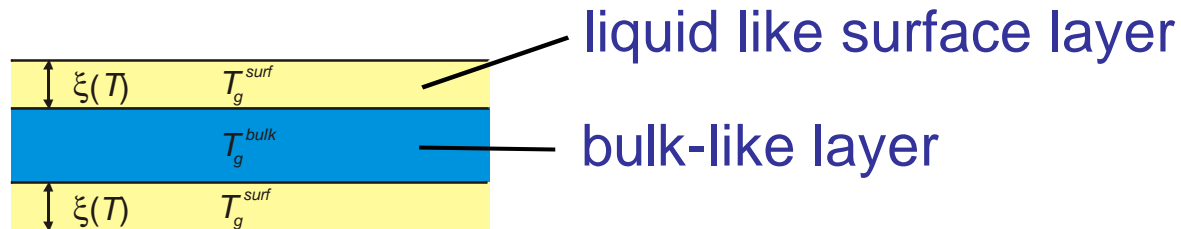


## coupling to capillary modes

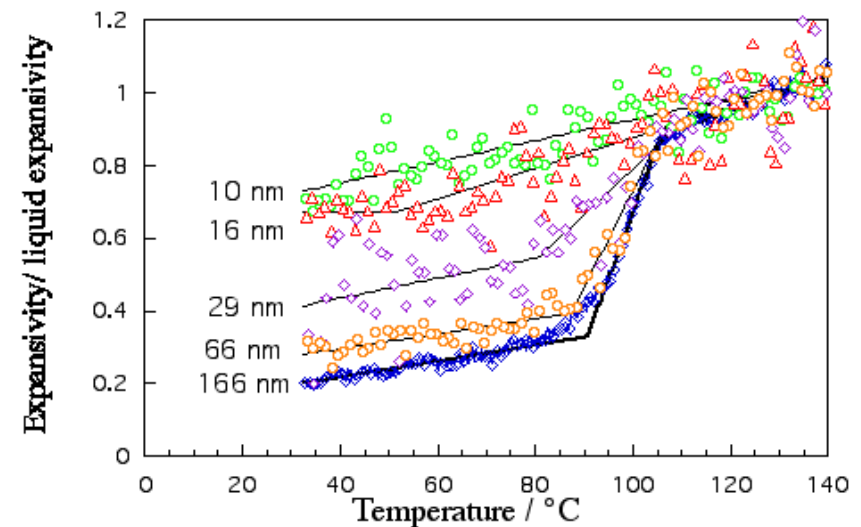
[Herminghaus *et al.*, EPJE **5**, 531 (2001)]



# Implications from 2-layer model



- broadening of glass transition expected - **confirmed**
- Expansivity experiments average over mobility profile → film with 2 free surfaces has larger  $T_g$ -reduction - **confirmed**

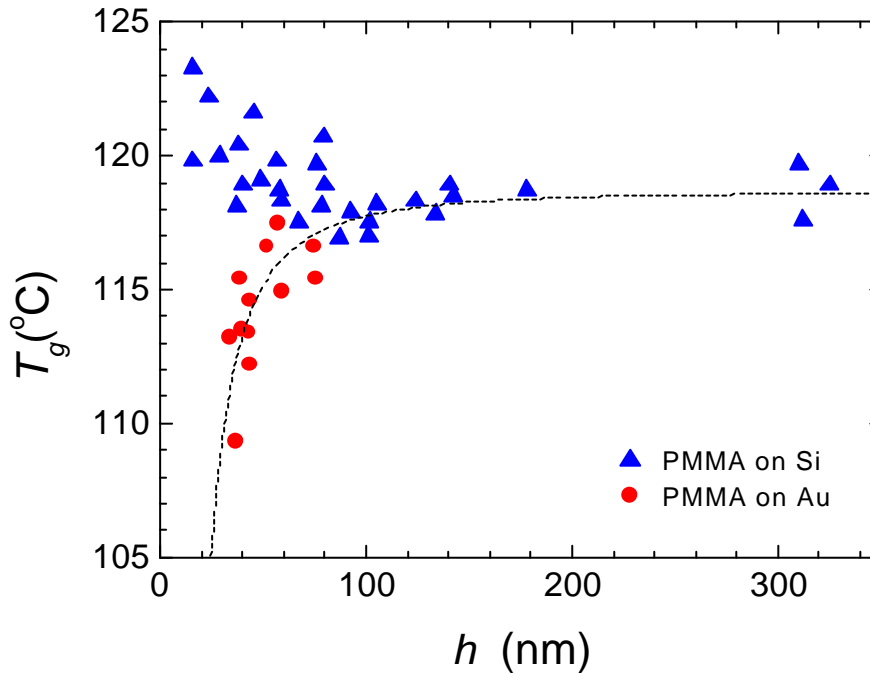


Kawana and Jones 2001

**Question 1: what is actual mobility profile?**

# Supported PMMA films

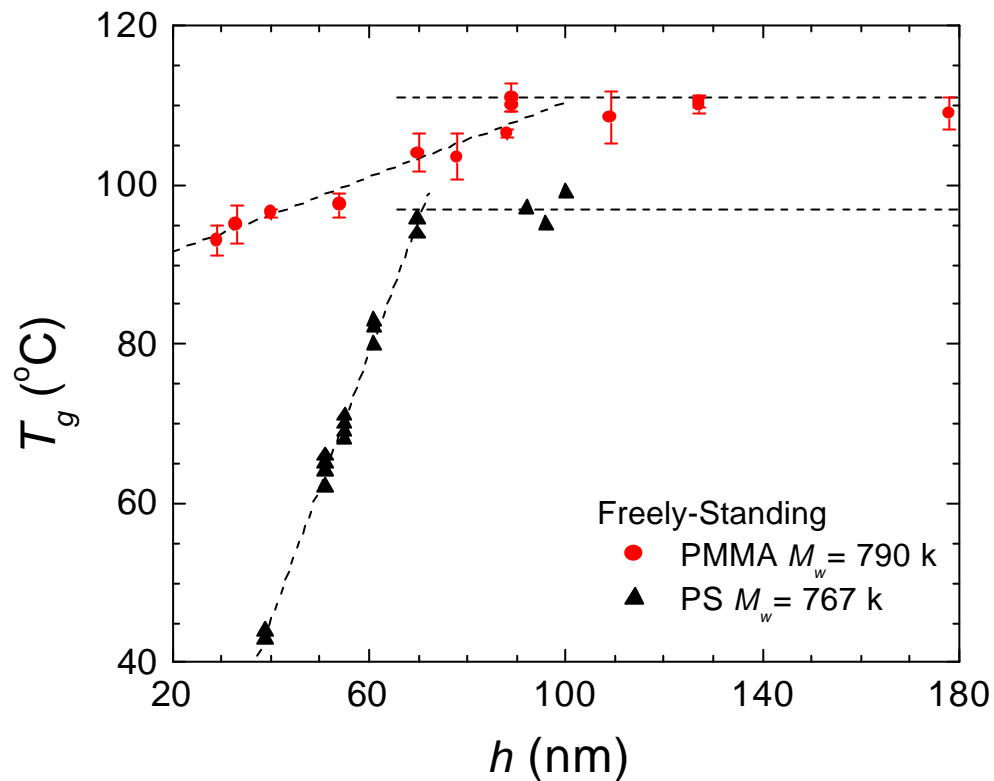
## PMMA supported on Si and Au



### Substrate effects important for PMMA

- specific interactions (H-bonding) of PMMA with substrate
- also influence of tacticity on  $T_g$ -up/down shift !

## Comparison freely-standing PMMA – PS films



nearly equivalent  
molecular weights

**Question 2:**

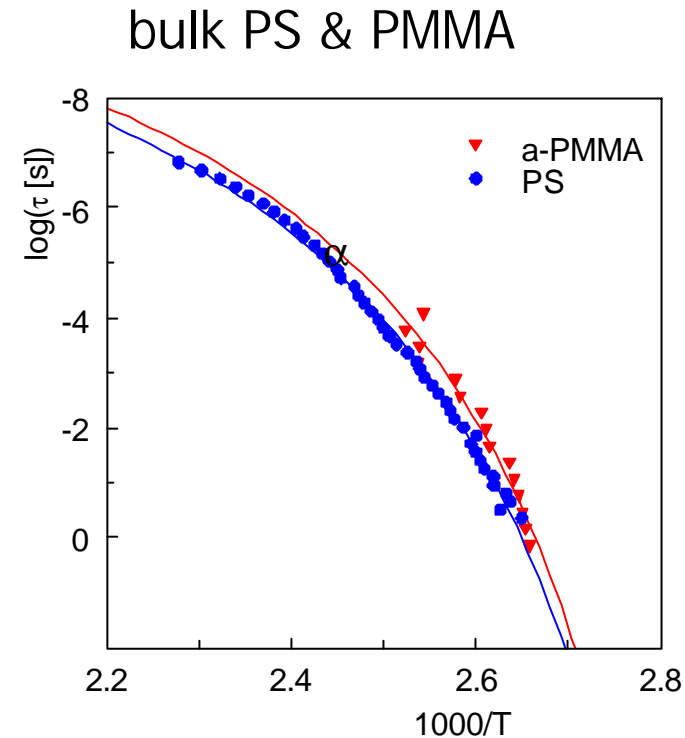
**Why do PS and PMMA behave so differently?**

# Why is $T_g$ of PS more sensitive to thickness reduction than in PMMA ?

Both PS and PMMA have

- similar  $T_g$
- similar fragility index

fragility index  $\propto E_{a,local}(T=T_g)$   
= measure for curvature of VFT curve

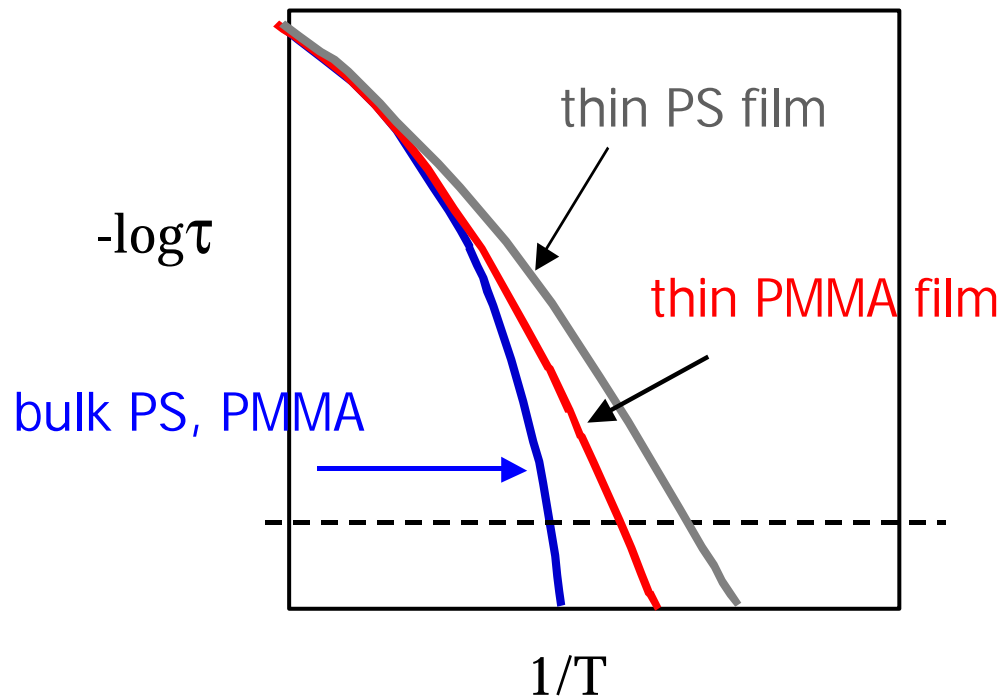


what else controls thickness sensitivity of  $T_g$ ?



## One possible answer:

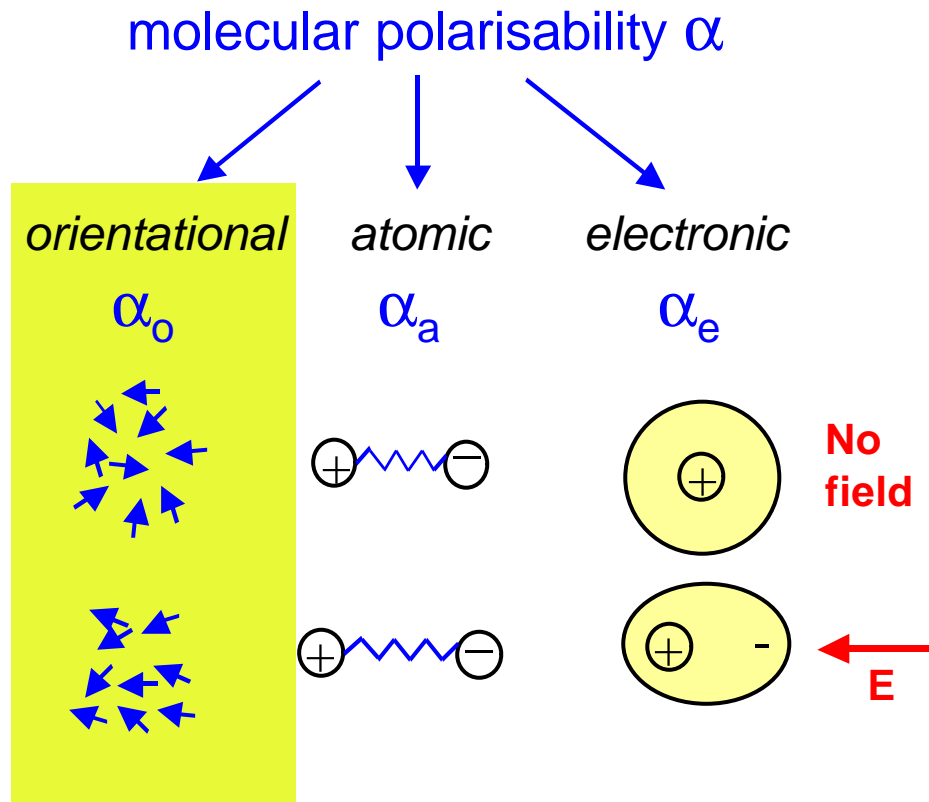
In thin films, fragility might change differently for PMMA and PS



Is there any evidence for this scenario?

**broadband dynamic studies required → DRS**

## 5. Dielectric relaxations in ultra-thin polymer films – basic issues



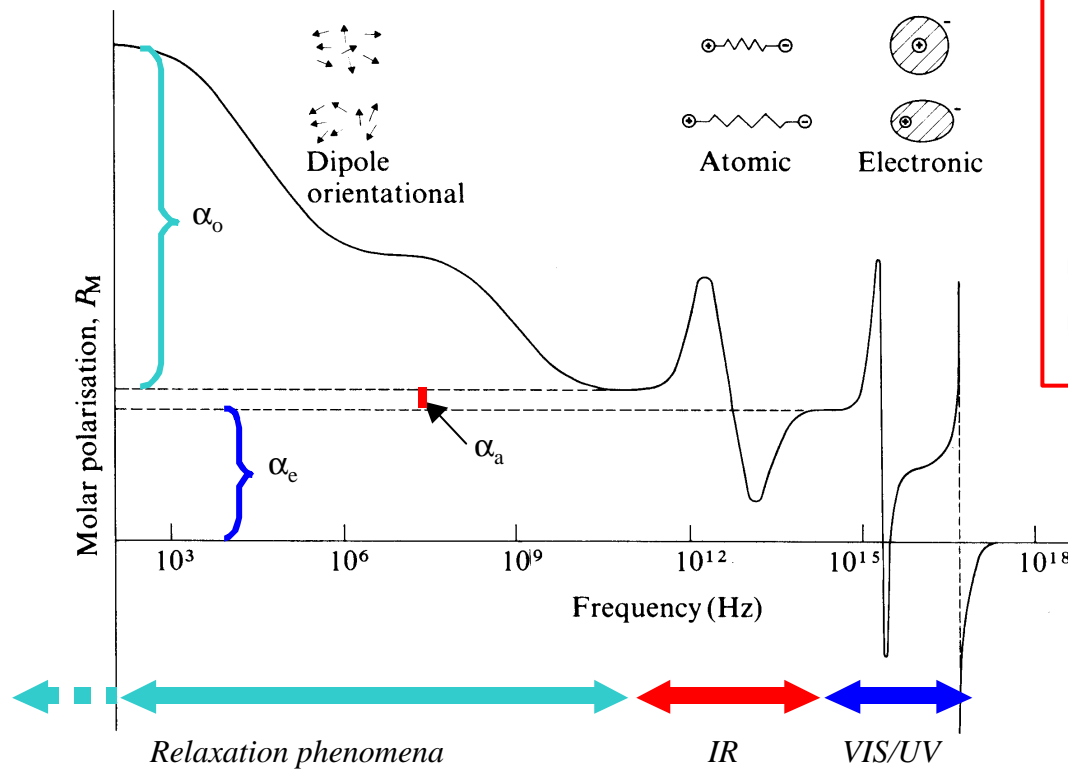
$$P = N_0 \mathbf{a} E_L$$

$N_0$ : concentration of dipoles

$E_L$ : **local** electric field

$$P = N_0 (\mathbf{a}_e + \mathbf{a}_a + \mathbf{a}_o) E_L$$

# Dielectric relaxation spectroscopy – introduction

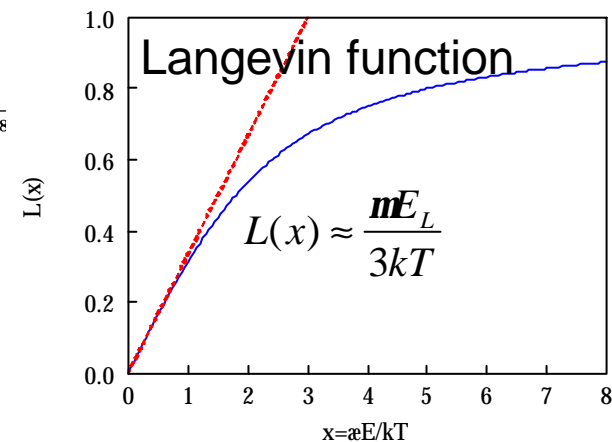


**polar molecules:**

**orientational polarisability**

$$a_o = \frac{m^2}{3kT}$$

- $\alpha_o$  depends on  $T$  and  $E$
- valid for weak fields



# Dielectric relaxation spectroscopy – introduction

From microscopic to macroscopic quantities:

Clausius-Mosotti relation

$$P_M = \frac{\epsilon - 1}{\epsilon + 2} \frac{M_w}{\rho} = \frac{N_A}{3\epsilon_0} \left( a_e + a_a + \frac{m^2}{3kT} \right)$$

$M_w$ : molecular weight  
 $\rho$ : density  
 $N_A$ : Avogadro's number  
 $\epsilon$ : dielectric constant

For polymers and other complex dielectrics:

Relation by **Onsager and Fröhlich**

$$\frac{(\epsilon - n^2)(2\epsilon + n^2)}{\epsilon(n^2 + 2)^2} \frac{M_w}{\rho} = \frac{N_A g m^2}{9\epsilon_0 kT}$$

