



# Heat dissipation and thermopower in atomic-scale junctions

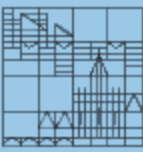
Jun.-Prof. Fabian Pauly  
Poznan, 27.09.2013

Theory of Nanostructures, Department of Physics, University of Konstanz





- **Introduction**
- **Heat dissipation and thermopower in atomic-scale junctions**
  - Motivation
  - Experimental approach
  - Theory
  - Tuning the heating
  - Conclusions
- **Influence of vibrations on electron transport**
  - Method
  - Gold junctions
  - Octane-based junctions
- **Miscellaneous**
  - Plasmon-induced conductance enhancement in single-molecule junctions
  - A current-driven single-atom memory



# Introduction

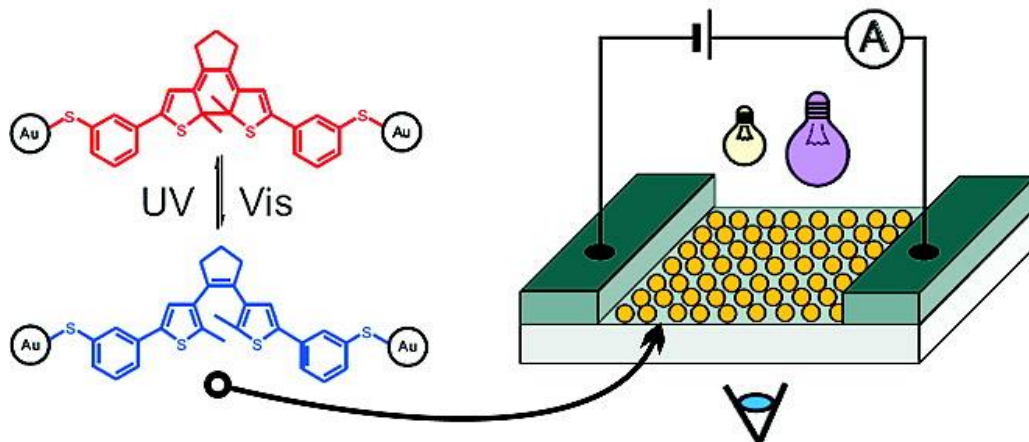


# Visions of molecular electronics

- Limits of miniaturization of electrical circuits
- Functional and possibly cheap devices at the smallest scale
- Understanding of interface-related or interface-dominated electronic behavior

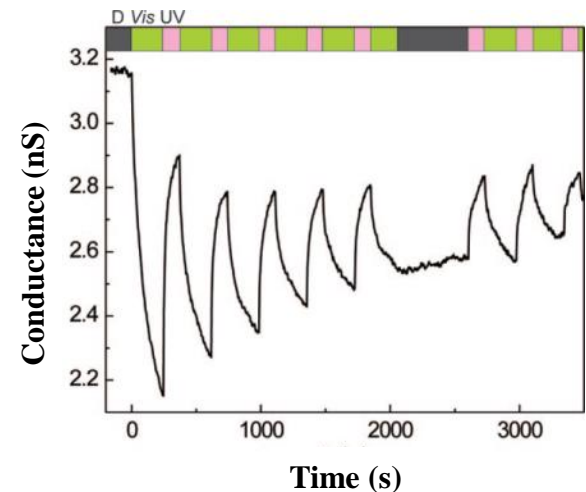
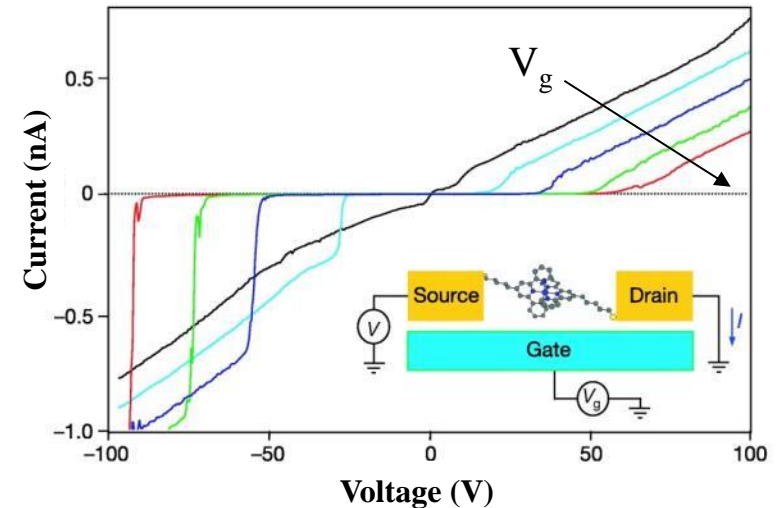
## Molecule-gold nanoparticle array

[S. J. van der Molen *et al.*, Nano Lett. 2009]



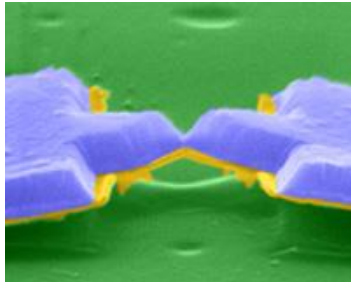
## Single-molecule transistor

[J. Park *et al.*, Nature 2002]

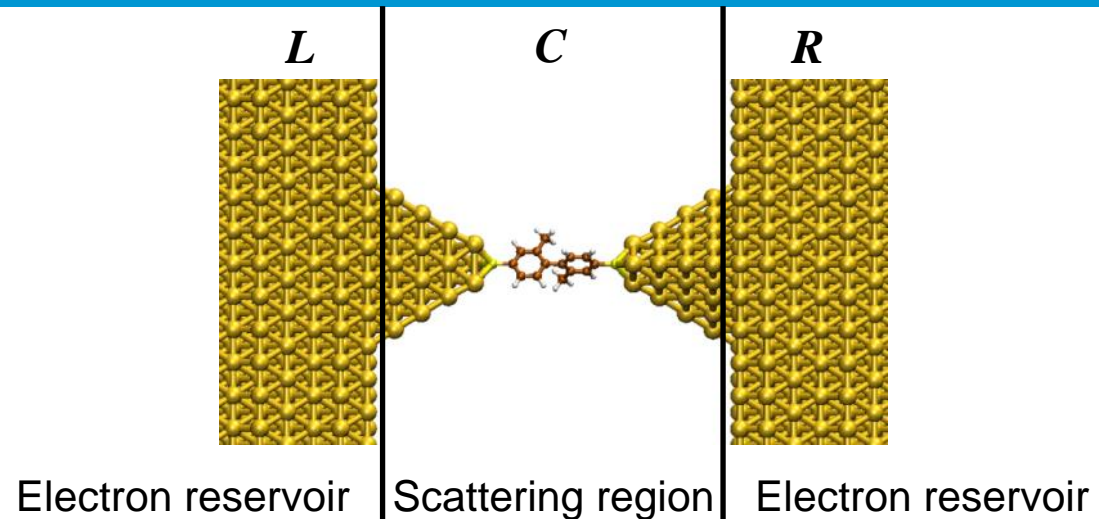




# Atomistic modeling of charge transport



*Real system*



## Goals

- Understand charge transport mechanisms at the molecular scale
- Quantitative description/prediction of charge transport properties

## Challenges

- Material- and molecule-specific *ab-initio* description of the electronic structure; choice (large system size): DFT (**TURBOMOLE**)
- Determination of stable contact geometries (geometry optimization, **TURBOMOLE**)
- Consideration of electrodes and their coupling to the central scattering region  
→ infinite, nonperiodic system
- Description of electric transport  
(Nonequilibrium due to finite bias/current, excitation of vibrations, ...)