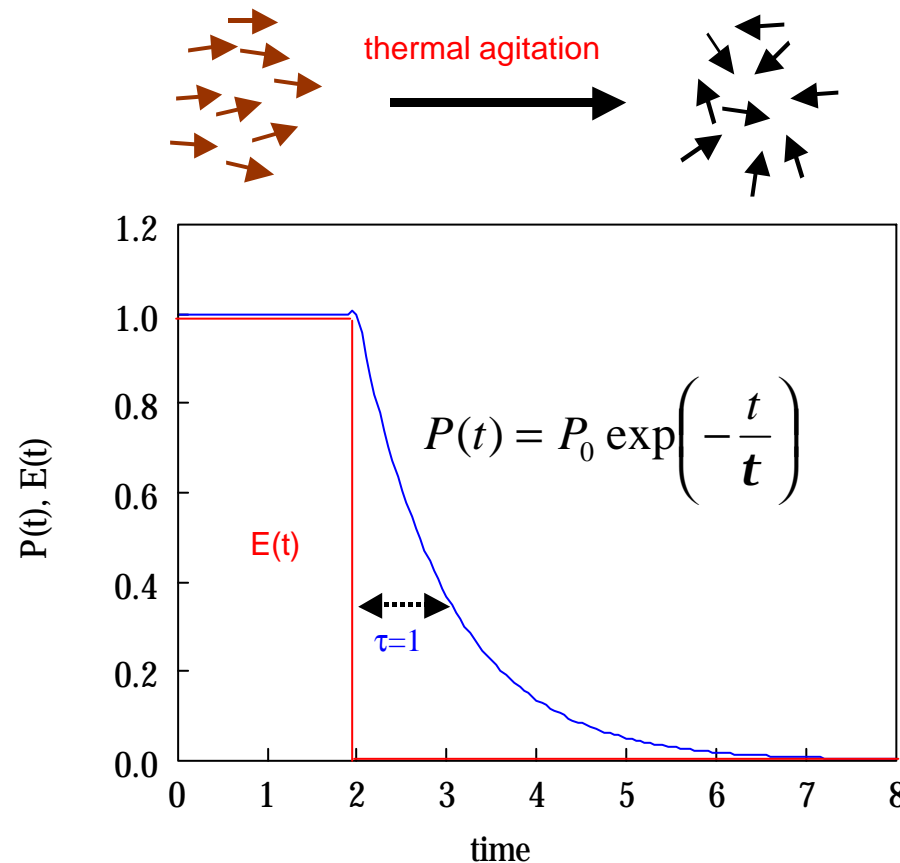
*new:*  
 **$g$ : dipole-dipole correlation factor**

$$n^2 = \epsilon_\infty$$

# Dielectric relaxation spectroscopy – introduction

## Dielectric relaxation:

Characteristic time to attain thermal equilibrium =  $\tau$



ac field, frequency  $\omega$ :  
complex dielectric “constant”

$$\epsilon^*(\omega) = \epsilon'(\omega) - i\epsilon''(\omega)$$

Real part

storage term

Imaginary part

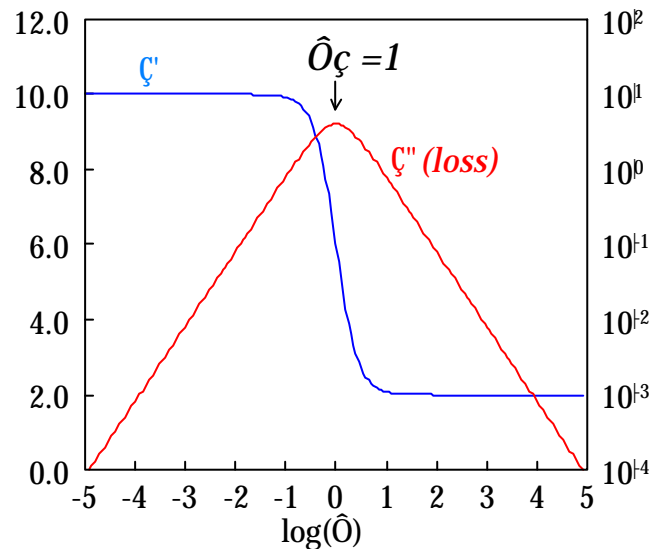
loss term

→ actually 2 spectra

# Dielectric relaxation spectroscopy – introduction

## Relaxation functions:

Single relaxation time process

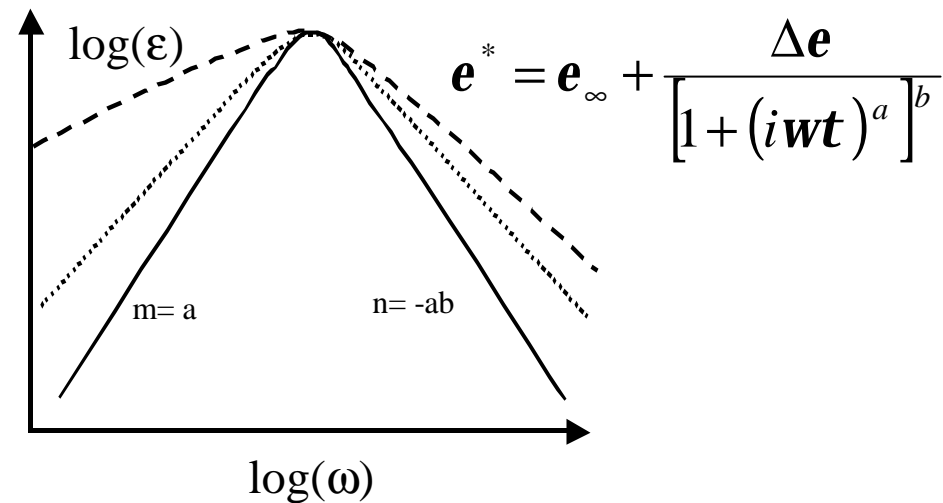


$$\epsilon'(\omega) = \epsilon_{\infty} + \frac{\epsilon_s - \epsilon_{\infty}}{1 + \omega^2 \tau^2}$$

$$\epsilon''(\omega) = \frac{\epsilon_s - \epsilon_{\infty}}{1 + \omega^2 \tau^2} \omega \tau$$

Distribution in relaxation times

→ *Havriliak-Negami (HN) function*:



→ 2 independent shape parameters

- relaxation strength  $\Delta\epsilon$
- mean relaxation time  $\tau$

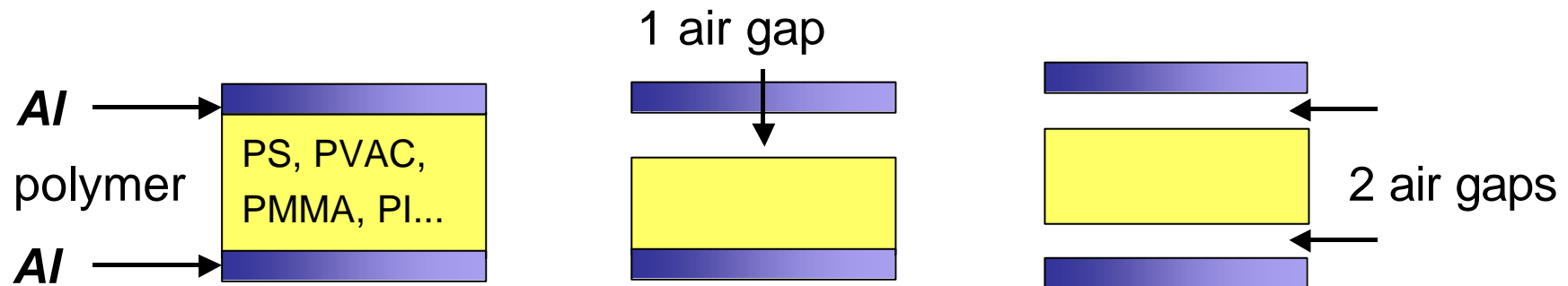
# DRS on ultrathin films

## advantages:

- + sensitivity ( $C^*$ ) increases with  $1/L$
- + very wide dynamic range
- + robust sample preparation

## drawbacks:

freely standing geometry hard to achieve  
DRS restricted to polar polymers



**Fukao, first studies**

*Hartmann, Kremers group*

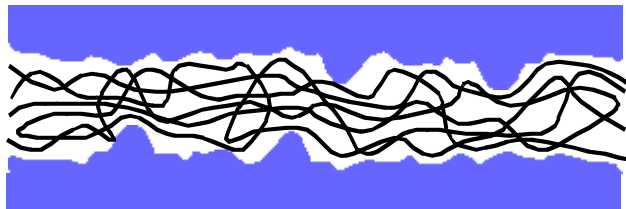
*Wübbenhorst (coop. with Dutcher)*

Sharp, Forrest 2002

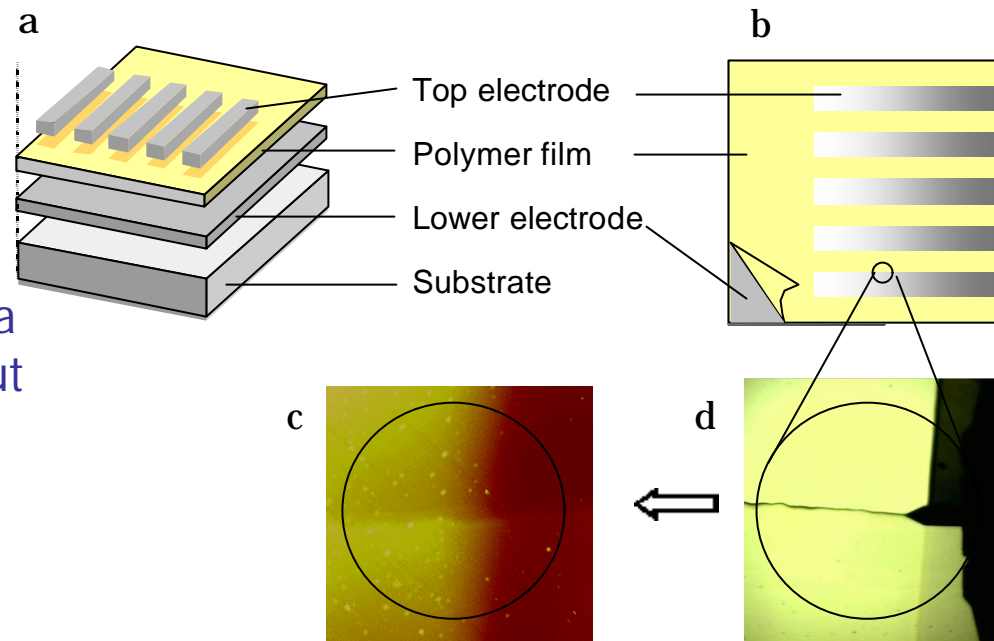
# Preparation of ultrathin film "capacitors"

1. **spincoating of very dilute solutions** on Al-coated glass substrates.
2. evaporation of **patterned top electrode**

→ well defined DRS samples with a thickness as low as **4nm** without shorts !



**4nm → 10-15 atomic layers !**

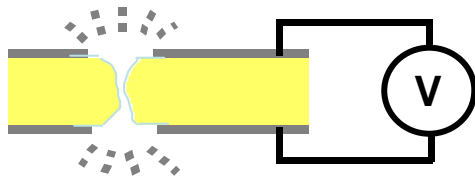


optical microscopy & AFM image



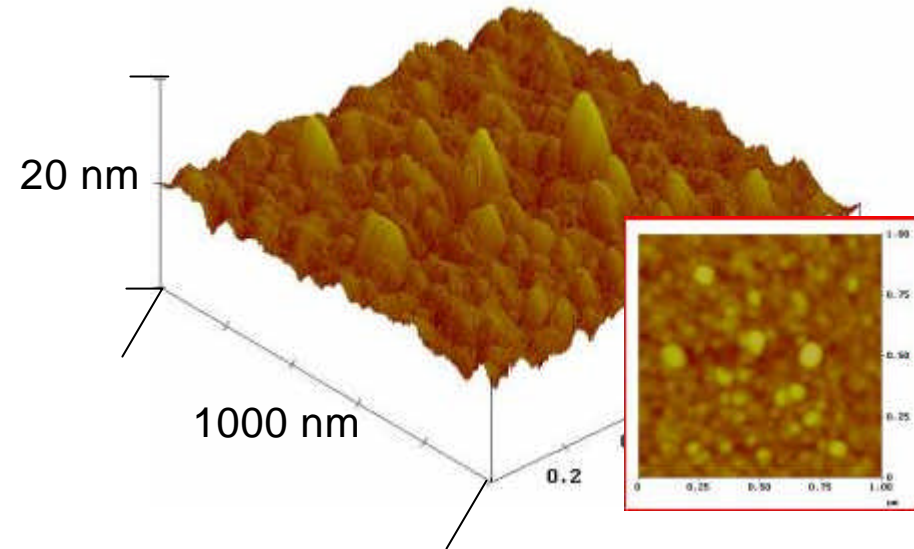
# Why does it work?

1. **excellent film forming**  
behaviour of polymers  
→ smooth and close  
polymer films
2. **"self-healing"** in case of  
local shorts

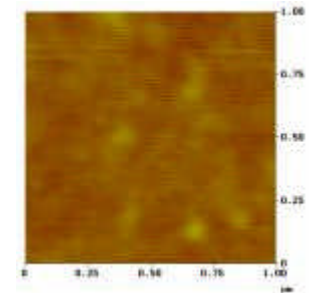


**Sometimes: It does not work**  
permanently shorted samples  
samples with high parasitary losses

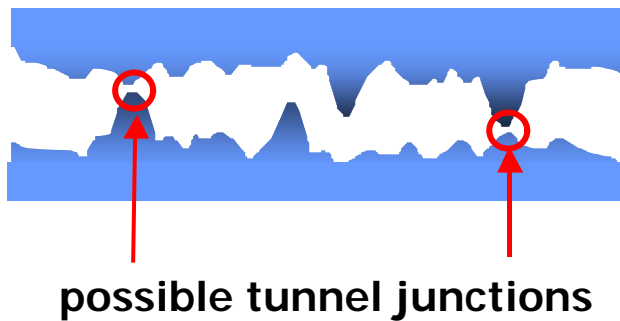
Al coated glass substrate



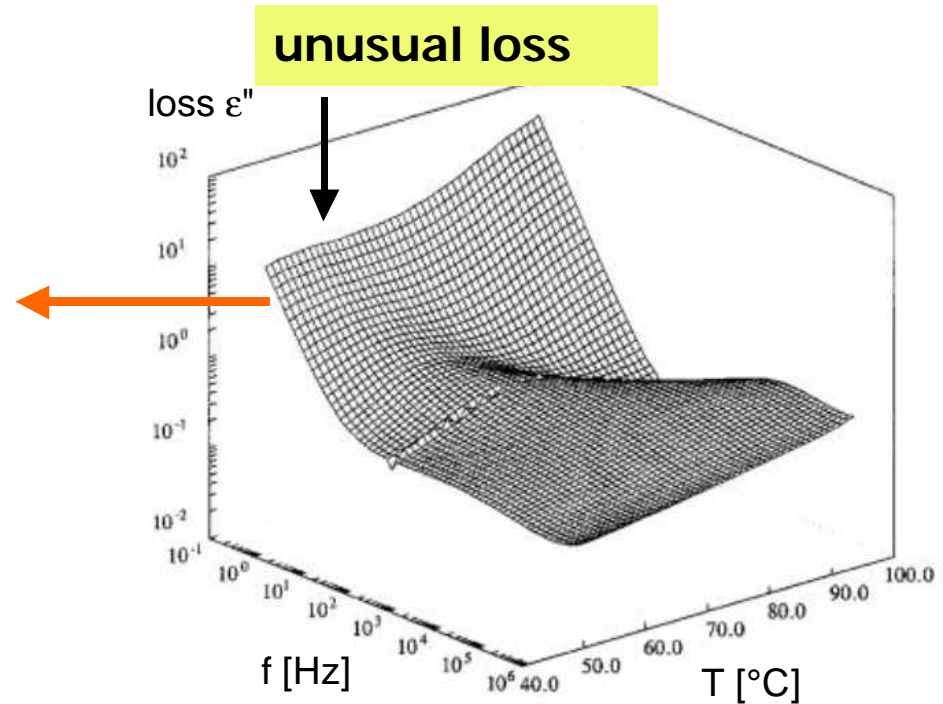
smooth surface of  
PMMA on Al, height-  
range 10nm →



# Origin of parasitary losses: tunnel junctions



'proper' spectrum of i-PMMA



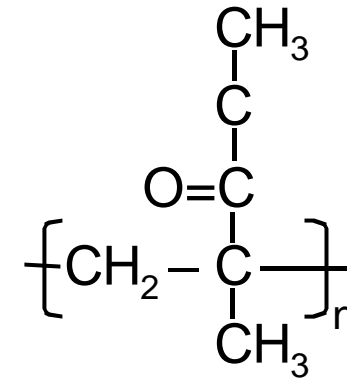
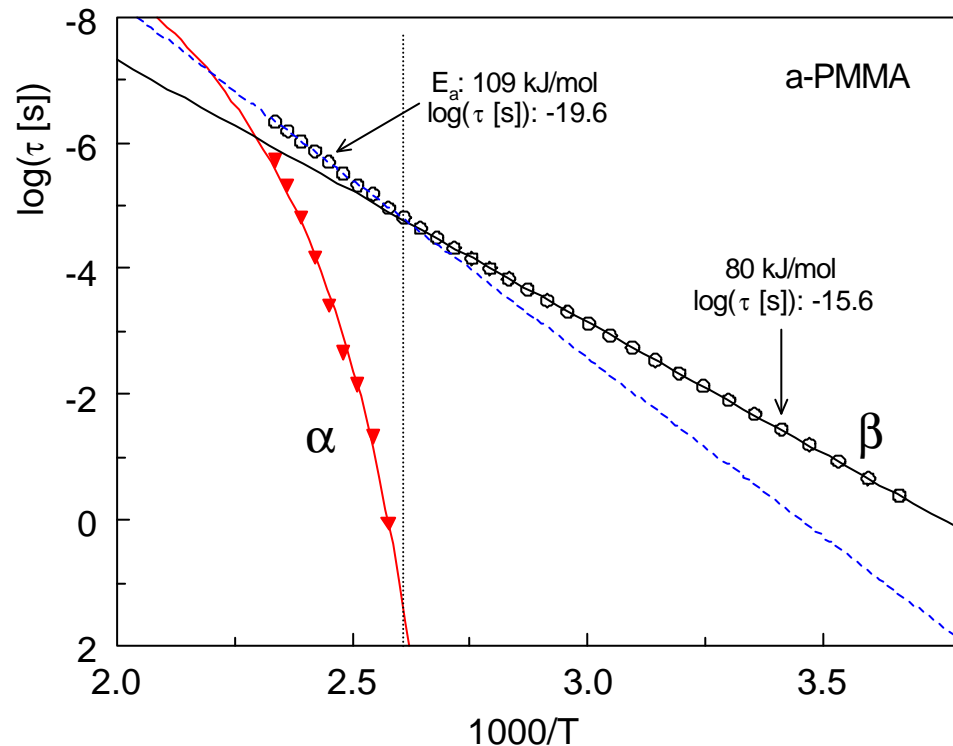
i-PMMA spectra with weakly T-dependent low-frequency loss

# Outline

1. Introduction
2. Phenomenology of the glass transition
3. Polymer chains in nano-scale geometry – general issues
4. Glass transitions effects in ultra-thin polymer films – main findings and models
5. Dielectric relaxations in ultra-thin polymer films – basic issues
6. DRS results on ultra-thin PMMA films
7. Liquid-like surface mobility in supported PS-films
8. Summary and Future work

## 6. DRS results on ultra-thin PMMA films

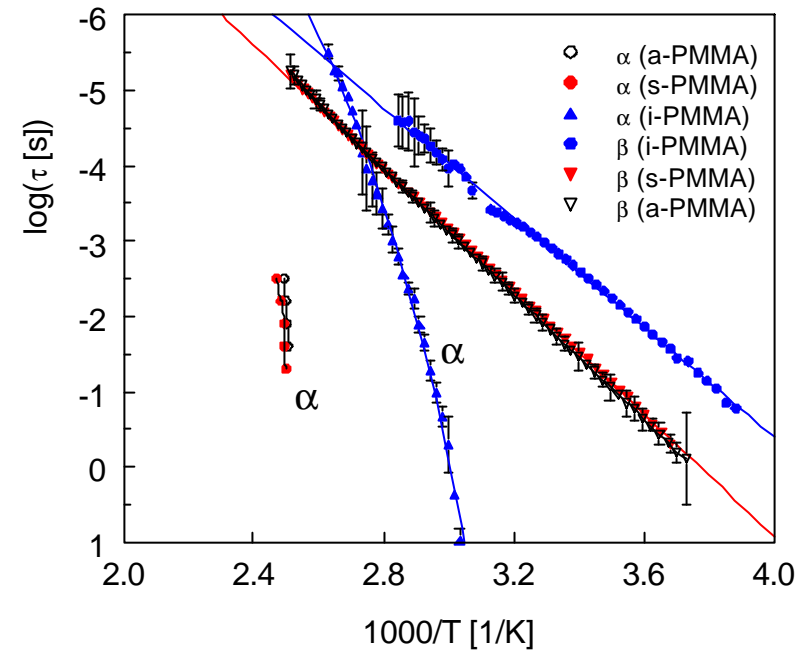
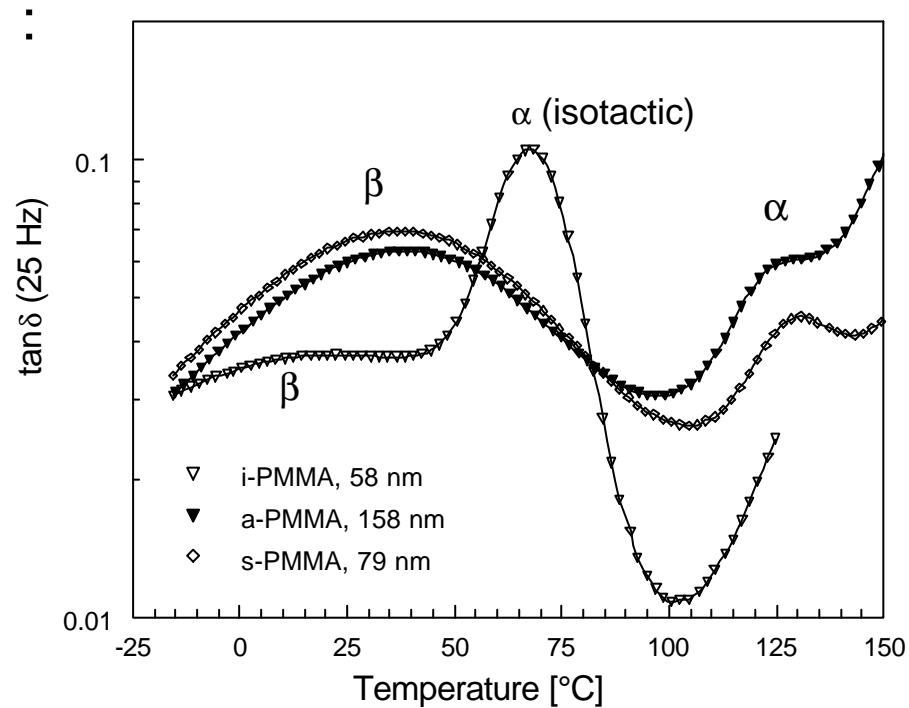
Poly(methyl methacrylate), PMMA



dielectric **b**-process

	$E_a \text{ [kJ/mol]}$	$\log(\tau_0)$
$\beta$	80	-15.6

# "Bulk" PMMA – large influence of stereoregularity

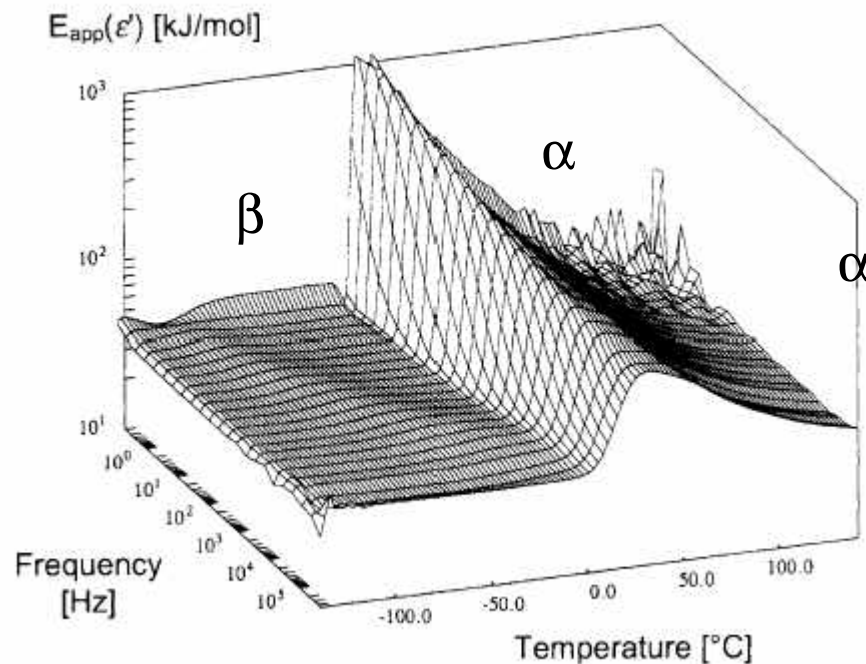


**i-PMMA:  $E_a \sim 70 \text{ kJ/mol}$**

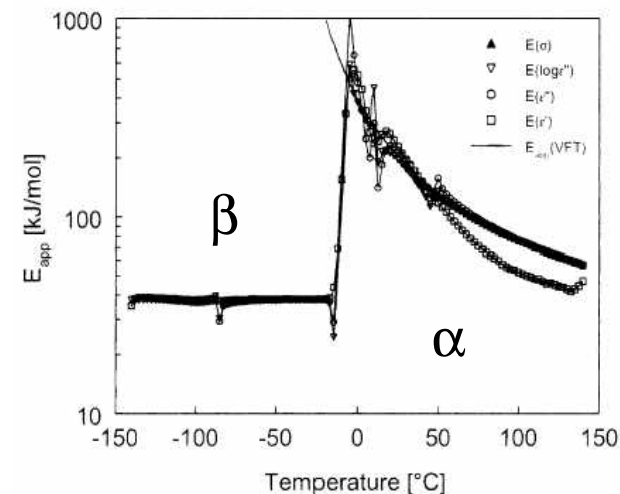
	$E_\beta$ [kJ/mol]	$T_g$ [°C]
i-PMMA	70	56
s-PMMA	80	120

# "Bulk" dynamics of stereoregular PMMA

Determination of the glass transition temperature by local activation energy analysis:



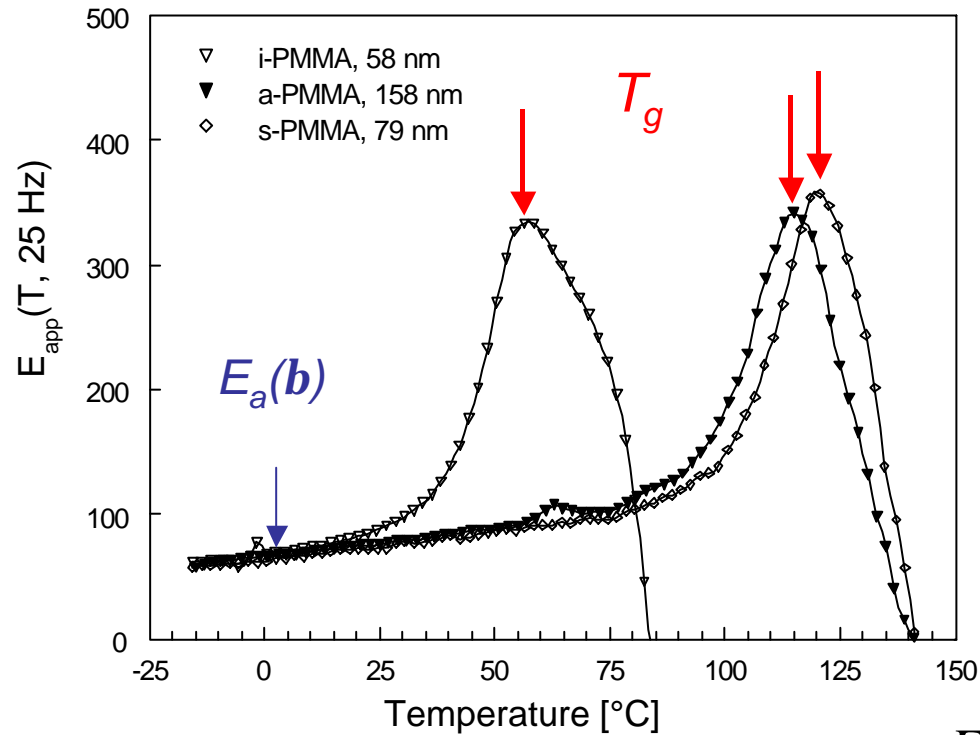
$$E_{app}(w_0, T_0) = -RT^2 \left. \frac{\partial e' / \partial T}{\partial e' / \partial \ln w} \right|_{w_0, T_0}$$



Maximum in  $E_{app}$  at  $T$  where VFT-law breaks down

# "Bulk" dynamics of stereoregular PMMA

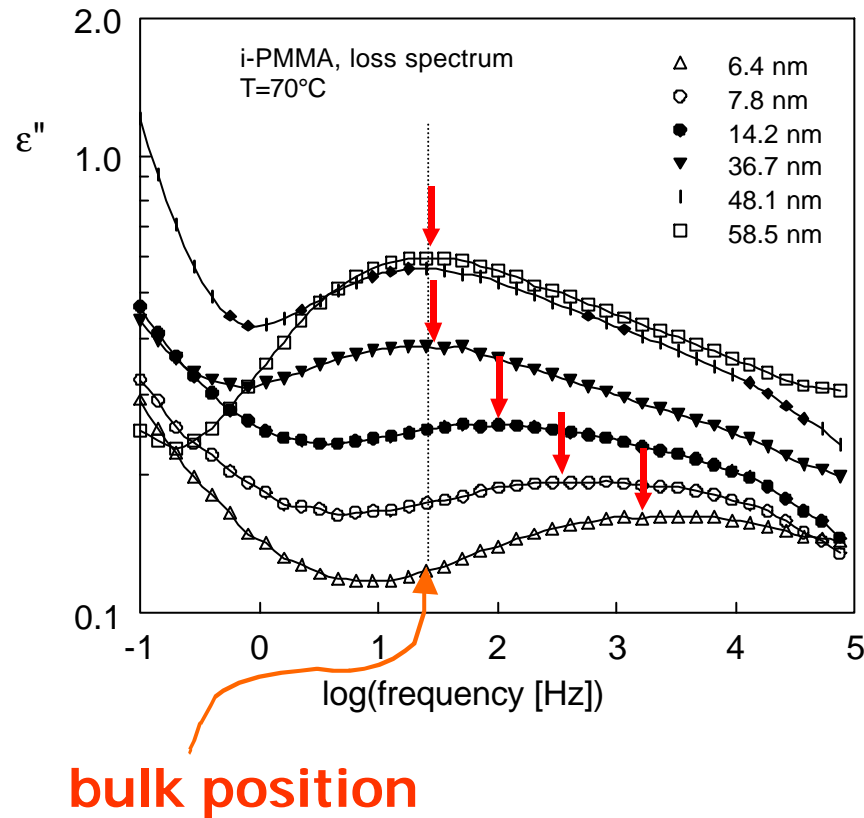
## Local activation energy analysis for PMMA:



$$E_{app}(w_0, T_0) = -RT^2 \left. \frac{\partial e' / \partial T}{\partial e' / \partial \ln w} \right|_{w_0, T_0}$$

# Thickness effects on the $\alpha$ -relaxation

## Isotactic PMMA

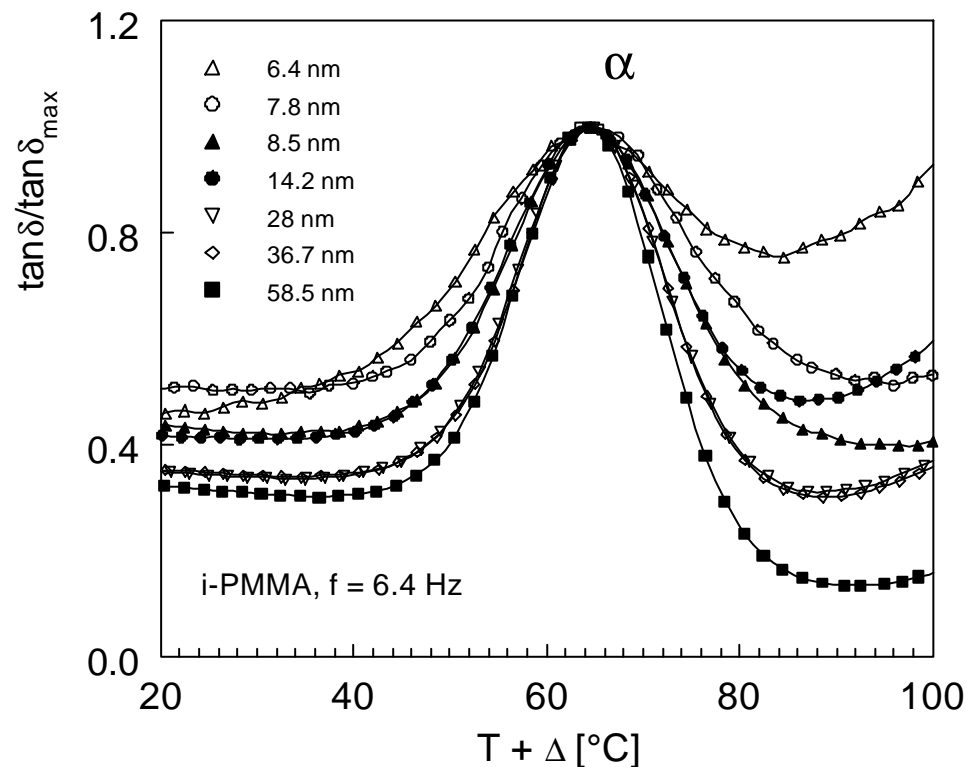


- **Shift** of relaxation spectrum
- **Broadening** in  $\alpha$ -process
- **Reduction** in relaxation strength



# Thickness effects on the $\alpha$ -relaxation

normalized and shifted loss tangent vs. temperature

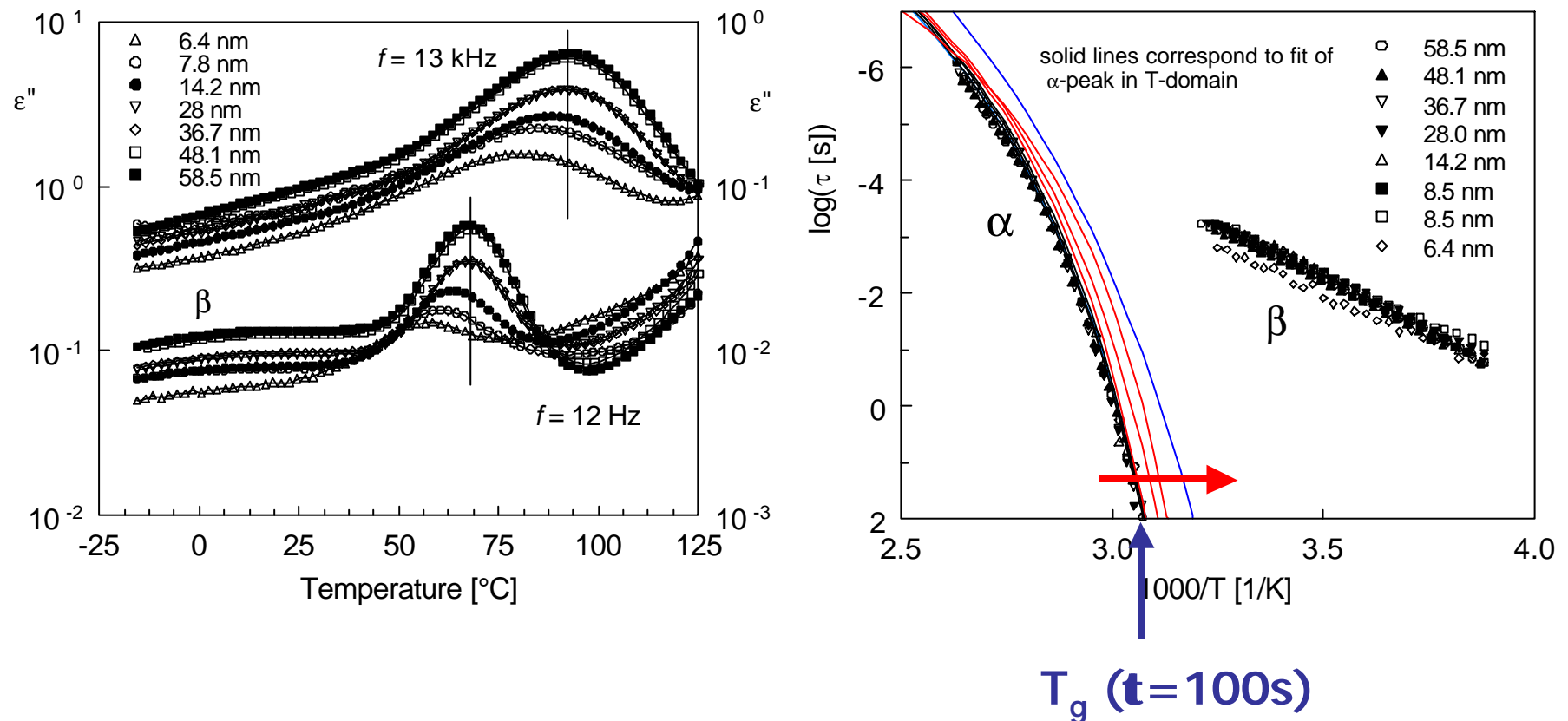


**Clear broadening** of  $\alpha$ -process at low & high temperature (frequency)



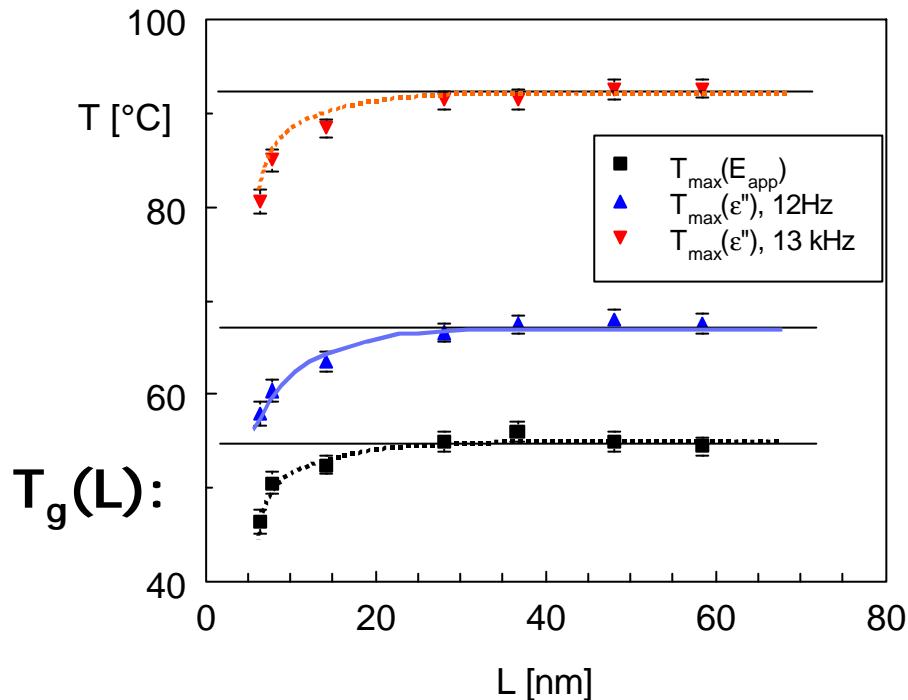
general broadening favours existence of **mobility profile  $t(L)$**