# Landauer scattering theory and Green's functions

Conductance

$$G = G_0 \tau(E_F) = G_0 \text{Tr}[tt^\dagger] = G_0 \sum_i \tau_i$$

Transmission matrix

$$t(E) = \sqrt{\Gamma_L(E)} G_{CC}^r(E) \sqrt{\Gamma_R(E)}$$

Conductance quantum  $G_0 = 2e^2 / h$

Green's function

$$G_{CC}^r = (ES_{CC} - H_{CC} - \Sigma_L^r - \Sigma_R^r)^{-1}$$

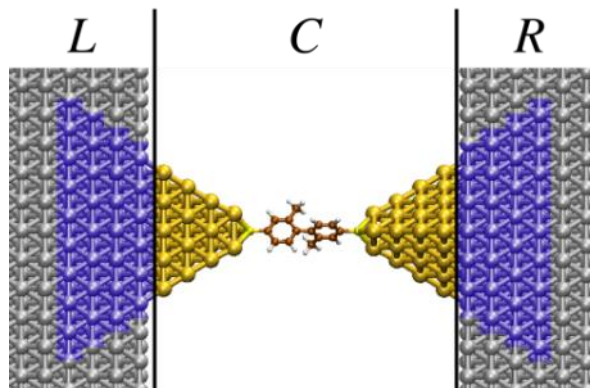
Self energies ( $X=L,R$ )

$$\Sigma_X^r = (H_{CX} - ES_{CX}) g_{XX}^r (H_{XC} - ES_{XC})$$

Linewidth broadening matrix  $\Gamma_X = -2 \text{Im}[\Sigma_X^r]$

## Cluster-based ansatz

[F. Pauly *et al.*, New J. Phys. 10, 125019 (2008)]



$$\Sigma_L^r$$

$$\uparrow$$

$$g_{LL}^r$$

$$\Sigma_R^r$$

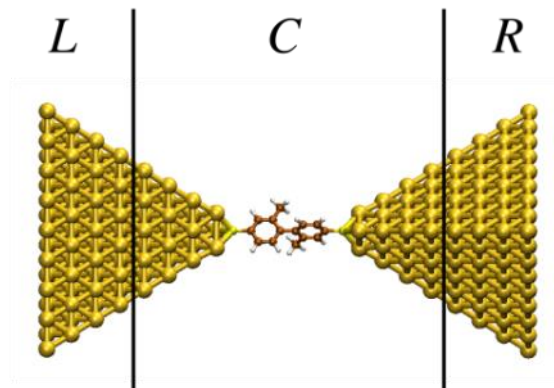
$$\uparrow$$

$$g_{RR}^r$$

$$\leftarrow S_{CC}, H_{CC}$$

$$S_{CL}, H_{CL}$$

$$S_{CR}, H_{CR}$$



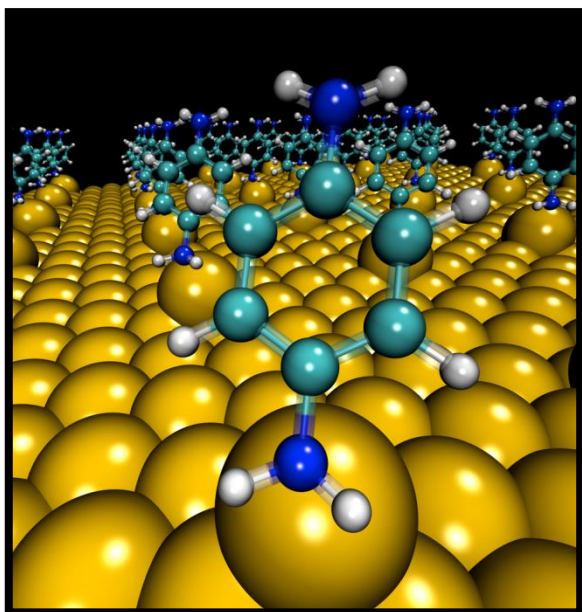
$$S^{ECC}, H^{ECC}$$

“DFT+NEGF”

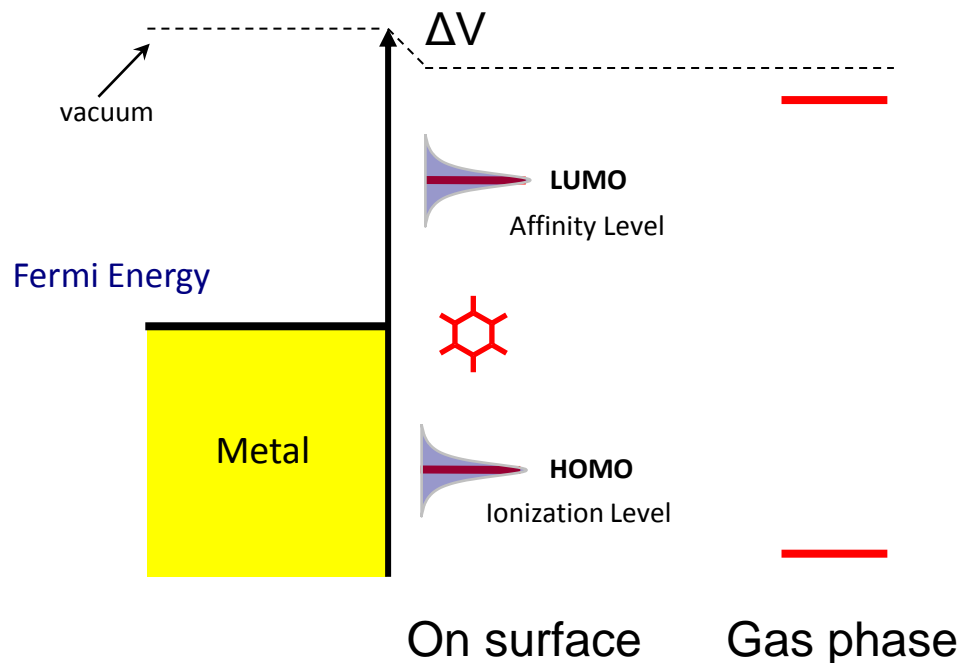
TURBOMOLE@work



## Metal-molecule contact



## Energy level diagram



## Physical effects influencing level alignment

- Interfacial charge rearrangement
- Quantum mechanical coupling
- Nonlocal surface polarization