# Thickness effects on the **a**-relaxation



→ Shift of **a**-peak both at low and high frequencies

## Determination of $T_g$ from VFT-fit of **a**-process

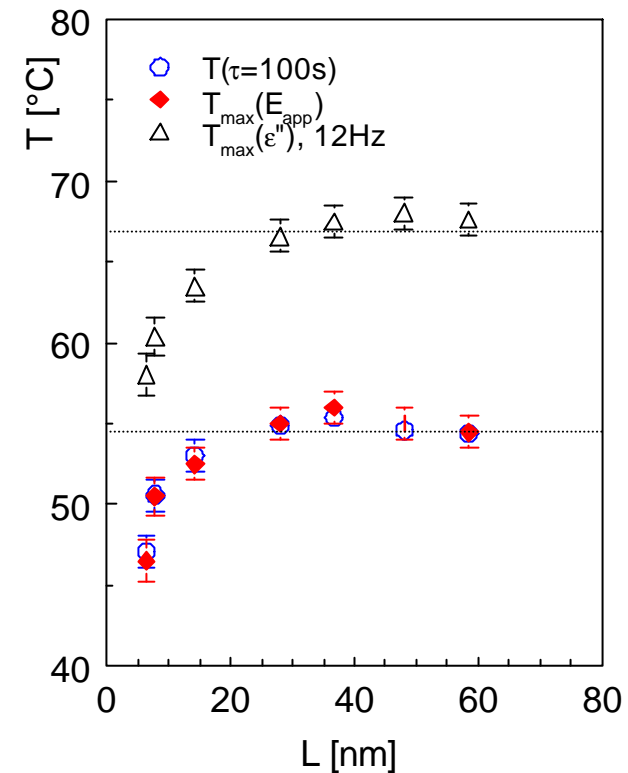
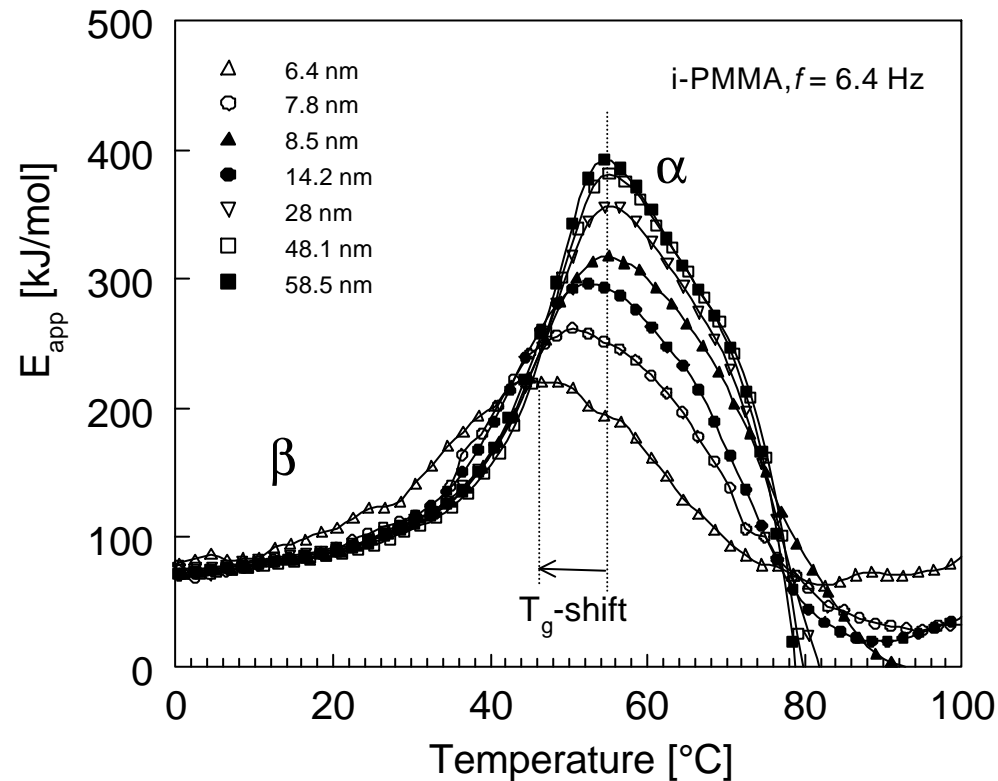


→ Same thickness dependence of  $T(\mathbf{a})$  at very different frequencies:

**0.01, 10,  $10^4$  Hz**

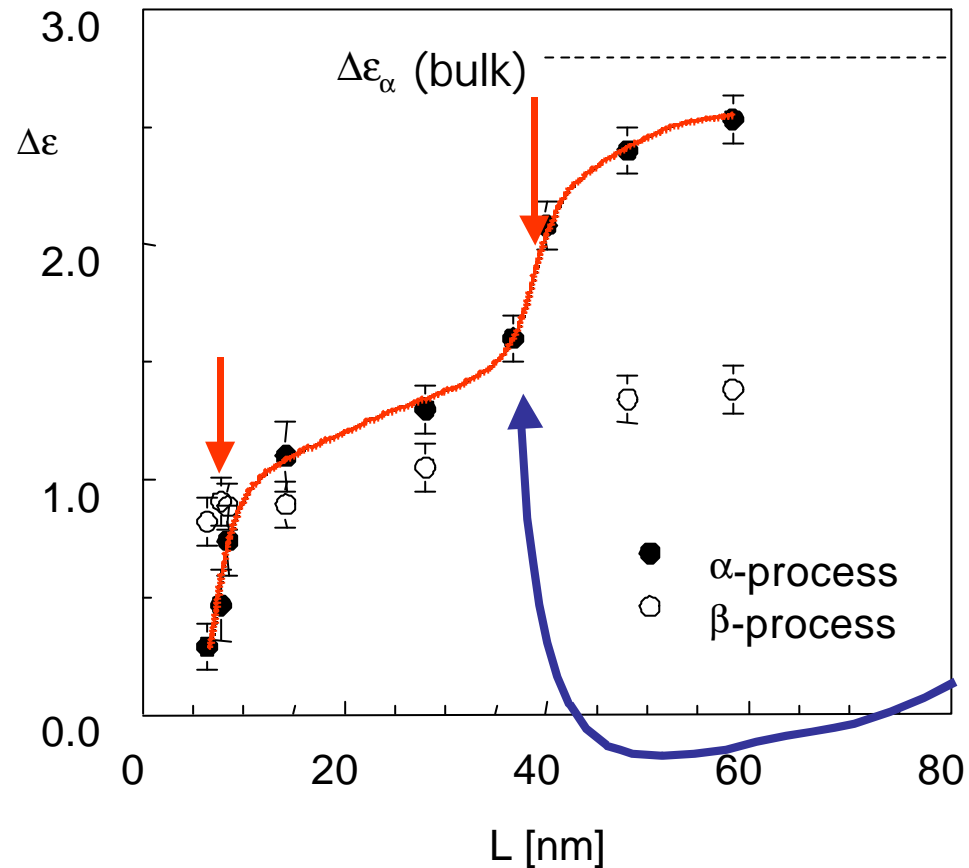
**entire speed-up of glass transition dynamics**

# Determination of $T_g$ from peak in local activation energy $E_a(T)$ :



→excellent agreement between two ways of  $T_g$  evaluation

## **$\alpha$ -process of i-PMMA: relaxation strength $\Delta\epsilon_\alpha(L)$**

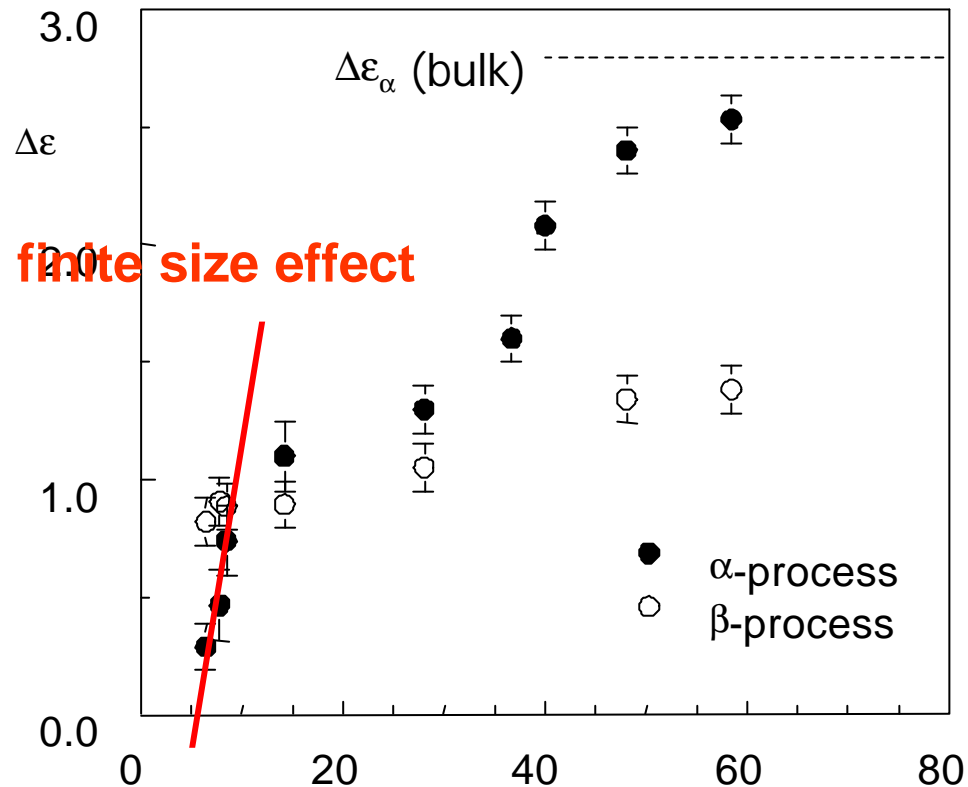


**2-stage behaviour in relaxation strength of cooperative dynamics**

→ 2 characteristic length scales involved

**$L = 30 - 40$  nm close to  $R_{EE}$   
→ effect of chain confinement**

## **$\alpha$ -process of i-PMMA: relaxation strength $\Delta\epsilon_a(L)$**

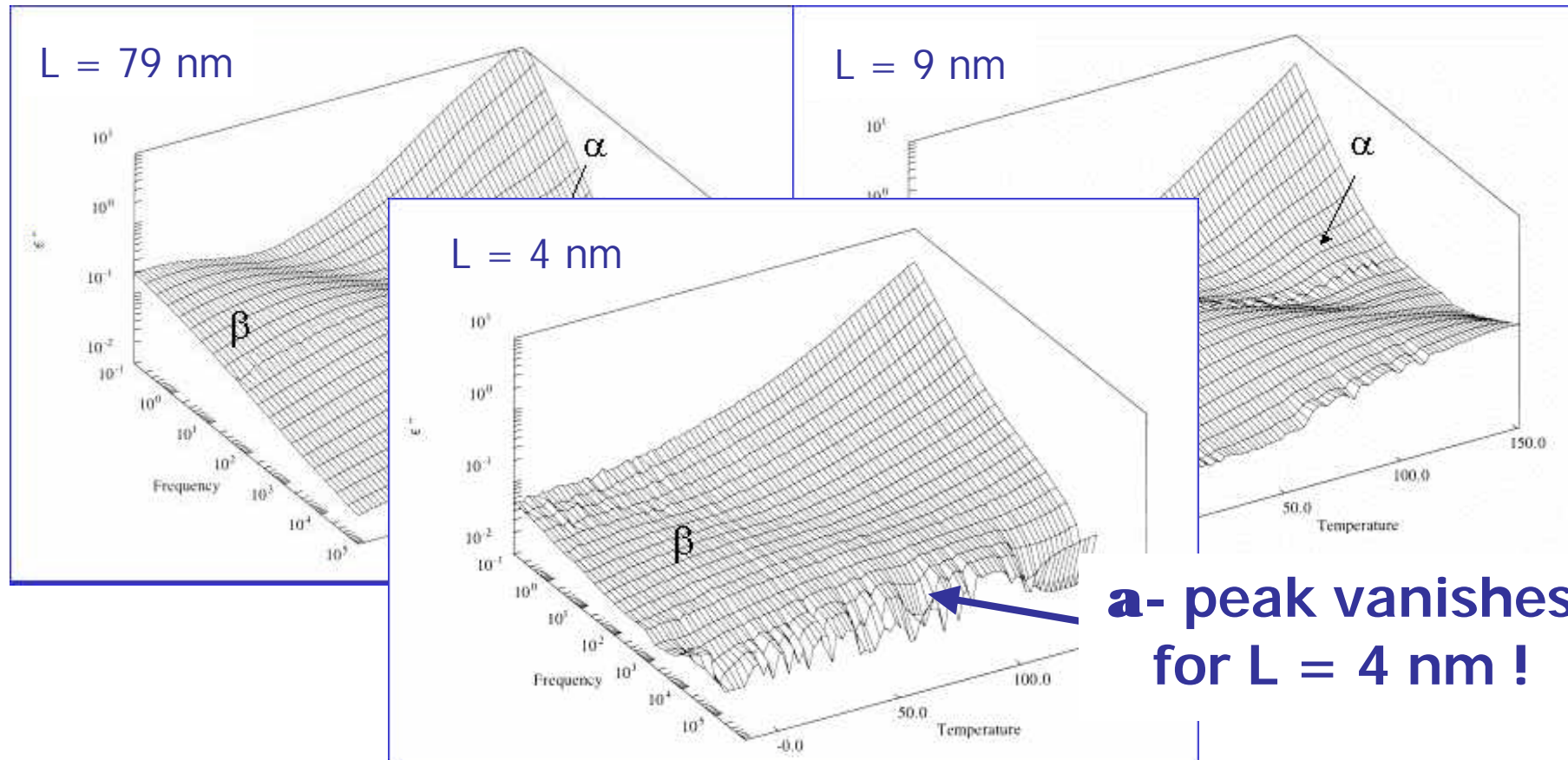


**2-stage behaviour in relaxation strength of cooperative dynamics**

→ 2 characteristic length scales involved

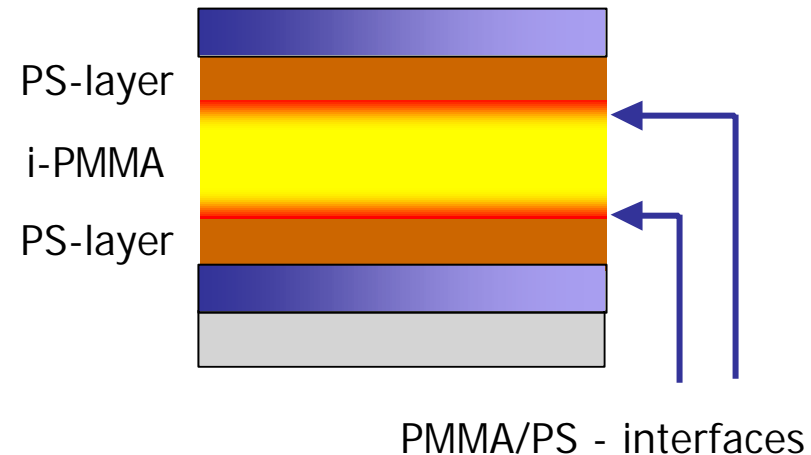
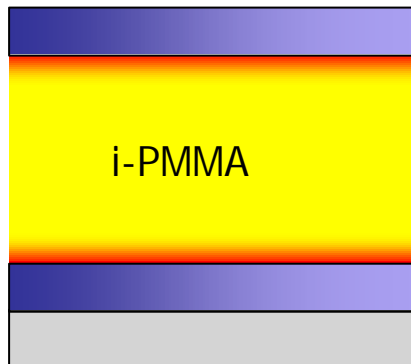
**Extrapolation of  $\Delta\epsilon_a$  to zero →  $x \sim 5\text{nm}$**

## More evidence for critical length of $\alpha$ -process from syndiotactic PMMA



## PS-PMMA-PS Tri-layer samples

- Alternatively, replacement of metal-polymer interface by **polymer-polymer** interface → 3-layer film **PS | PMMA | PS**



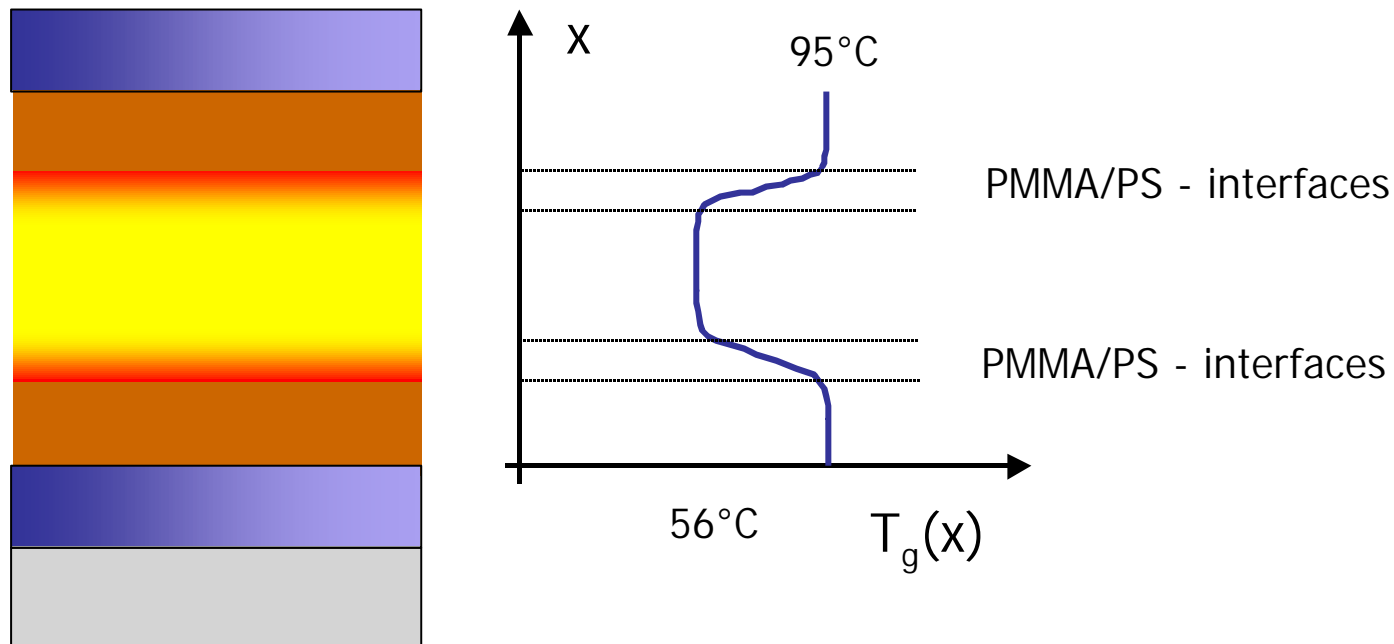
### preparation:

spin-coating → floating PMMA → floating PS-2 → Al-deposition



## PS-PMMA-PS Tri-layer samples (2)

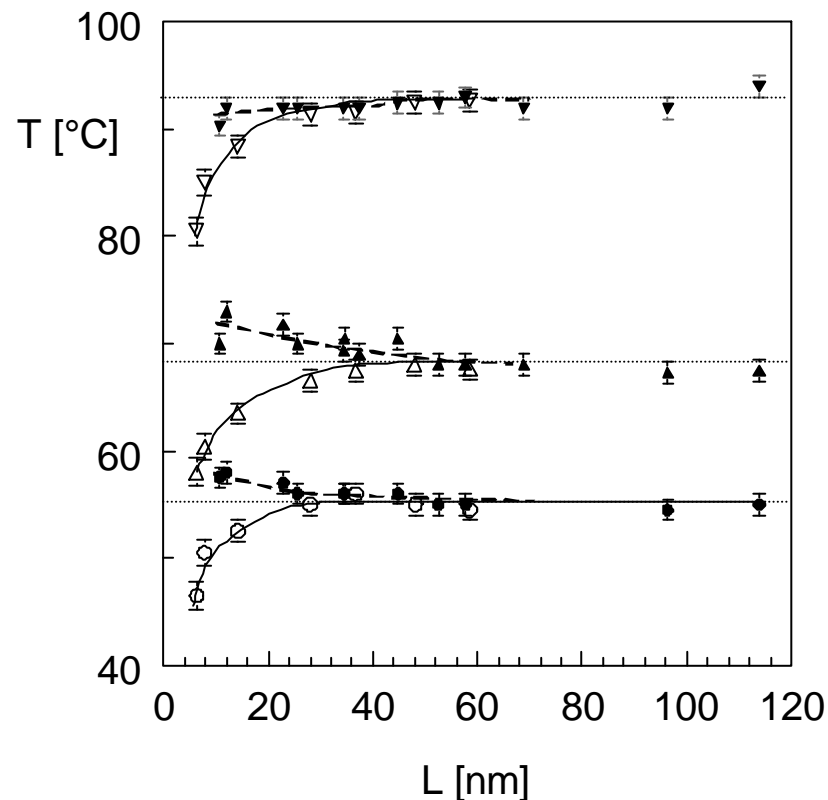
expected mobility profile:



Dielectric response dominated by PMMA (PS almost apolar)

# PS-PMMA-PS Tri-layer samples

## Shifts in the relaxation time $t_a$ – $T_g$ -effects



- slight up-shift in  $T_g$  in tri-layer films instead of  $T_g$ -depressions
- higher  $T_g$  of interdiffusion layer PS/PMMA likely dominates the average glass transition dynamics for ultra-thin films

## Now discussion of $\beta$ -process in PMMA

2 diff. molecular weights:

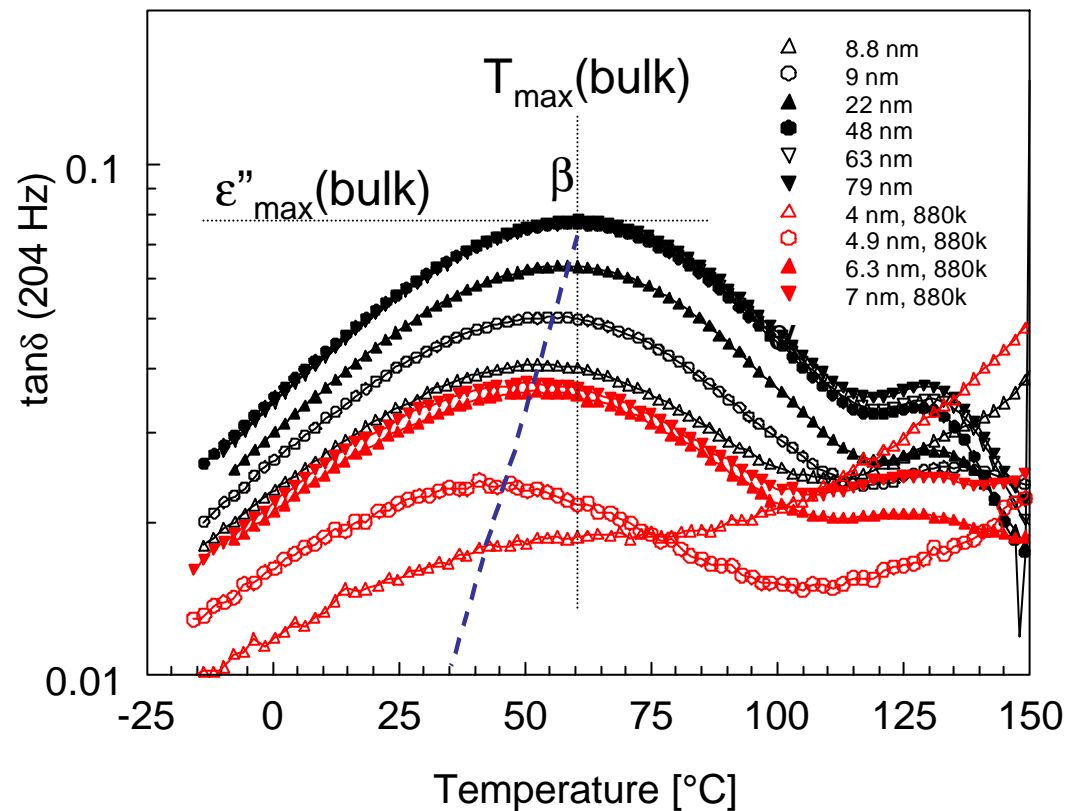
- $145 \cdot 10^3 \text{ g/mol}$
- $880 \cdot 10^3 \text{ g/mol}$

■ Below critical thickness

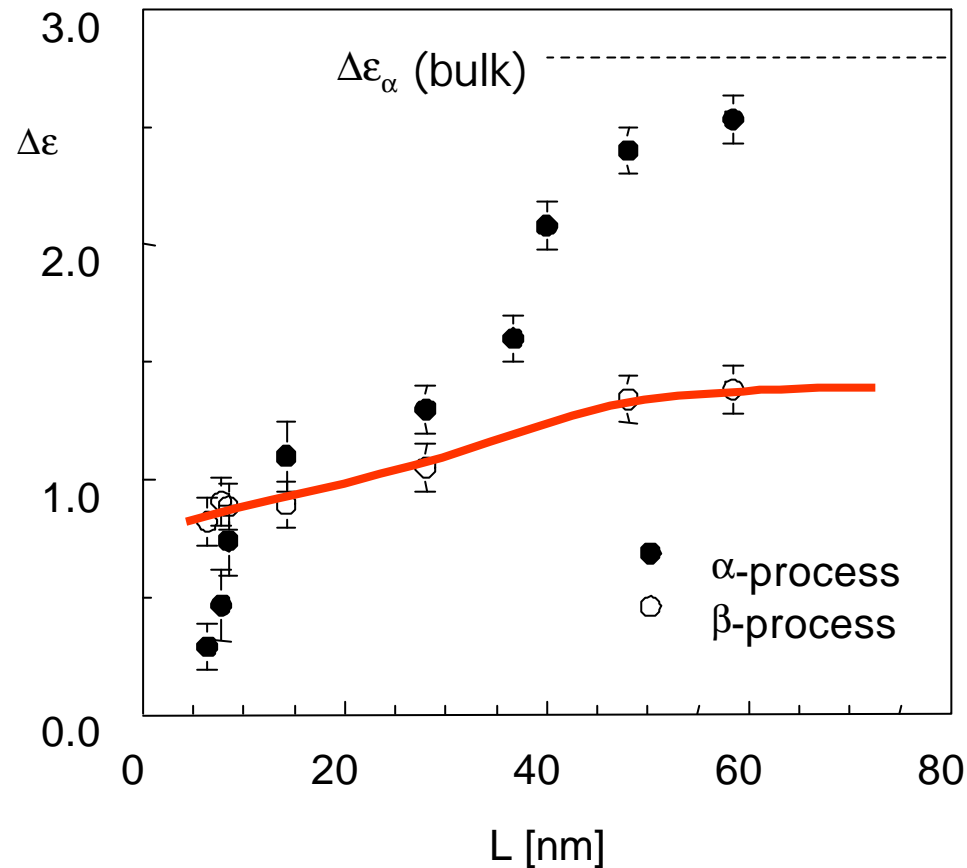
$$L_c \sim 1 - 1.5 R_{EE}:$$

→ Maximum of  $\beta$ -peak shifts to lower T

■ Continuous decrease of peak intensity toward lower L

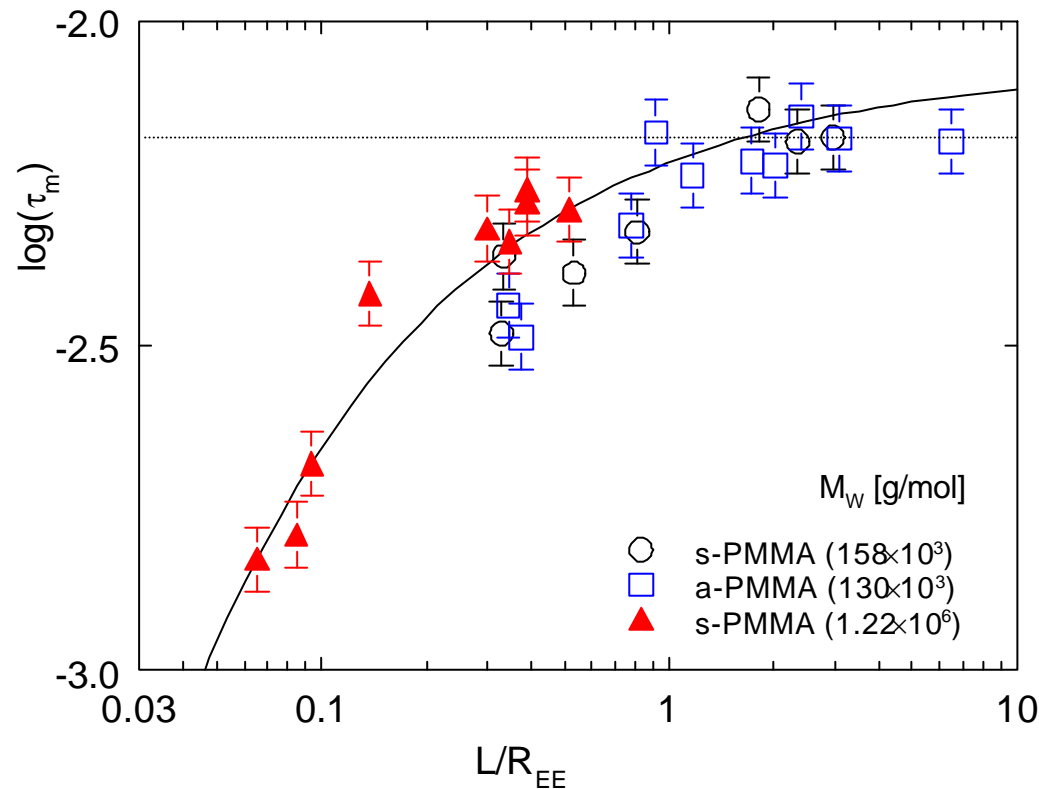


## Again, isotactic PMMA, **b**-process



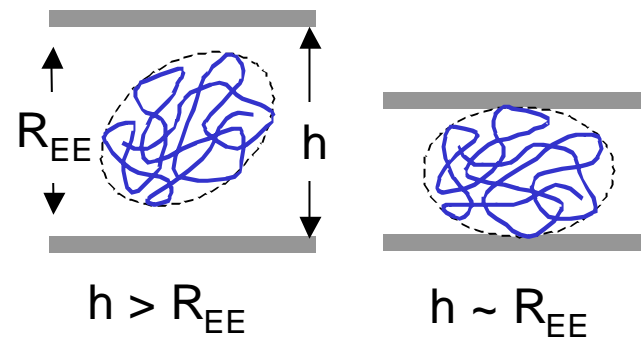
- Below critical thickness  $L_c \sim 1 - 1.5 R_{EE}$ :
- Continuous decrease of  $\Delta\epsilon_\beta$  toward lower  $L$

## b-process, relaxation time at 35°C

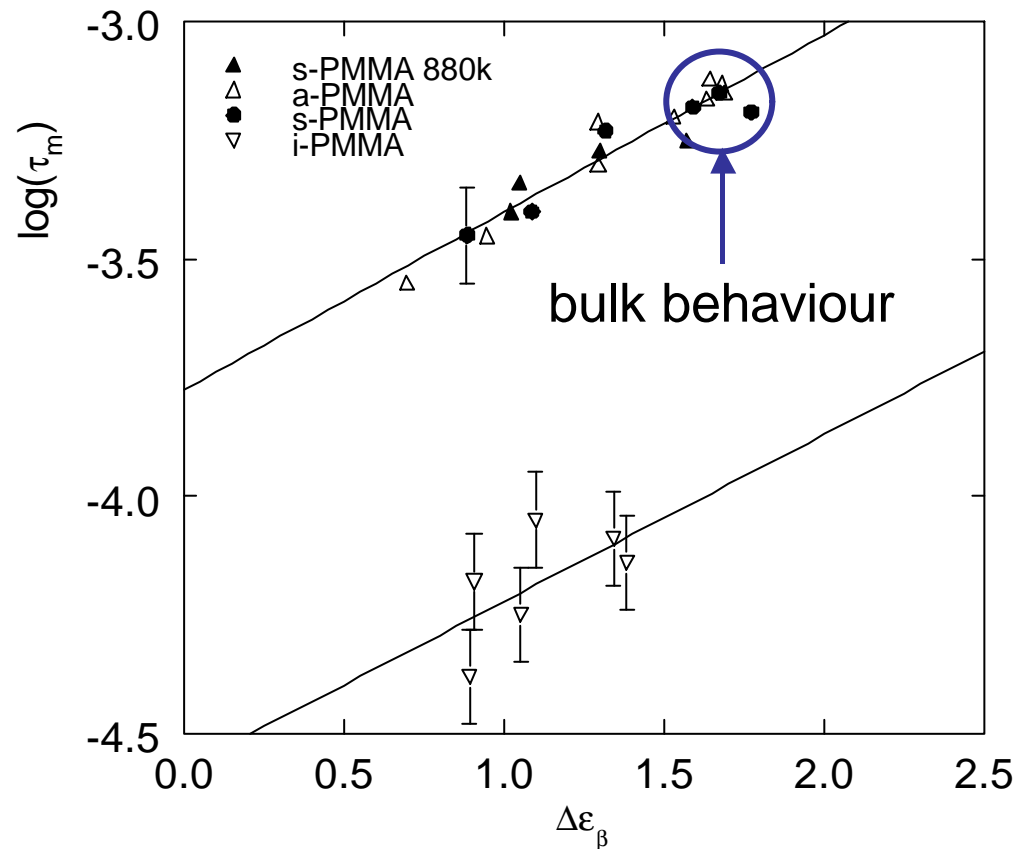


→ speed-up of local dynamics in very thin films

→ scaling with reduced thickness  $L/R_{EE}$



# Correlation between relaxation strength and relaxation rate



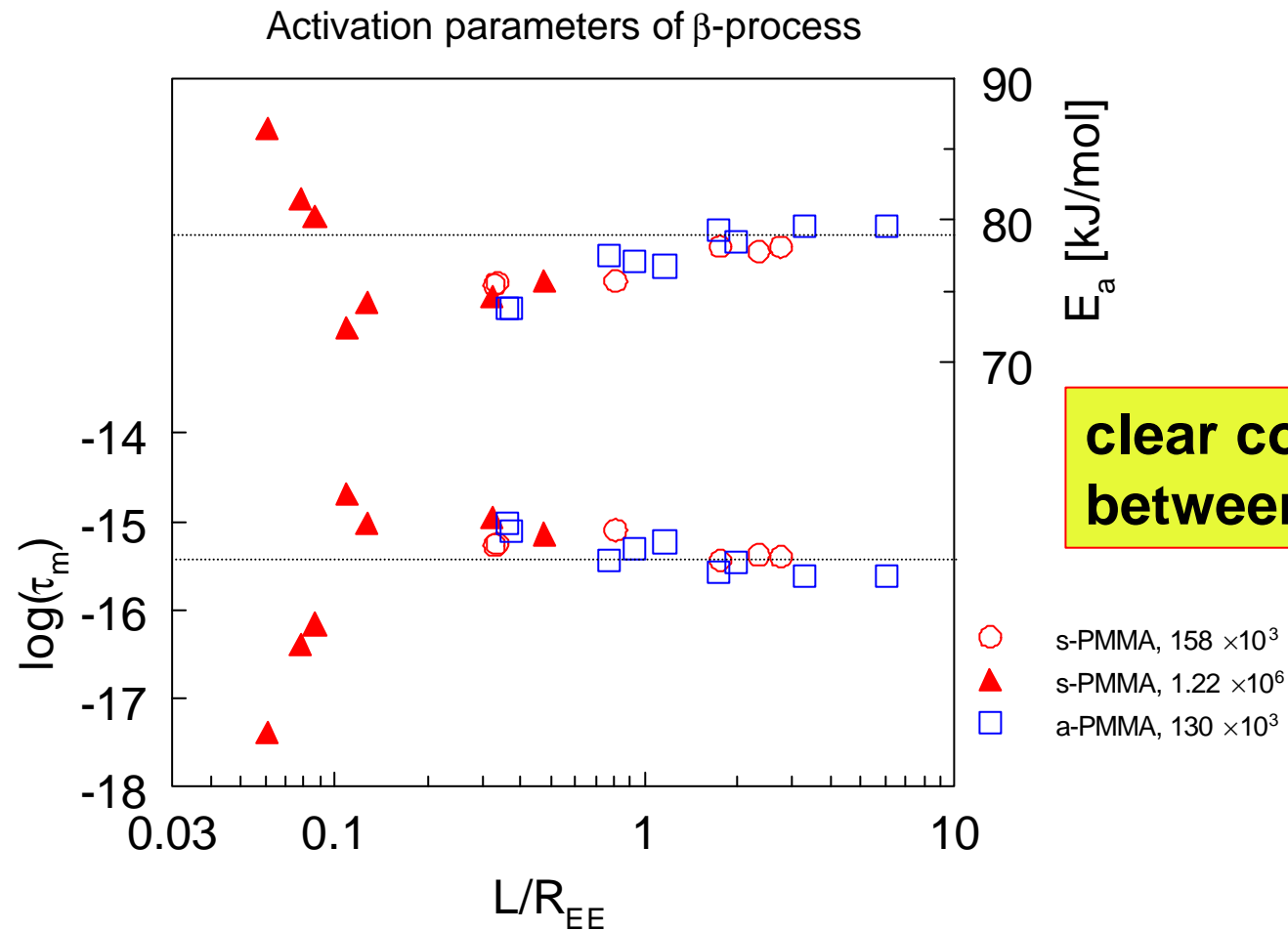
simultaneous changes of  $\Delta\epsilon_\beta$  and  $\log(t_b)$ :

Reduction of amplitude (mean jump angle) of molecular fluctuation  $\rightarrow$  speed-up of dynamics