## Spectral adjustment: “DFT+ $\Sigma$ ”

S. Y. Quek *et al.*, Nano Lett. 7, 3477 (2007)

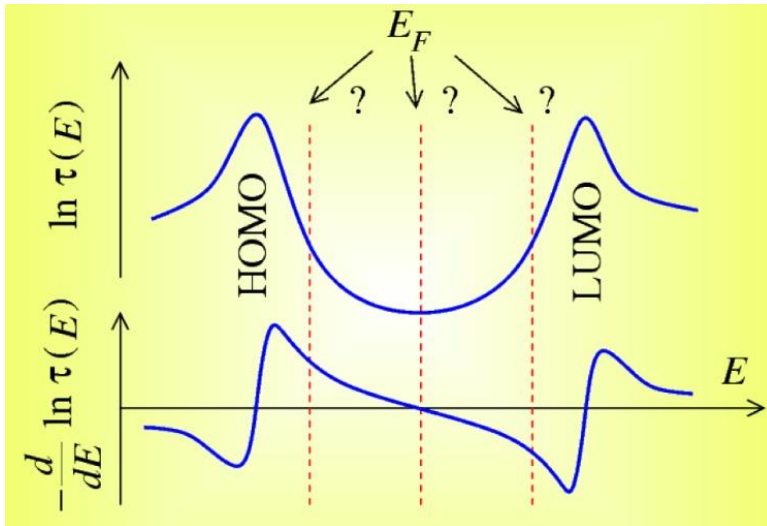
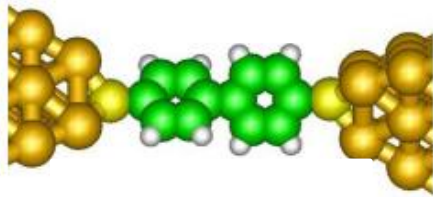
## GW quasiparticle methods

M. Strange *et al.*, PRB 83, 115108 (2011).



# Why thermopower?

## Seebeck effect



M. Paulsson *et al.*, PRB 2003

## Landauer-Büttiker formalism

**Thermopower** (electronic contribution):

$$S = -\left. \frac{\Delta V}{\Delta T} \right|_{I=0} \approx -\frac{\pi^2 k_B}{3e} k_B T \left. \frac{\partial \ln(\tau(E))}{\partial E} \right|_{E=E_F}$$

- Sign of  $S$  distinguishes “*electron type*” and “*hole type*” conduction; hint to position of  $E_F$  with respect to HOMO and LUMO

Experiments (Segalman/Majumdar, Berkeley)

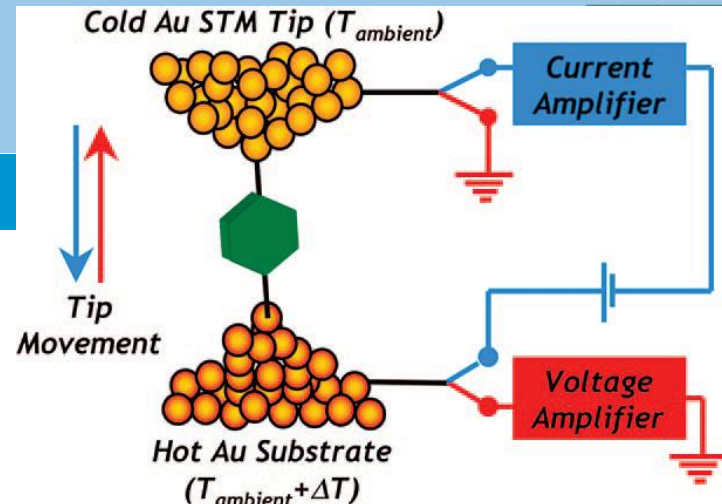
- P. Reddy *et al.*, Science 315, 1568 (2007)
- J. A. Malen *et al.*, Nano Lett. 9, 1164 (2009)

Recently also other groups

- J. R. Widawsky *et al.*, Nano Lett. 12, 354 (2012)
- C. Evangelini *et al.*, Nano Lett. 13, 2141 (2013)
- S. Guo *et al.*, Nano Lett. 13, 4326 (2013)