**Reason:**

changes in the conformation statistics induced by chain confinement

## b-process, activation parameters



**clear correlation  
between  $E_a$  and  $\log(t)$**

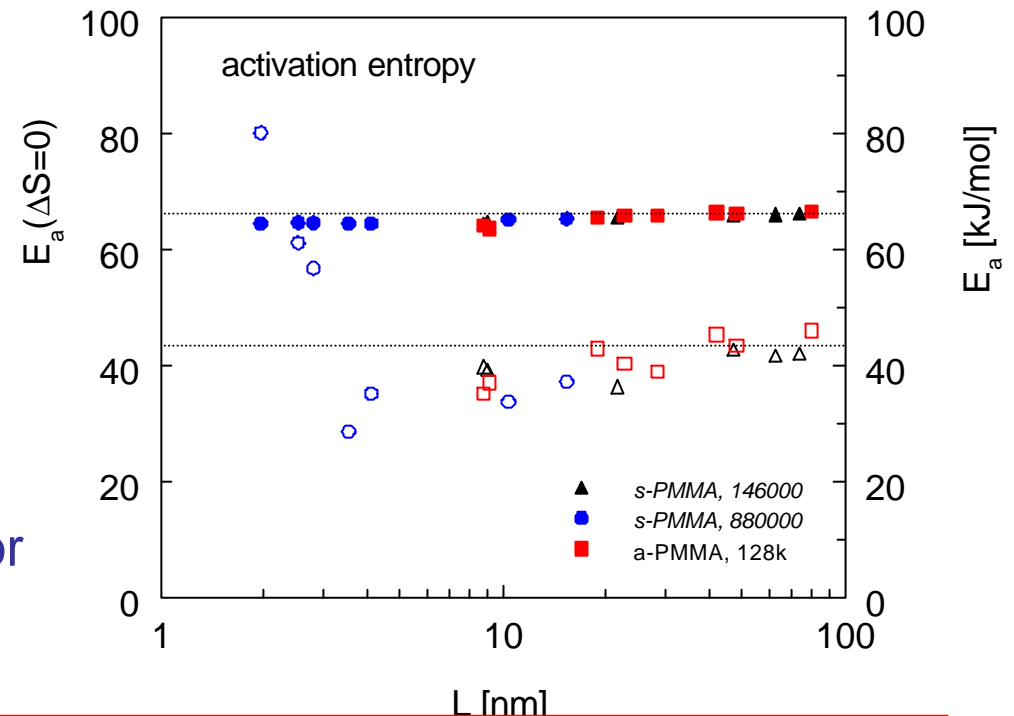
## b-process, quantifying cooperativity

### Starkweather analysis: activation entropy

$$f(T) = \frac{k_B T}{2\pi h} e^{-\Delta H/RT} e^{\Delta S/R}$$

$$E_A = RT \left( 1 + \ln \frac{k_B}{2\pi h} + \ln \frac{T}{f} \right) + T \Delta S$$

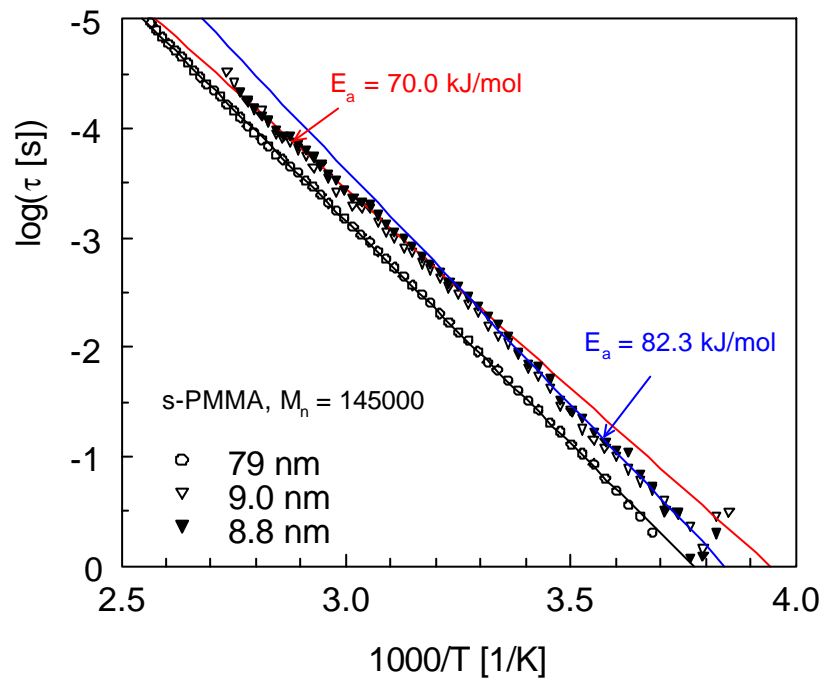
→ Separation of activation entropy from  $E_a$  as a measure for degree of cooperativity



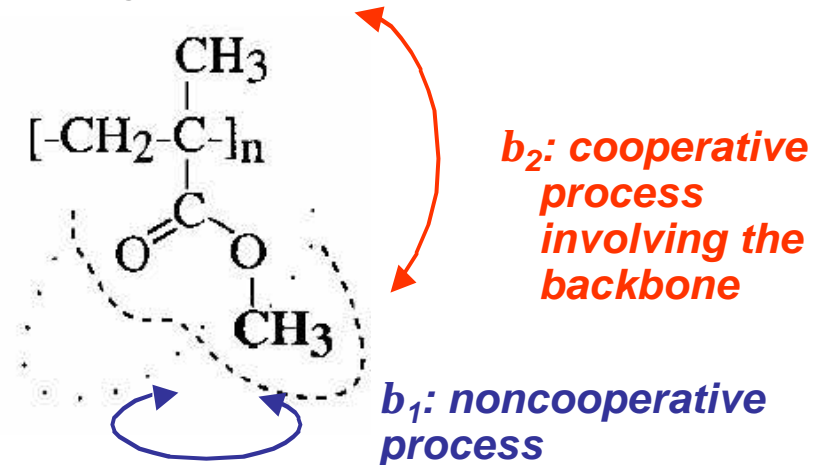
→ dominant role of the activation entropy in thickness effects on the  $\beta$ -process.



# A refined analysis of the dielectric **b**-process



Kulik et al., (multidim. NMR)  
Bonagamba et al., (CODEX-NMR)

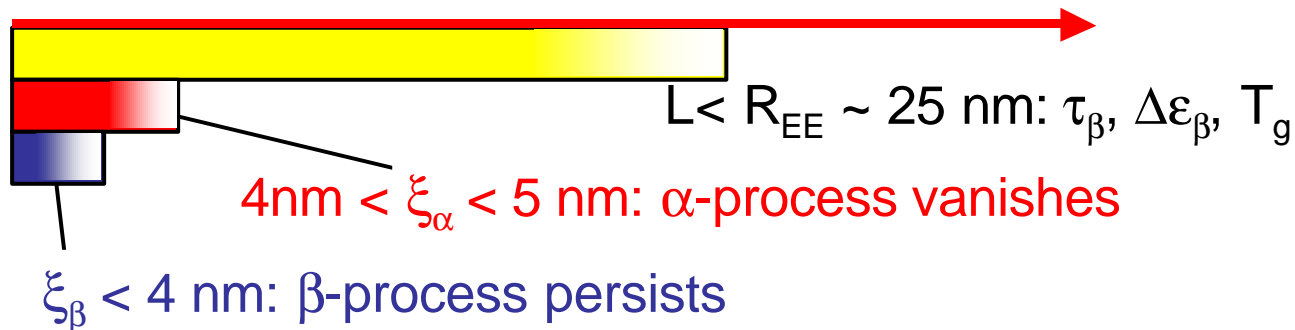


**Chain confinement ( $L < R_{EE}$ ):**

**Suppression of (large scale) cooperative component of dielectric **b**-process**

## Summary dielectric results on PMMA

- DRS study on PMMA reveals two mechanisms that affect the glass transition temperature in supported PMMA-films:
  - **chain confinement** which speeds-up the  $\beta$ -process together with the  $\alpha$ -process
  - a "true" **finite size effect** which is related to the cooperativity length of the glass transition
- DRS results revealed three characteristic length scales:



## **b**-process of PMMA: further considerations

changes in **b**-process  $\leftrightarrow$  changes in conformational statistics

What does the **b**-process senses?

stretching of polymer chains  $\rightarrow$  increase of trans conformations

coiling of chains  $\rightarrow$  increase of gauche conformations

**Polymer theory:**

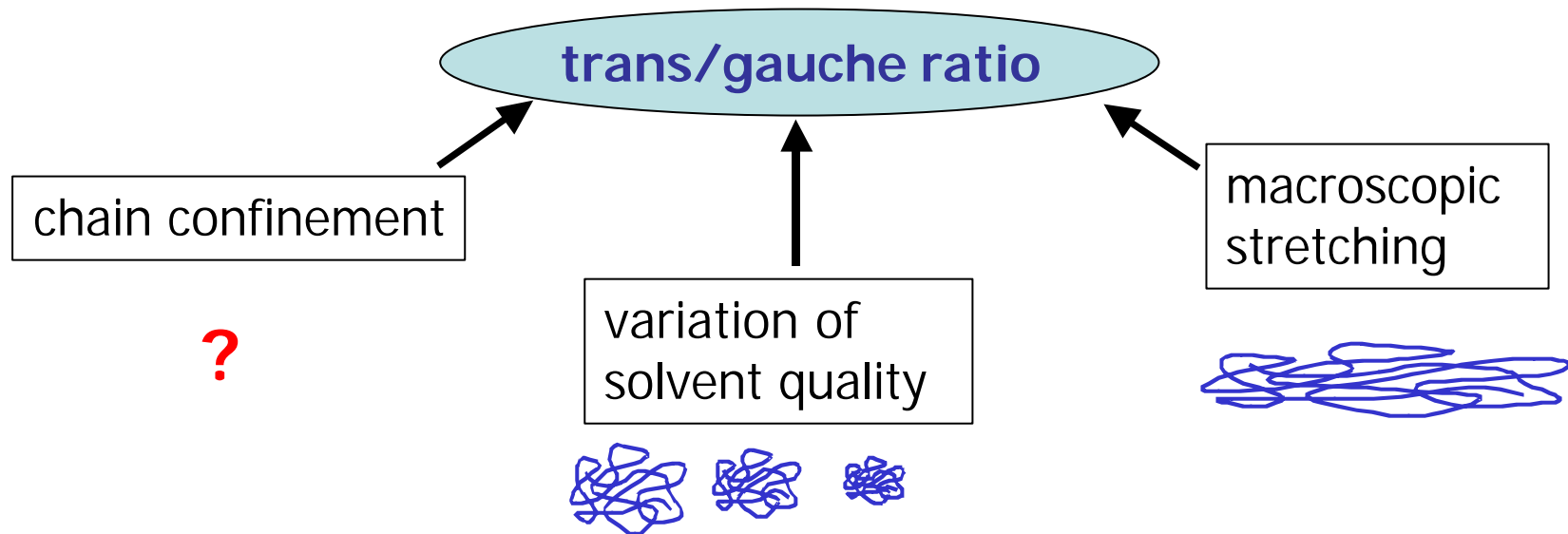
hardly any change in conformational and orientational statistics expected as long  $L > L_p$  (persistence length)



**However, hold only for thermal equilibrium!**

## b-process of PMMA: further considerations

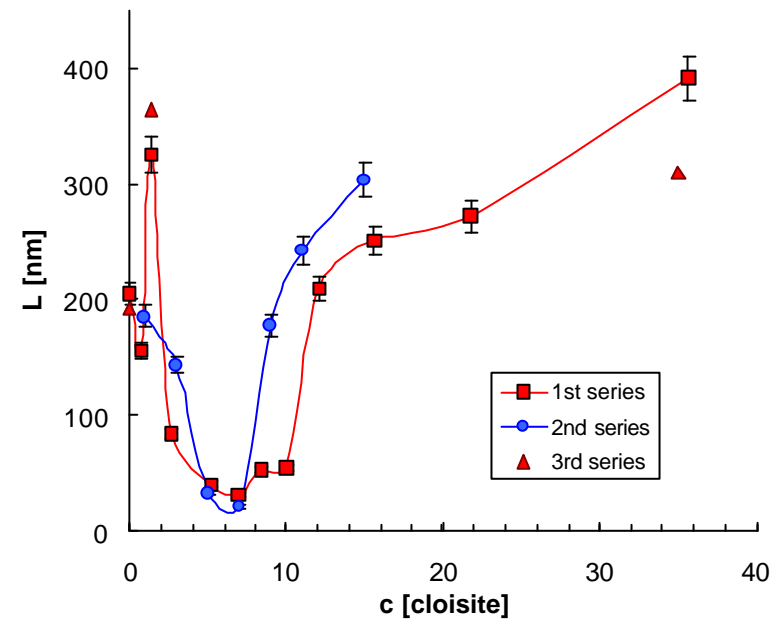
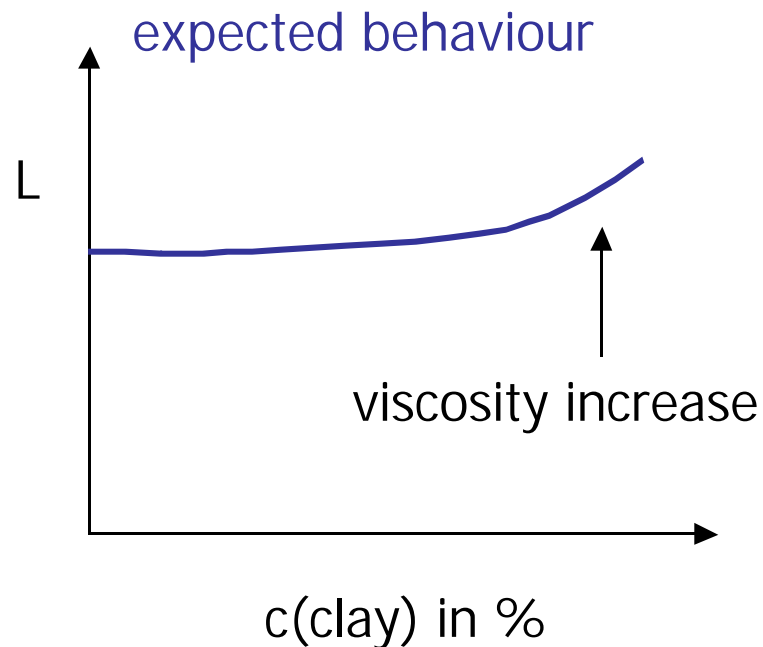
→ **additional experiments required** to establish relation between dielectric  $\beta$ -relaxation and conformational statistics



Very recent experiments on i-PMMA/cloisite nanocomposites

## i-PMMA/clay nanocomposites

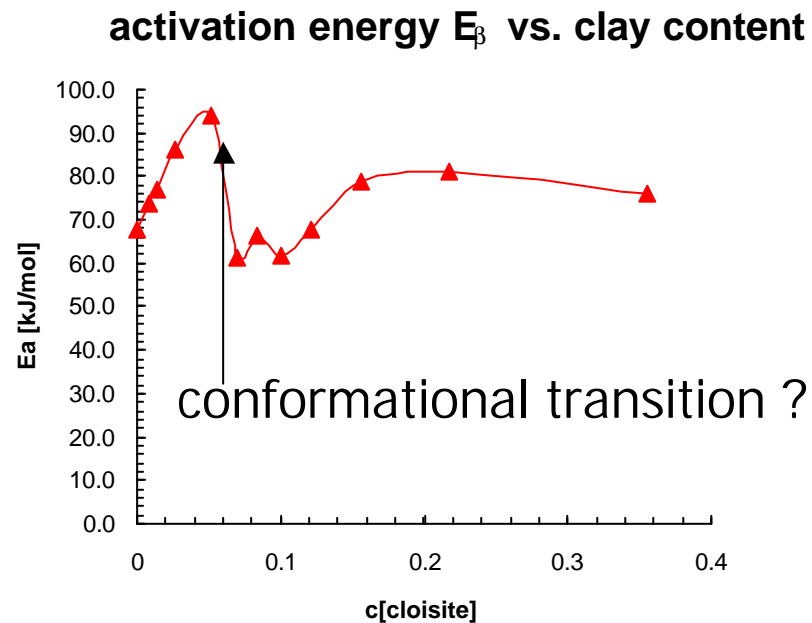
- Solutions of i-PMMA and cloisite in chloroform
- varying content of clay: 0 – 35wt%
- spin-coating of solutions, envisaged film thickness ~ 250 nm



# i-PMMA/clay nanocomposites

## DRS results:

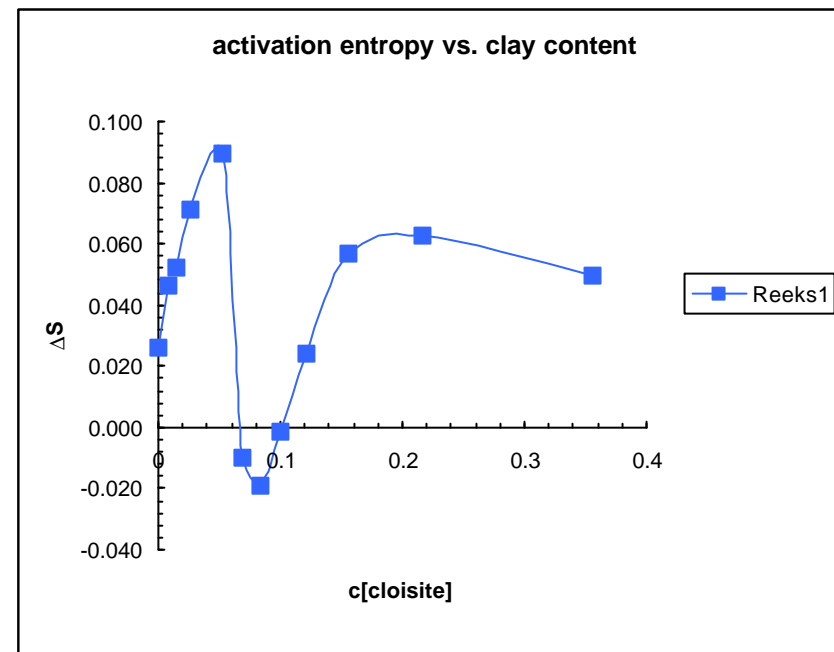
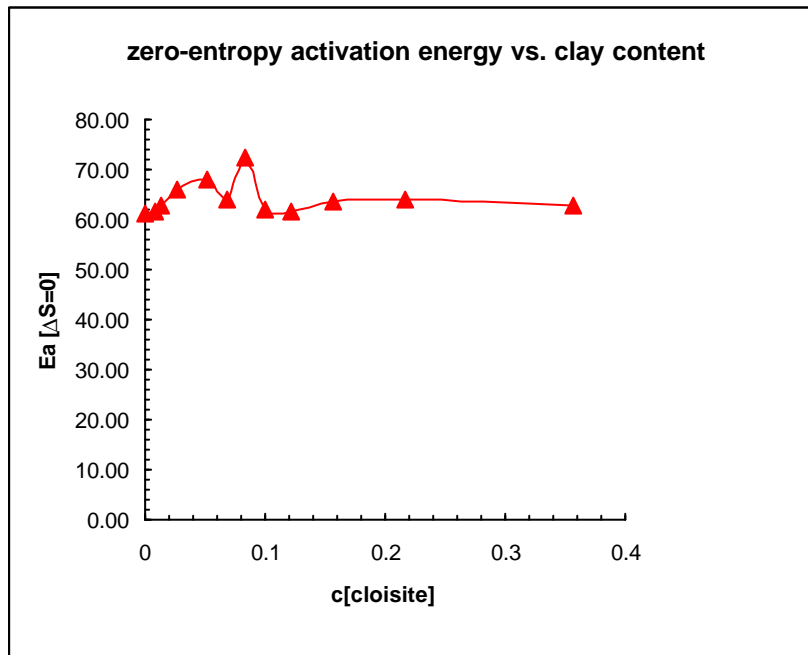
- slow down of  $\beta$ -process at thinnest films
- transition in activation energy



conformational transition  
induced by shear induced  
alignment of clay platelets