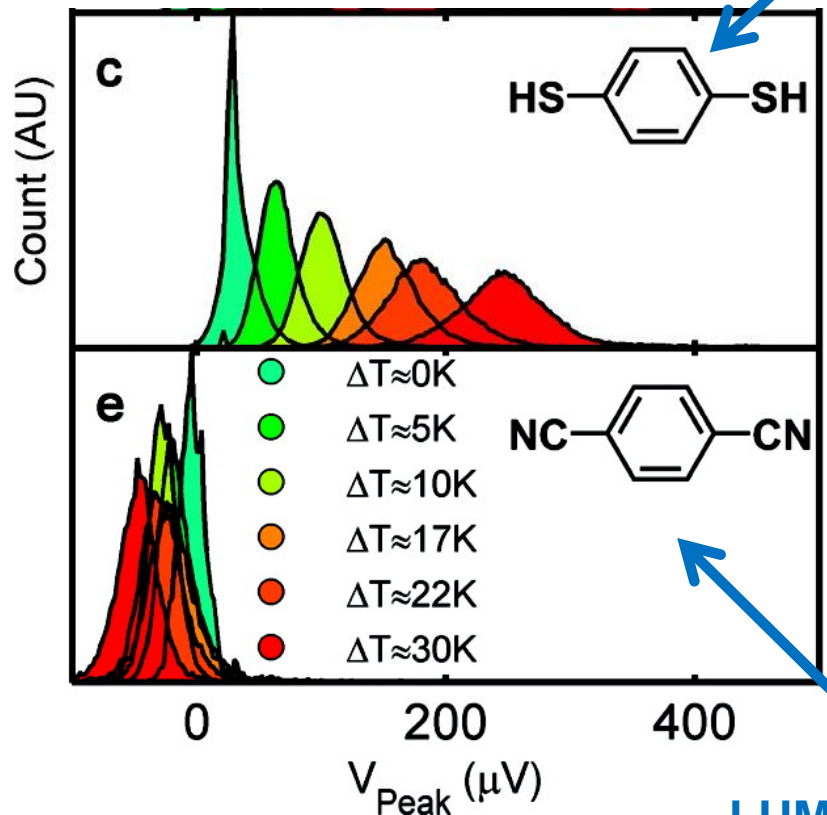


# HOMO- vs. LUMO-Transport

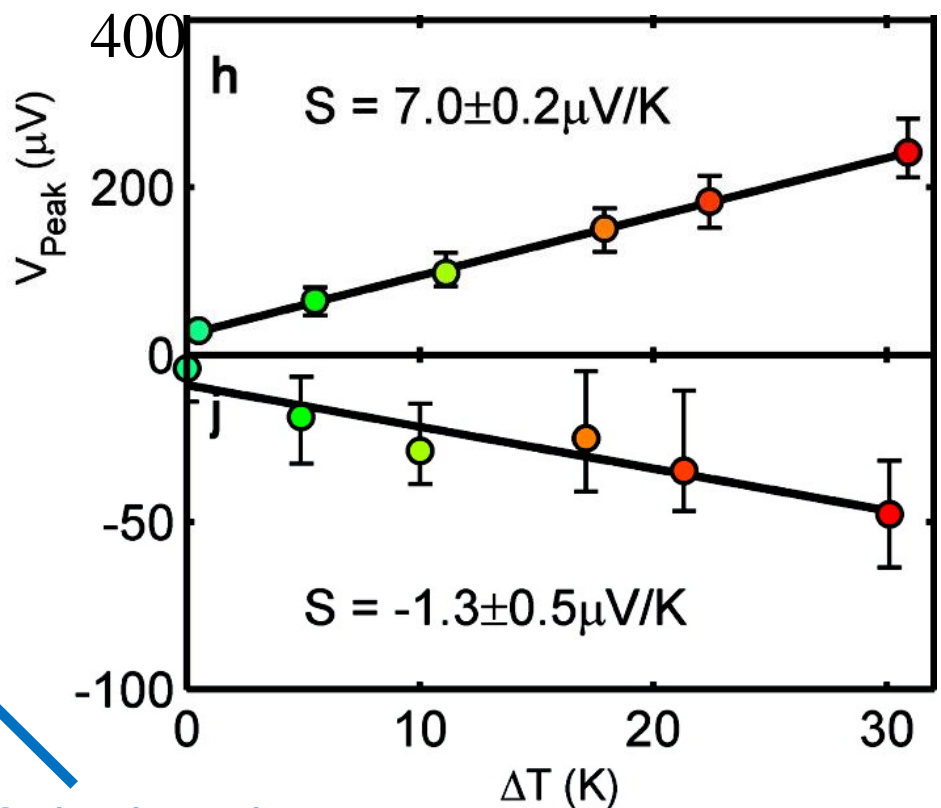


[K. Baheti et al., Nano Lett. 2008]

HOMO dominated

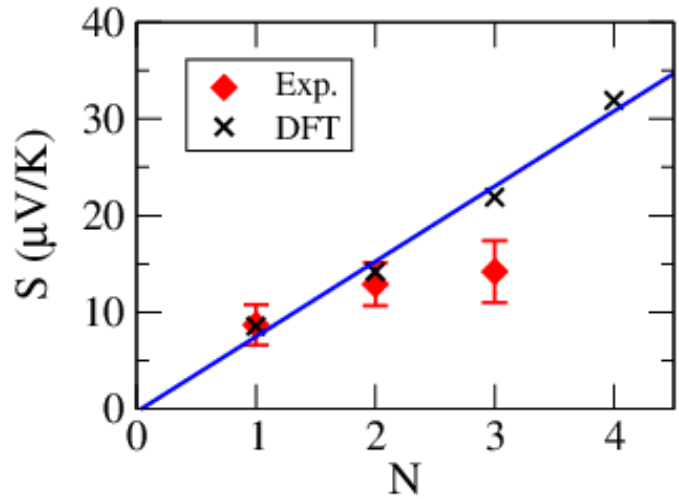


LUMO dominated





# Theoretical studies of the thermopower



## Length dependence

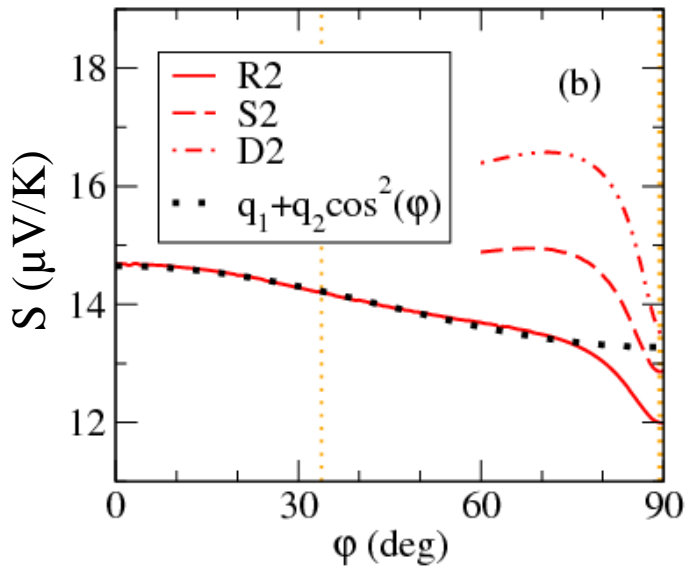
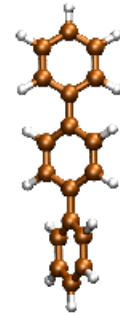
$$\tau(E) \approx \alpha(E) \exp(-\beta(E)N)$$

$$S = S^{(0)} + S^{(1)}N$$

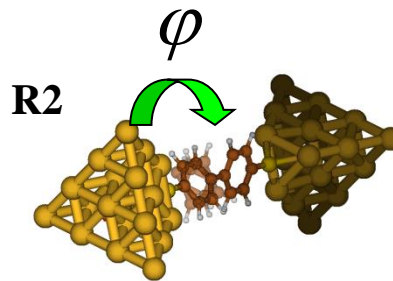
Exp.: P. Reddy *et al.*, Science 2007

Theory: F. Pauly *et al.*, PRB 2008

N=3



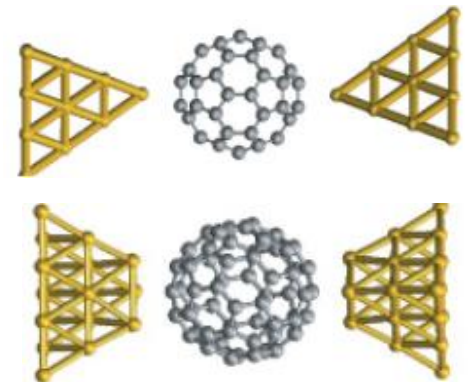
## Influence of conjugation



F. Pauly *et al.*, PRB 2008  
M. Bürkle *et al.*, PRB 2012

## C<sub>60</sub> junctions

S. Bilan *et al.*, PRB 2012





# Towards thermoelectrics

## Thermoelectric elements

- Conversion of waste heat into electrical energy
- Nanorefrigerators

Figure of merit:  $ZT = S^2GT/\kappa$

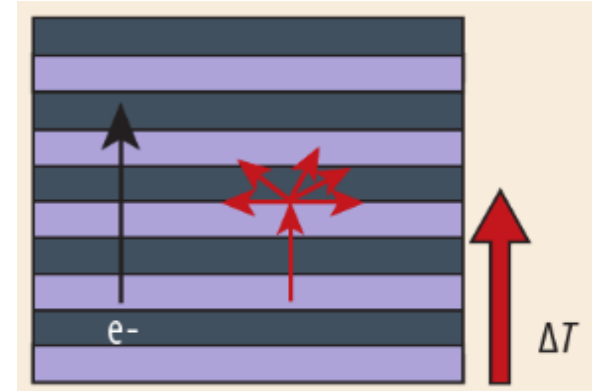
Thermopower  $S$

Temperature  $T$

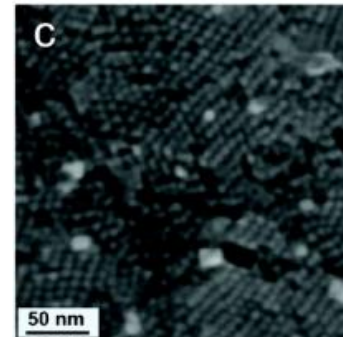
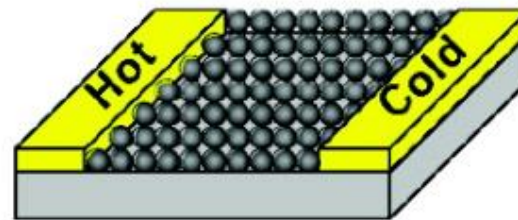
Electric conductance  $G$

Thermal conductance  $\kappa$

$$\kappa = \kappa_{el} + \kappa_{ph}$$



Phonon transport



R. A. Segalman (UC Berkeley):  
R.Y. Wang *et al.*, Nano Lett. 2008

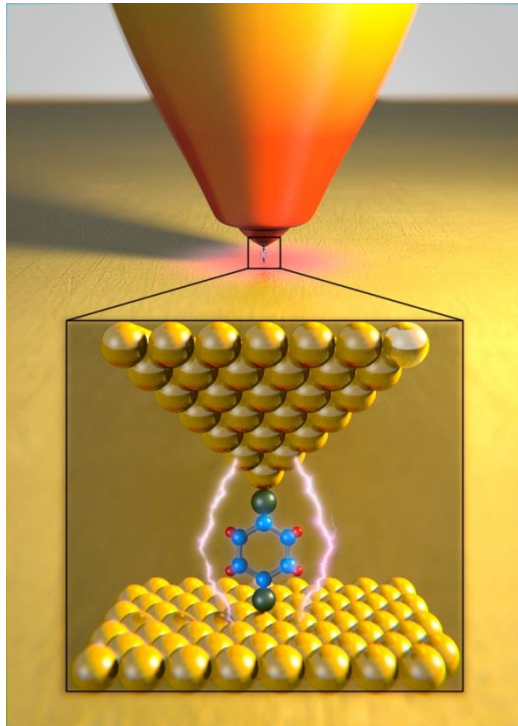


**Ultimate Goal:** Enhancement of  $ZT$  through appropriate nanostructuring

**Here:** Study of  $G$  and  $S$



# Heat dissipation and thermopower in atomic-scale junctions



W. Lee, K. Kim, W. Jeong, L. A. Zotti, F. Pauly, J. C. Cuevas,  
and P. Reddy, *Nature* 498, 209 (2013)

L. A. Zotti, M. Bürkle, F. Pauly, W. Lee, K. Kim, W. Jeong, Y.  
Asai, P. Reddy, J. C. Cuevas, [arXiv:1307.8336](https://arxiv.org/abs/1307.8336)



# Why heat dissipation at the nanoscale?

**Stability and efficiency**  
of novel nanoscale **energy**  
**conversion devices**

E. Pop, *Nano Research*  
**3**, 147 (2010)

Related **Peltier**  
**effect** important for  
electronic cooling of  
nanocircuits etc.

F. Giazotto *et al.*, *Rev. Mod.*  
*Phys.* **78**, 217 (2006)  
J.T. Muhonen *et al.*, *Rep.*  
*Prog. Phys.* **75**, 046501  
(2012)

**Heat**  
**dissipation at**  
**the nanoscale**

Heat dissipation is  
closely linked to **heat**  
**transport**, a main  
open problem in  
nanoscience.

Y. Dubi, Y. & M. Di Ventra, *Rev.*  
*Mod. Phys.* **83**, 131 (2011)  
N. B. Li *et al.*, *Rev. Mod. Phys.*  
**84**, 1045 (2012).

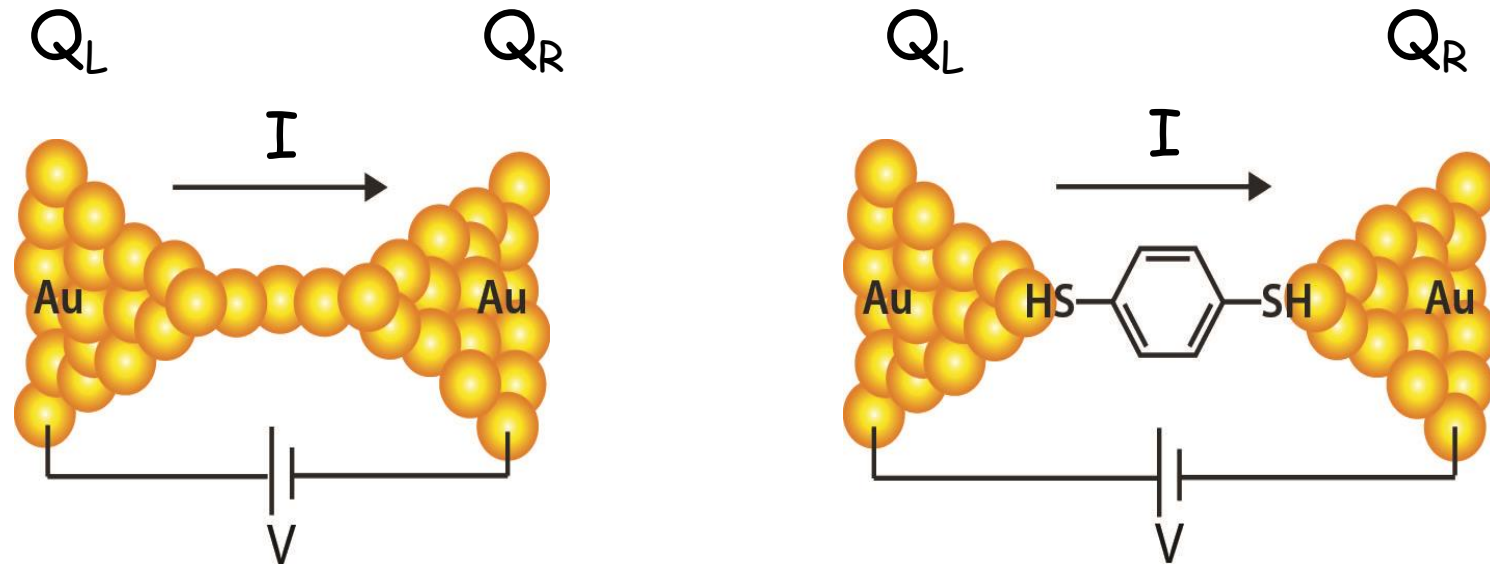
Heat dissipation provides  
insight into the  
**transmission**  
**characteristics** of a  
nanoscale device.