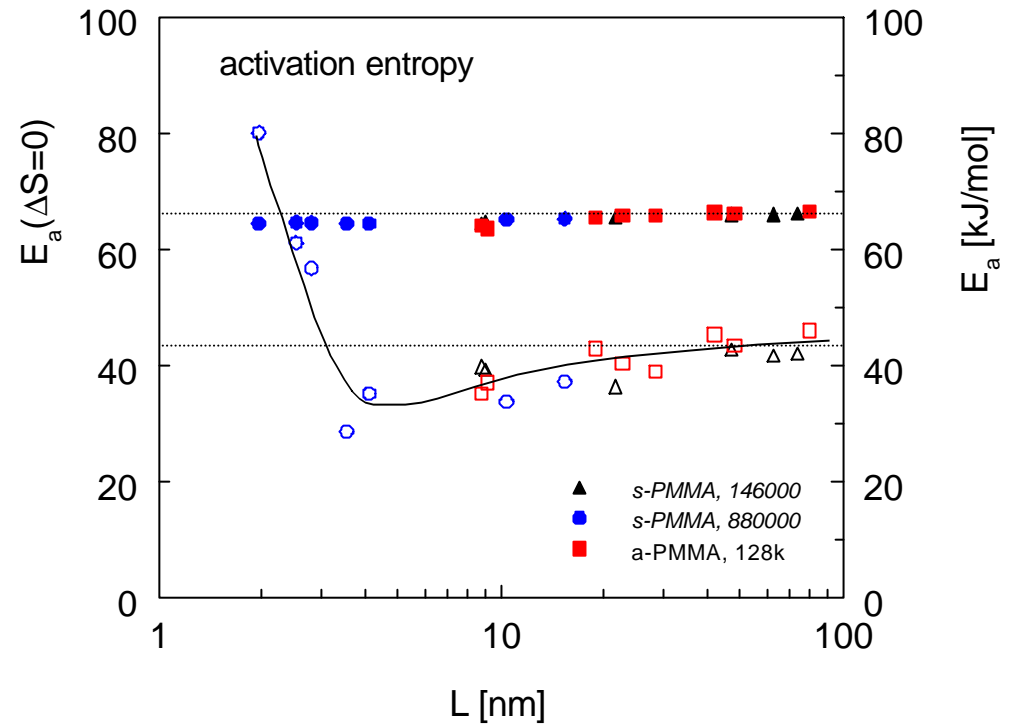
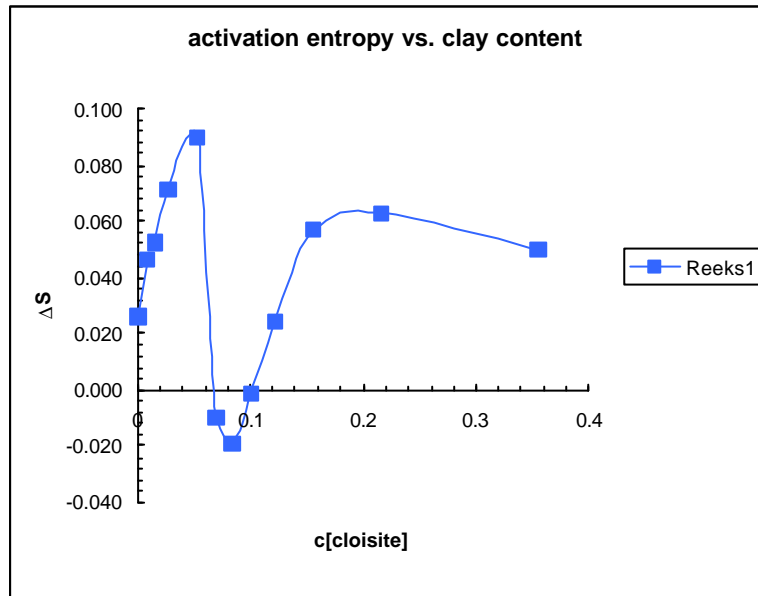
# i-PMMA/clay nanocomposites

## Activation entropy:



$\beta$ -process makes transition from **increasingly cooperative** relaxation to **non-cooperative** relaxation

# i-PMMA/clay nanocomposites



## Conclusions:

- chain stretching causes increase of  $\Delta S_\beta$  (gauche  $\rightarrow$  trans)
- thin film confinement decreases  $\Delta S_\beta$  (trans  $\rightarrow$  gauche)



# i-PMMA/clay nanocomposites

What do we really see?

stretching of polymer chains

coiling of chains

increase of **trans conf.**

increase of **gauche conf.**

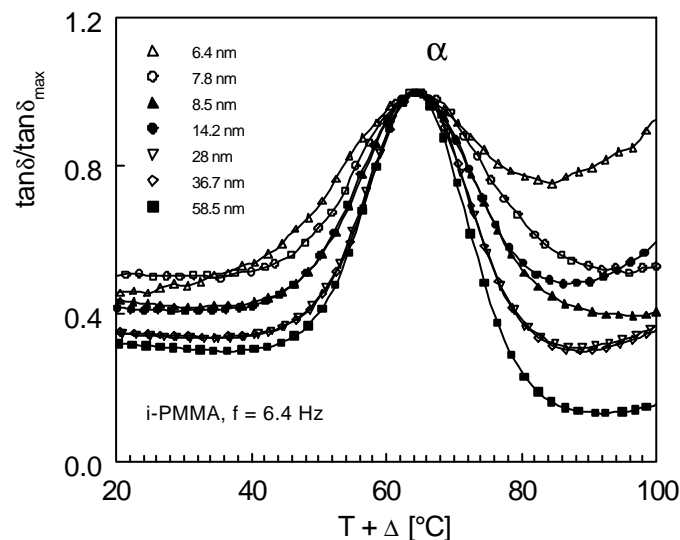
Reason:

drying of spin-coated polymer films in vitrified state  
causes chain collapse

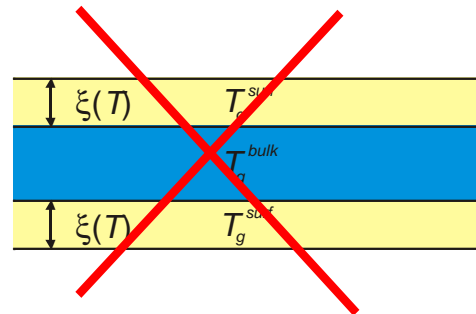
## Back to initial questions

### Q1: mobility profile in thin PMMA films

DRS results on ultrathin PMMA films  
( $6.4 < L < 100$  nm):



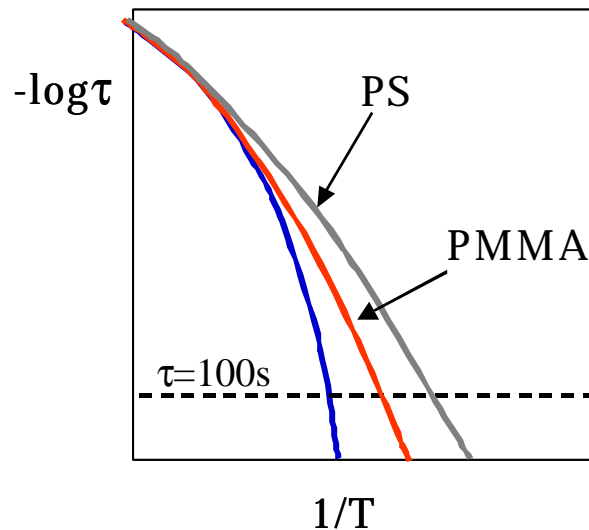
- continuous  $\alpha$ -peak broadening implies gradual enhancement of mobility towards film surface
- no hint for sharp 2-layer scenario



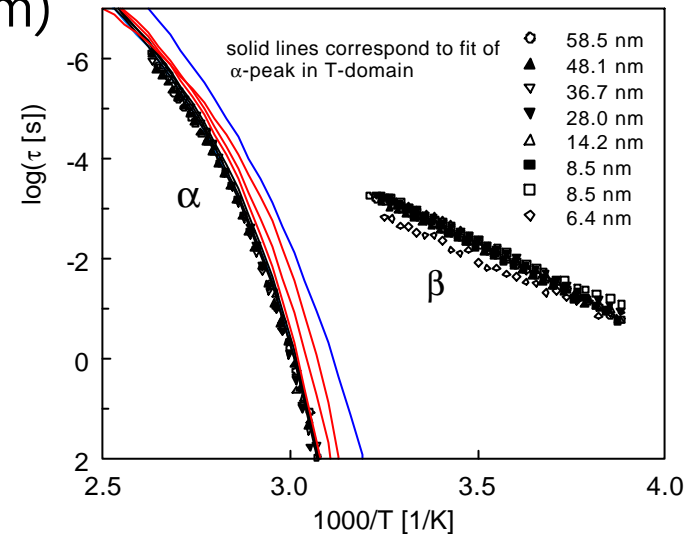
## Back to initial questions

### Q2: "fragility" hypothesis:

Our initial assumption:

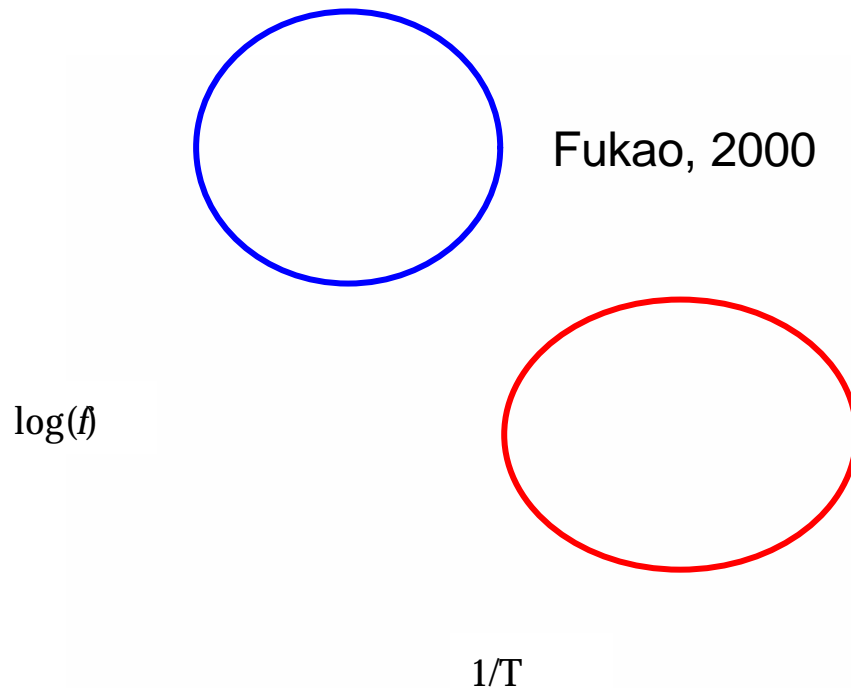


DRS results on ultrathin PMMA films ( $>6.4\text{nm}$ )



**For PMMA, no substantial change in fragility found**

## What happens with PS?



Results from Fukao apparently confirm **decrease in fragility** for ultra-thin PS films

**Problem:**  
relaxation data originate from two different techniques

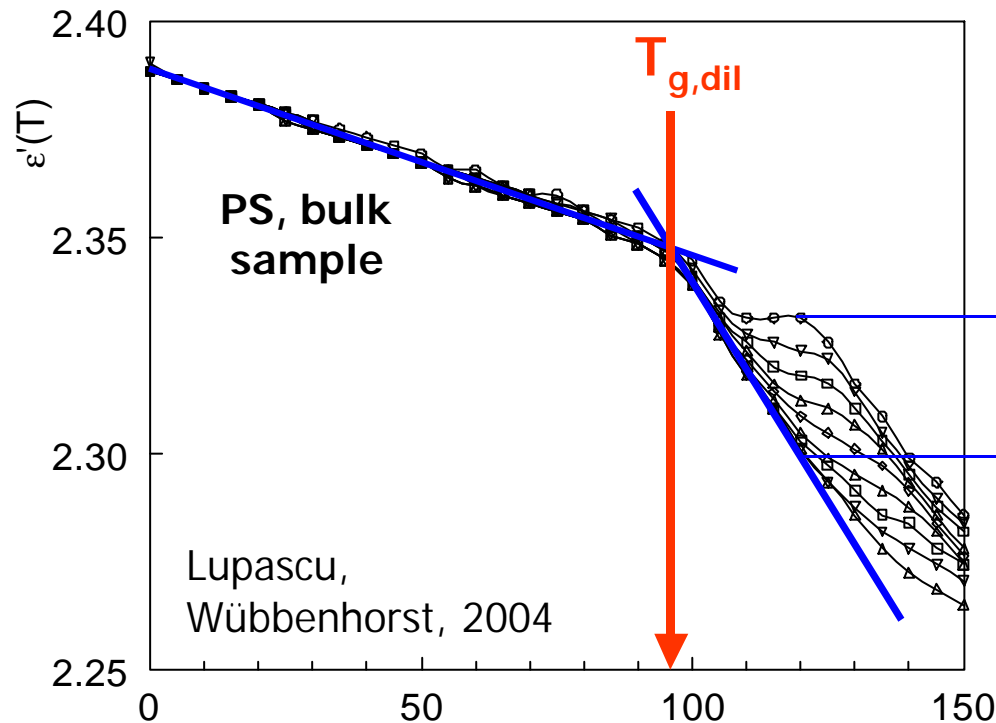
**thermal expansion spectroscopy**

**dielectric spectroscopy**

**Equivalence of dielectric relaxation data and volume expansion assumed !**

# Dielectric measurements on PS thin films:

2 experiments in one:

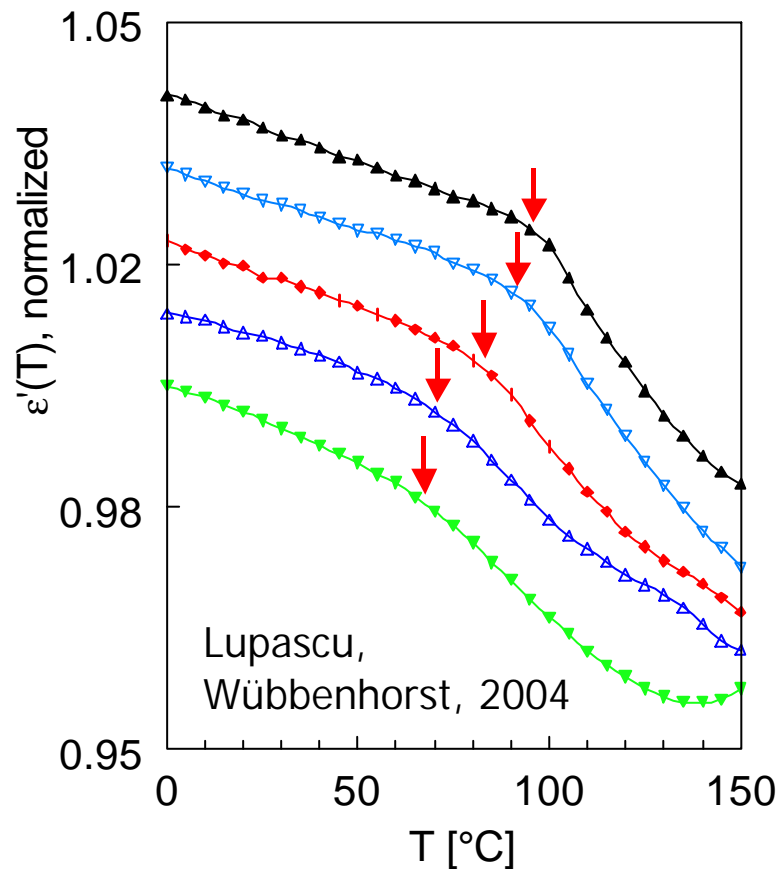


**Kink in  $\epsilon'(T)$**  marks change from liquid expansivity to expansivity of the glass  $\rightarrow T_{g, dil}$

**Step in  $\epsilon'(T)$**  at  $T > T_g$  due to dielectric  $\alpha$ -relaxation  
 $\rightarrow$  frequency dependent

- Capacitive dilatometry  $\rightarrow a_v(T)$
- Dielectric spectroscopy  $\rightarrow t_a(f, T)$

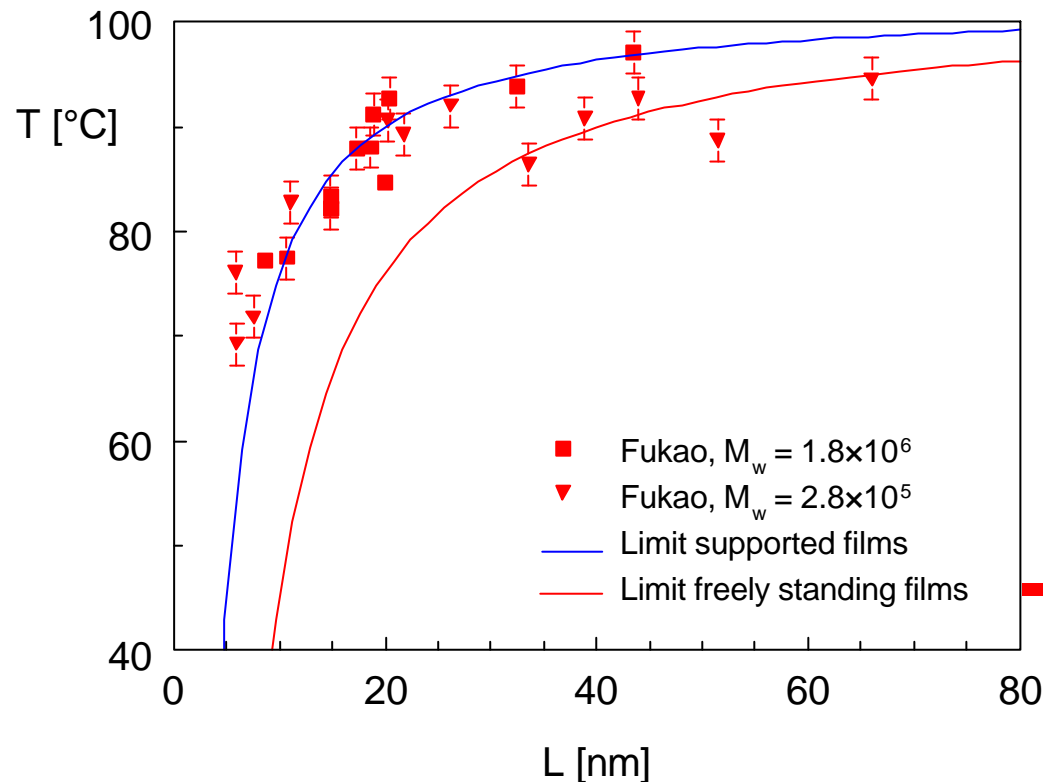
# Capacitive dilatometry on ultra-thin PS films



- **Systematic reduction of  $T_{g,dil}$**  with lower film thickness
- **Broadening** of volumetric glass transition at lowest film thicknesses

# Capacitive dilatometry on ultra-thin PS films

## Fukao's results (PRE 2000)



$T_g$  reductions from capacitive dilatometry in good agreement with typical literature data (blue line)

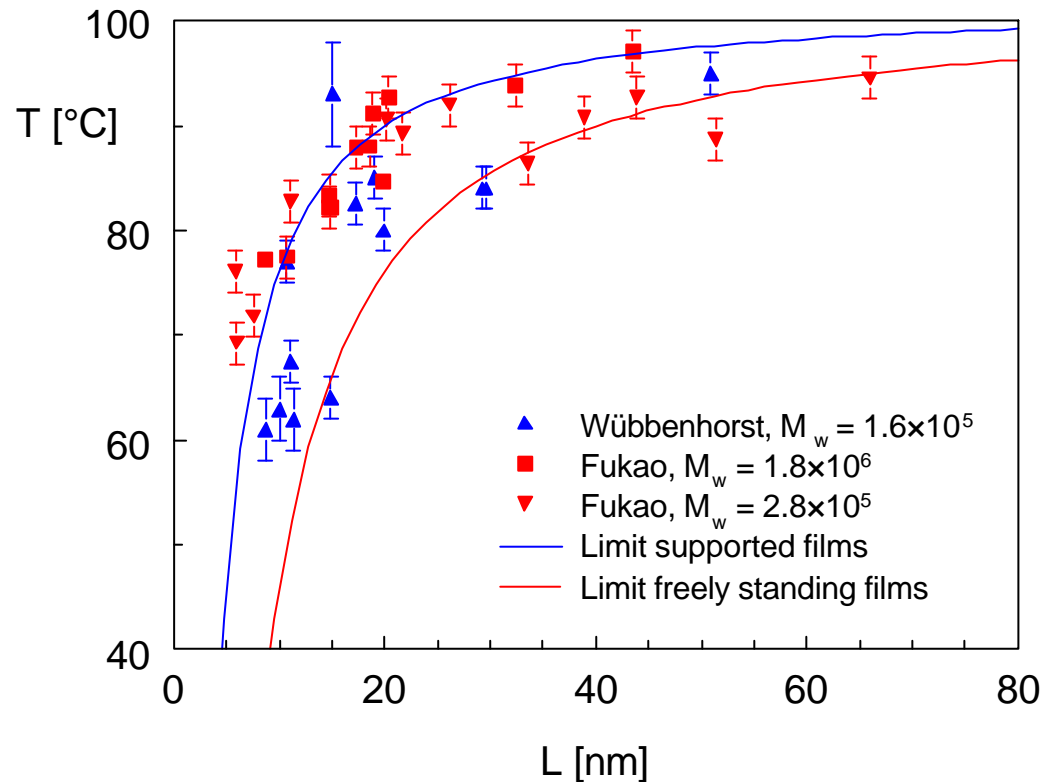
→ Al/polymer/Al sandwich samples behaves like films having 1 free surface.