This work.



# Heat dissipation in atomic-scale junctions

- Dimensions of the contact region in atomic-scale junctions are much smaller than the inelastic scattering length.  
→ Transport is elastic and heat dissipation takes place inside the electrodes.



**Where is the heat dissipated?**

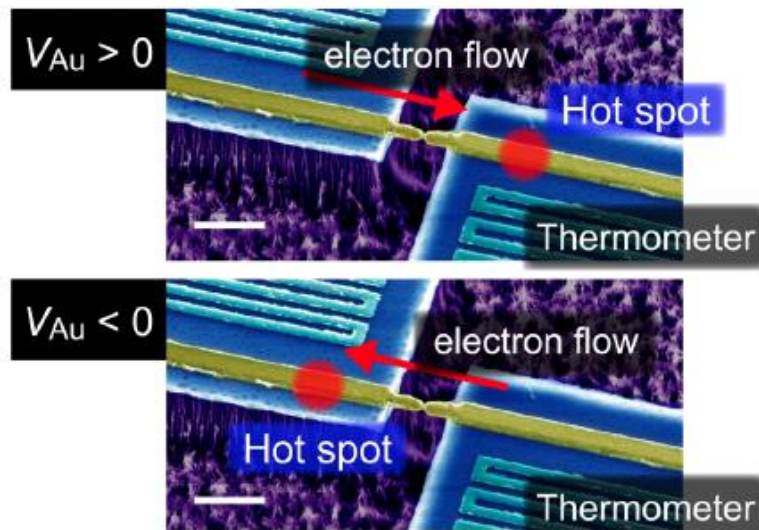
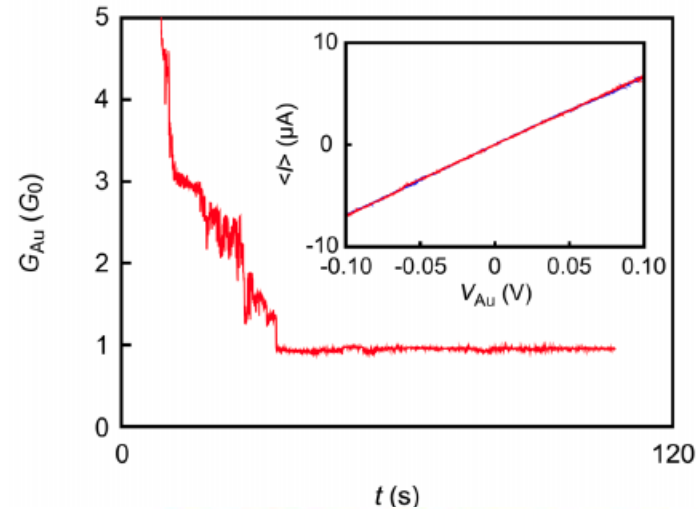
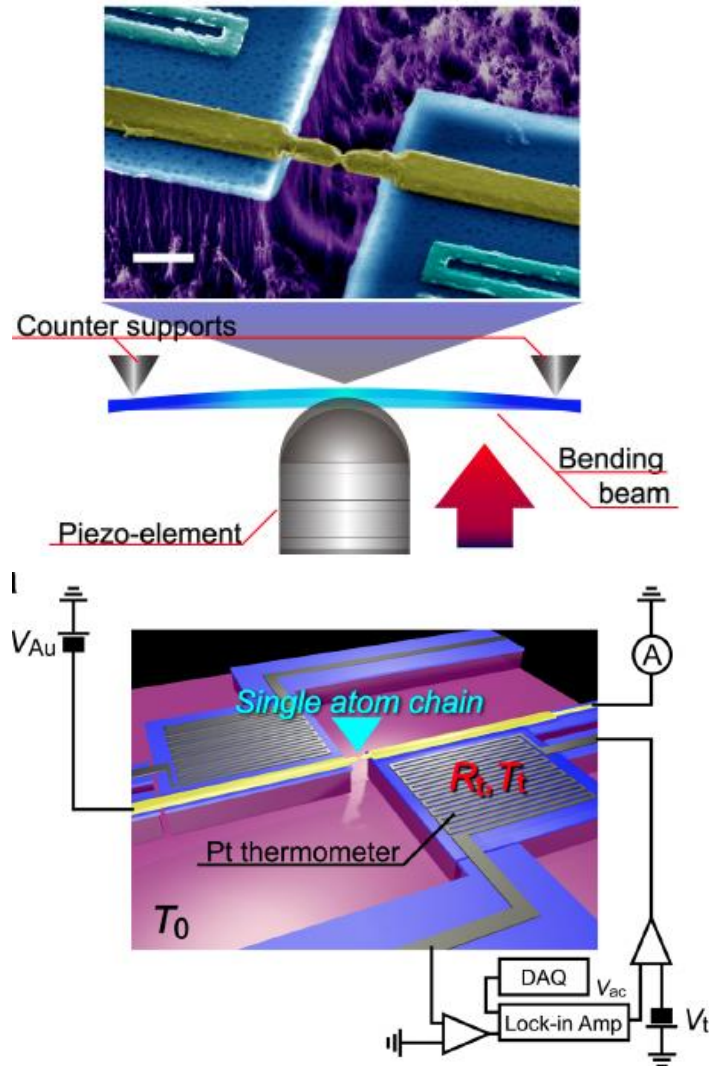
**Is it equally dissipated in both electrodes?**

**What is the relation between the dissipated heat and the electronic structure of the atomic-scale contact?**



# Recent experimental efforts: Au atomic chains

M. Tsutsui, T. Kawai, and M. Taniguchi, *Sci. Rep.* **2**, 217 (2012)



**Asymmetric heating:** Hot electrons create hotspots downstream of electron flow?



# Heat dissipation and thermopower in atomic-scale junctions

Motivation

**Experimental approach**

Theory

Tuning the heating

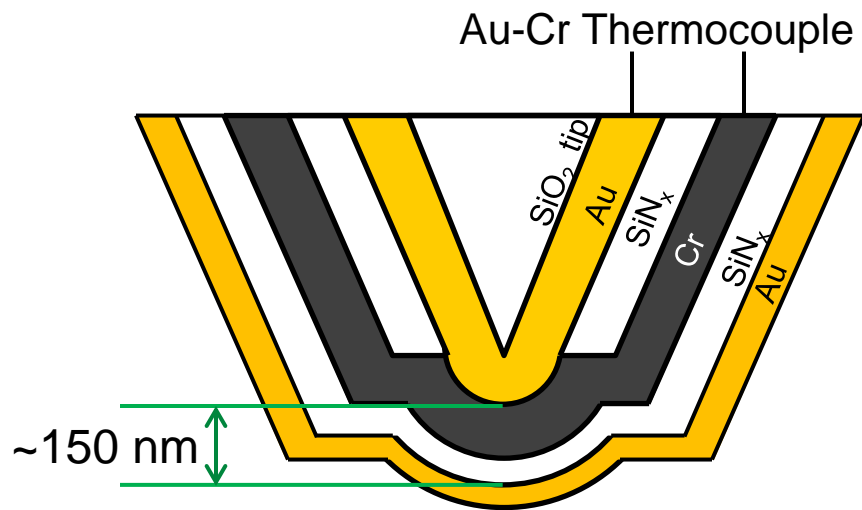
Conclusions



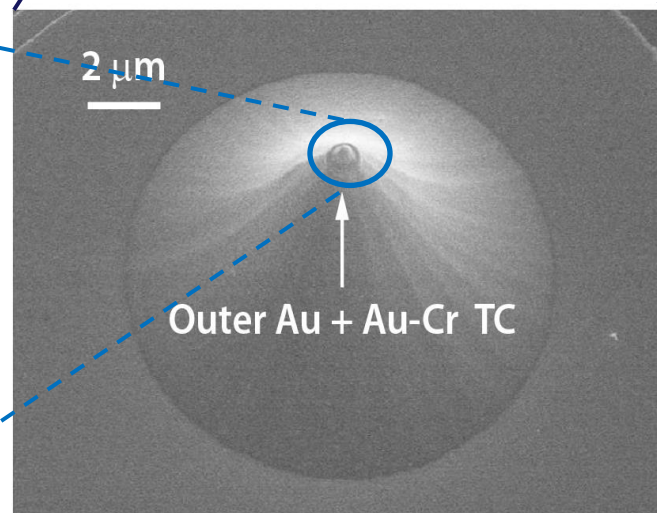
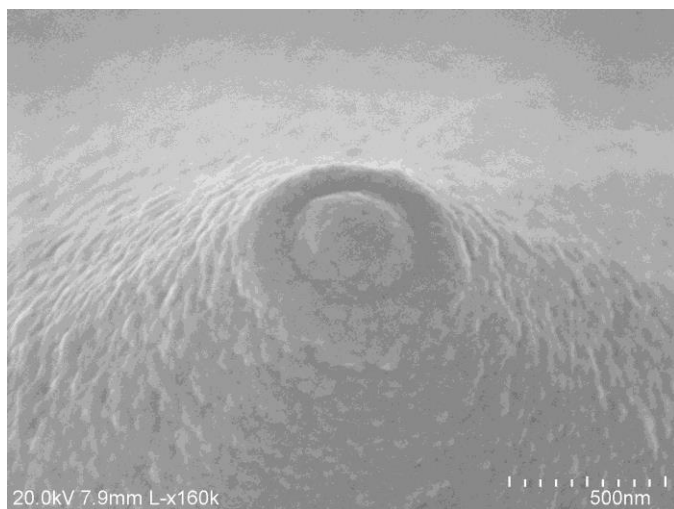
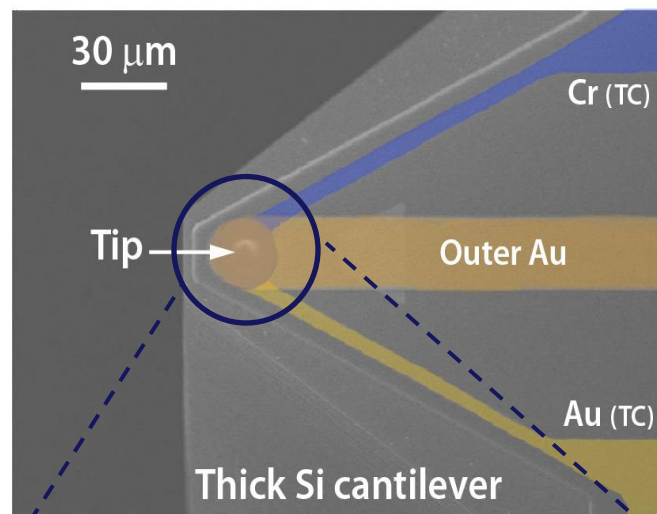


# Scanning probes with integrated thermocouple

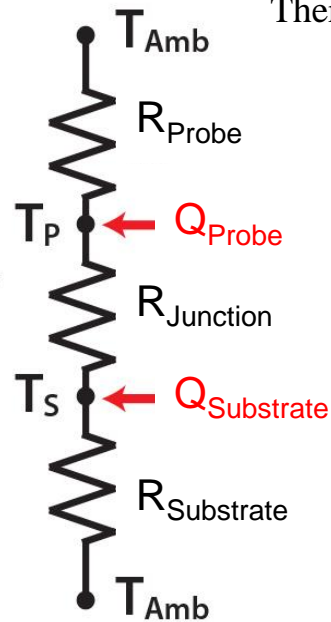
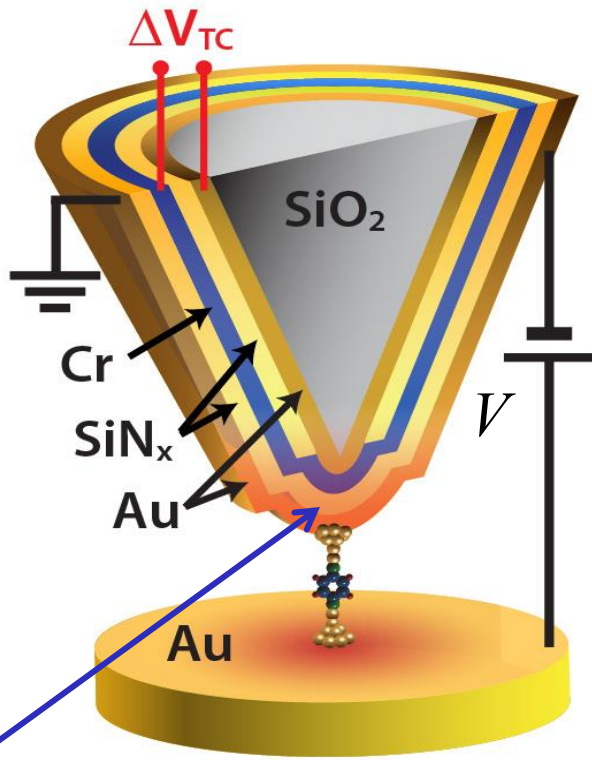
**Schematic**



**Fabricated probe**



# Strategy for probing heat dissipation



$$\Delta V_{TC} = -S_{TC} \times \Delta T_{TC}$$

$\Delta V_{TC}$  → Thermovoltage     
  $-S_{TC}$  → Thermopower     
  $\Delta T_{TC}$  → Temperature rise