Asymmetric electrode system – interface between top electrode and polymer film mimics free surface

# Capacitive dilatometry on ultra-thin PS films

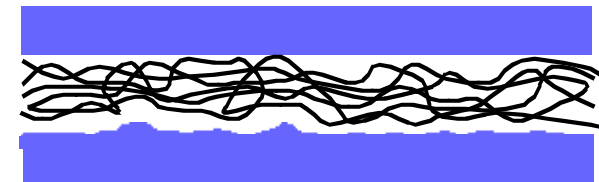
## Comparison of recent own data with Fukao's results



**Larger  $T_g$ - reductions found for same film thickness than Fukao**

→  $T_g$ -reductions partially close to values known for freely standing PS films

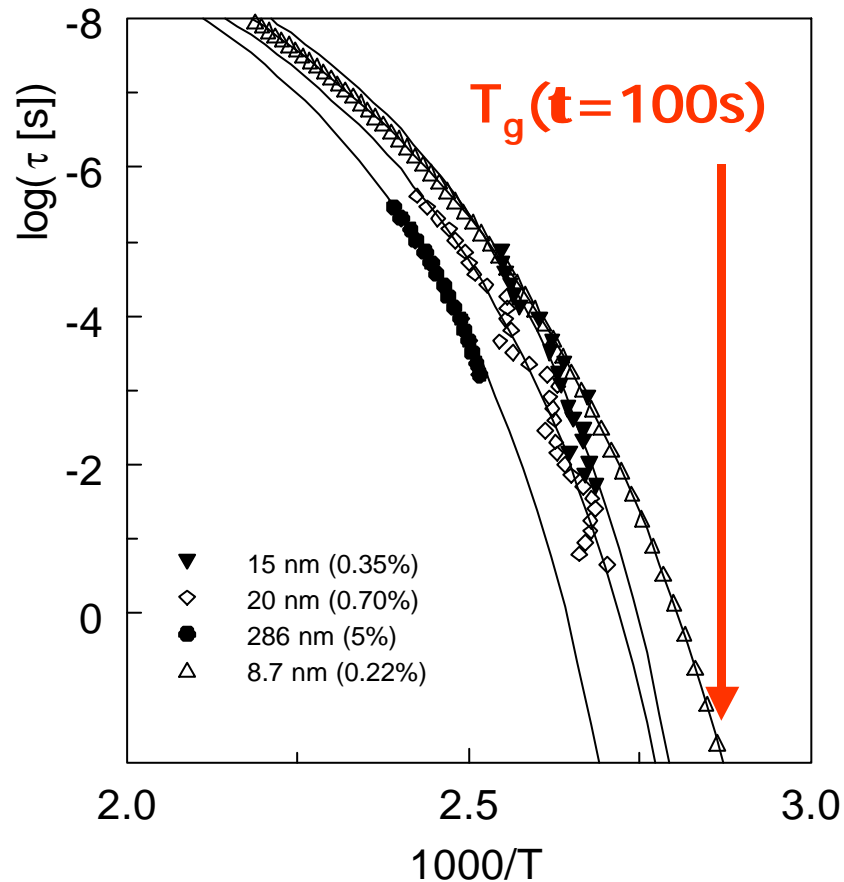
Possible reason:



Our Al-polymer-Al sandwich films mimics freely standing geometry to some extent (reduced surface roughness of lower Al-layer)



# Glass transition temperature from $\alpha$ -process



$T_g$  determination from relaxation time of structural relaxation:

- dielectric  $\alpha$ -process found in PS films as thin as 8.7 nm
- systematic speed-up of  $\alpha$ -process towards lower L

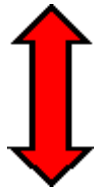
**no substantial changes in fragility !**

# Glass transition temperature from **a**-process

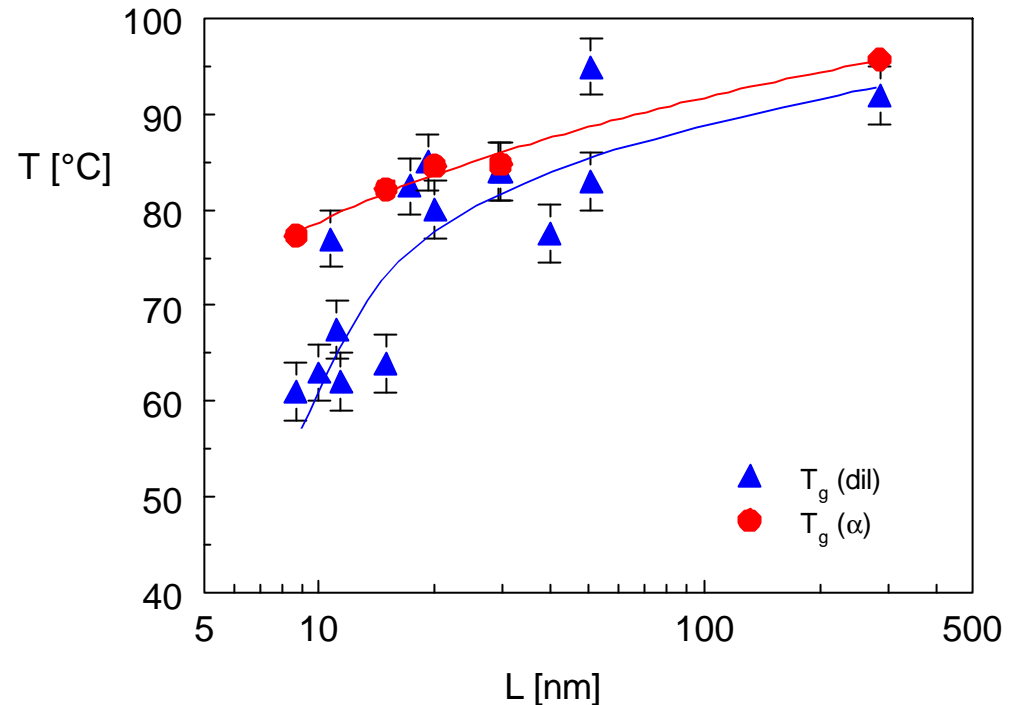
## Comparison of volumetric $T_g$ with $T_g(\mathbf{a})$

PS-film 8.7 nm:

dilatom.  $T_g = 61^\circ\text{C}$



$T_g$  from  $\alpha$ -process:  
 $77.3^\circ\text{C}$



Increasing discrepancy between  $T_g(\text{dil})$  and  $T_g(\alpha)$  for thin PS films

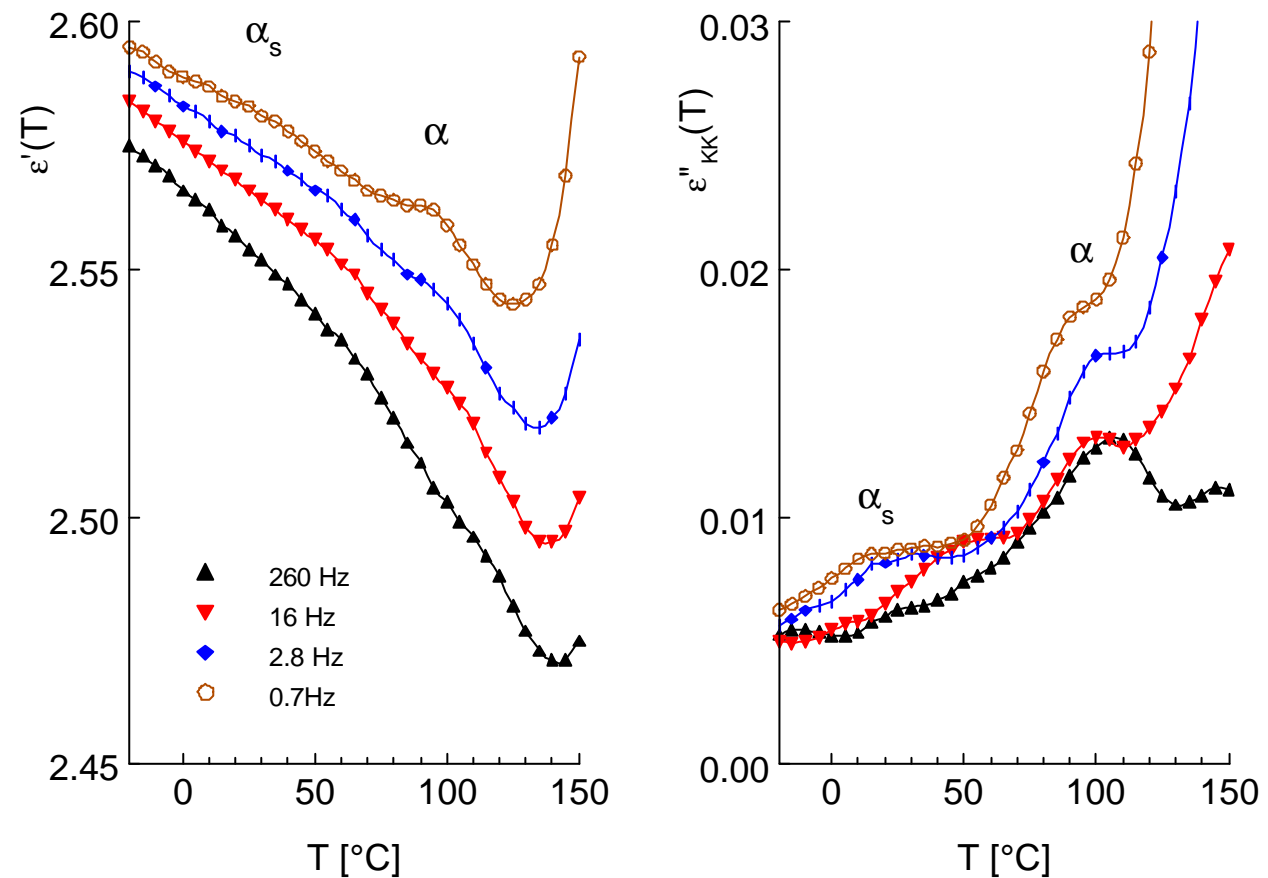
→ **decoupling of volume expansivity from structural relaxation as seen by DRS?**

# Recent DRS results from ultra-thin PS films

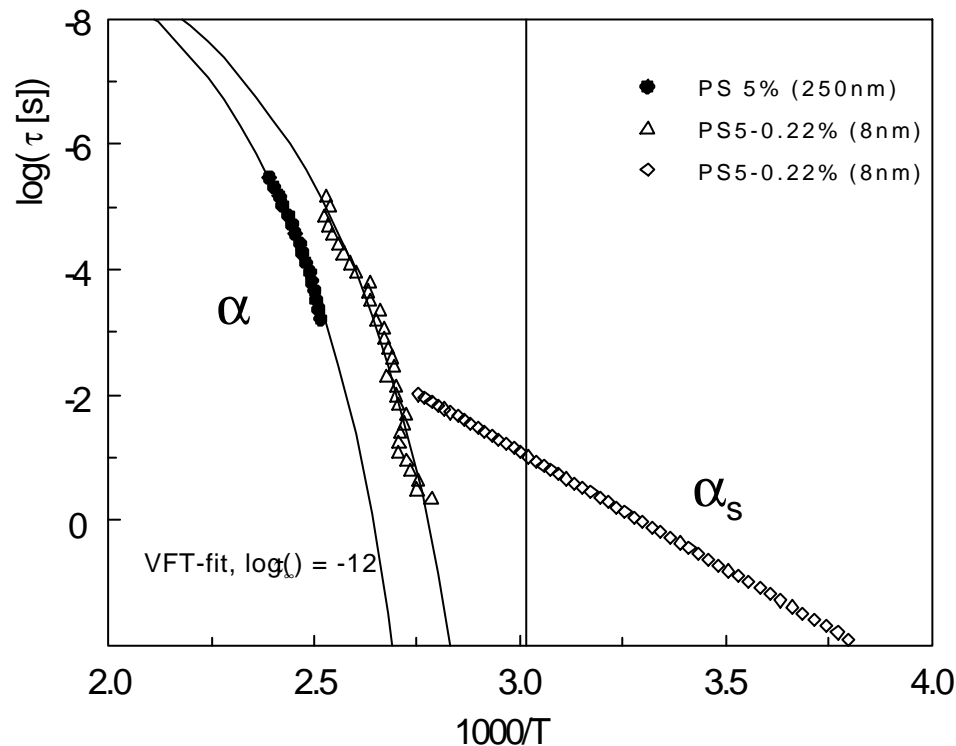
## An additional relaxation process in PS-films with $L < 15$ nm

PS film  $L=8$ nm:

2<sup>nd</sup> dielectric  
process



## Recent DRS results from ultra-thin PS films



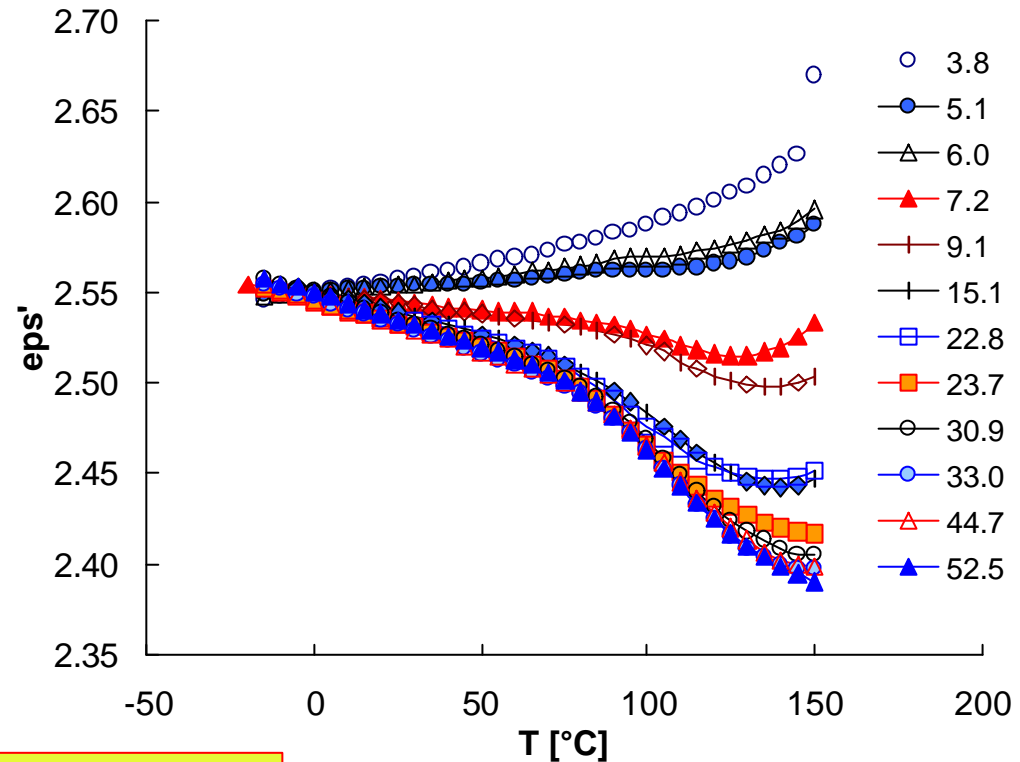
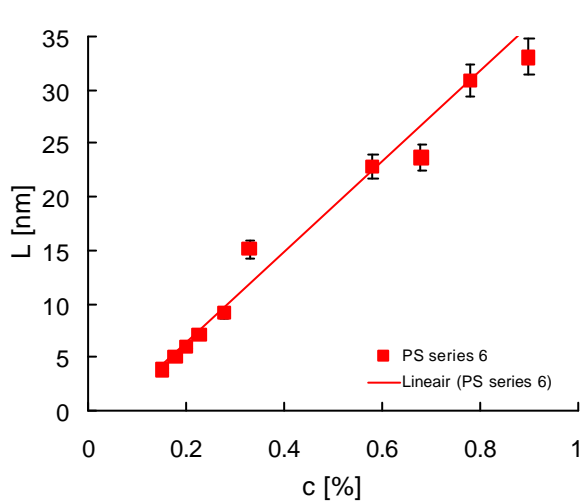
2<sup>nd</sup> dielectric process:  $\alpha_s$

- thermally activated process,  $E_a = 71$  kJ/mol
- non-cooperative ( $\tau_\infty \sim 10^{-12}$ s)

**$\alpha_s$  process most likely related to dynamics in surface layer**  
**direct evidence for 2-layer model (?)**

# Recent DRS results from ultra-thin PS films

New series of PS films: thickness as low as 3.7 nm



**kink in  $\epsilon'(T)$  vanishes for  $L < 5$  nm**

# Conclusions

## Dielectric spectroscopy on ultra-thin films of PMMA and PS revealed

- $T_g$  reductions due to finite size effect
- disappearance of the  $\alpha$ -relaxation at films below 5nm
- $T_g$  effects and changes in local  $\beta$ -relaxation due to **chain confinement**
- PMMA films: changes in the  $\beta$ -relaxation proof existence of **"undersized" polymer coils** in ultra-thin films

## Conclusions (2)

There are clear **differences** in thin film dynamics between PS and PMMA:

- Apparent  $T_g$ -reductions are much larger for PS than for PMMA
- Finite size effect manifests in different way:
  - PMMA: deviation from bulk-VFT behaviour
  - PS: separate relaxations related to core and surface dynamics  
→ layer-like mobility profile confirmed

# Acknowledgments

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