$R_{Junction}$ : Thermal resistance of the junction

$$R_{Junction} \gg R_{Probe}, R_{Substrate}$$

$$Q_{Probe} (V) = \Delta T_{TC} / R_{Probe}$$

$R_{Probe}$ : Thermal resistance of probe

**Power dissipation:**

$$Q_{Probe} (V) + Q_{Substrate} (V) = Q_{Total} (V) = I \times V$$

$$R_{Probe} = 72800 \pm 500 \text{ K/W} \quad \text{and} \quad S_{TC} = 16.3 \pm 0.2 \text{ } \mu\text{V/K}$$



## Key experimental details

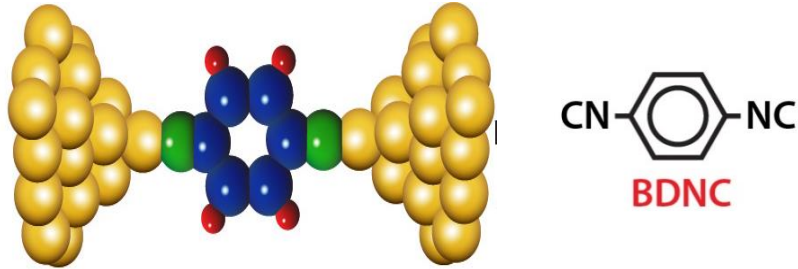
- The fabricated probes ***are much stiffer than traditional scanning thermal microscopy probes*** so as to enable stable formation of atomic and molecular junctions.

K. Kim, W.H. Jeong, W.C. Lee & P. Reddy, ACS Nano **6**, 4248 (2012).

- The expected temperature changes in the thermocouple for the studied AMJs ( $< 100$  mK) are smaller than the electrically-induced temperature noise ( $\sim 200$  mK). For this reason, ***a modulation scheme is used to reduce the bandwidth and the electrical noise*** (see next slides).
- A small thermal time constant ( $\sim 10$   $\mu$ s) of the thermocouple enables high fidelity tracking of temperature changes.
- With the modulation scheme ***the noise equivalent temperature is well below 1 mK*** for all the cases studied in our work.

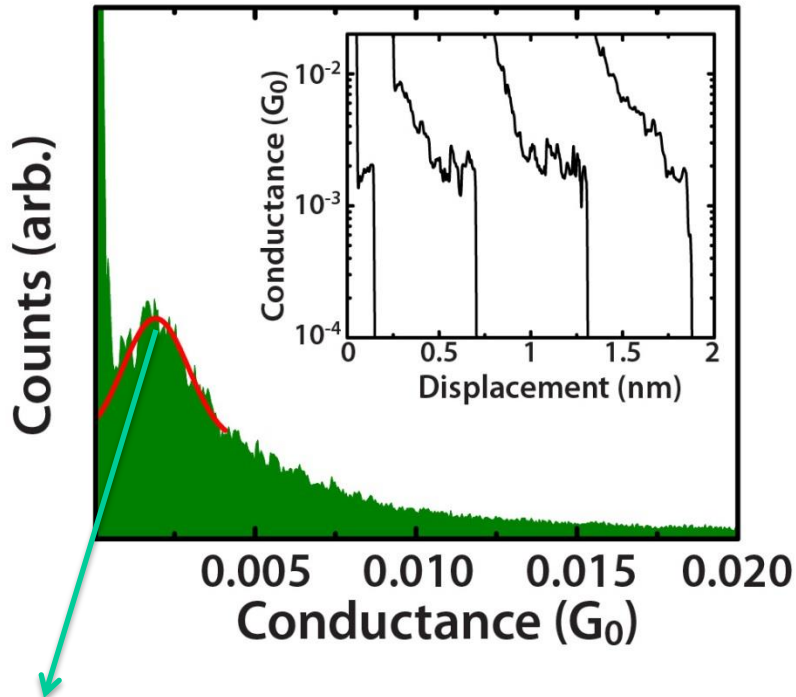


# BDNC single-molecule junctions



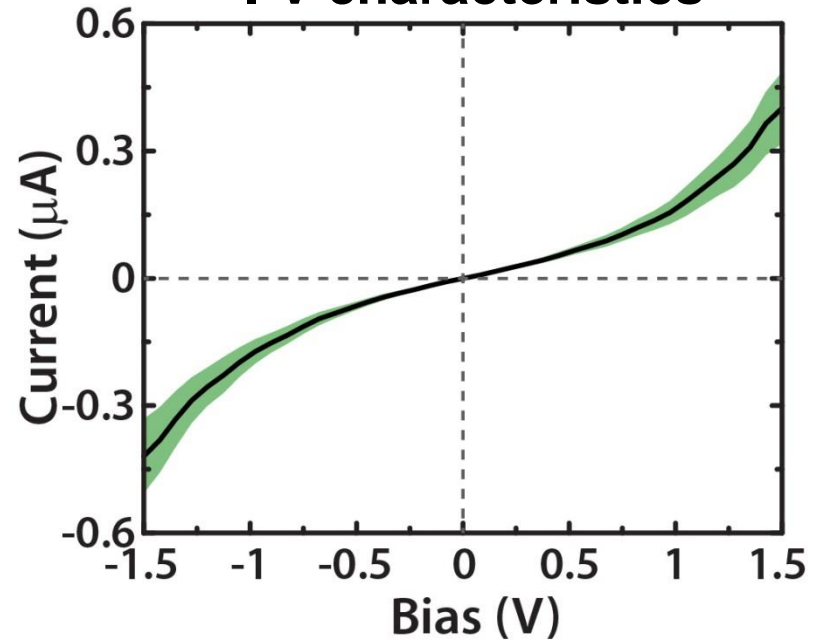
**1,4-benzenediisonitrile**

## Conductance traces and histogram



Conductance peak at  $0.002G_0$  compatible with M. Kiguchi *et al.*, APL 89, 213104 (2006).

## I-V characteristics



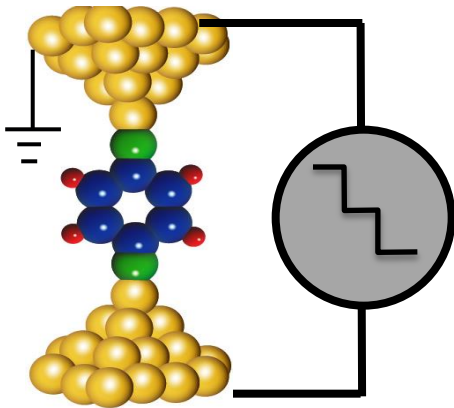
# BDNC junctions: Representative raw data and modulation scheme



Here, a **positive** (**negative**) bias corresponds to a scenario where the probe is grounded, while the substrate is at a **higher** (**lower**) potential.

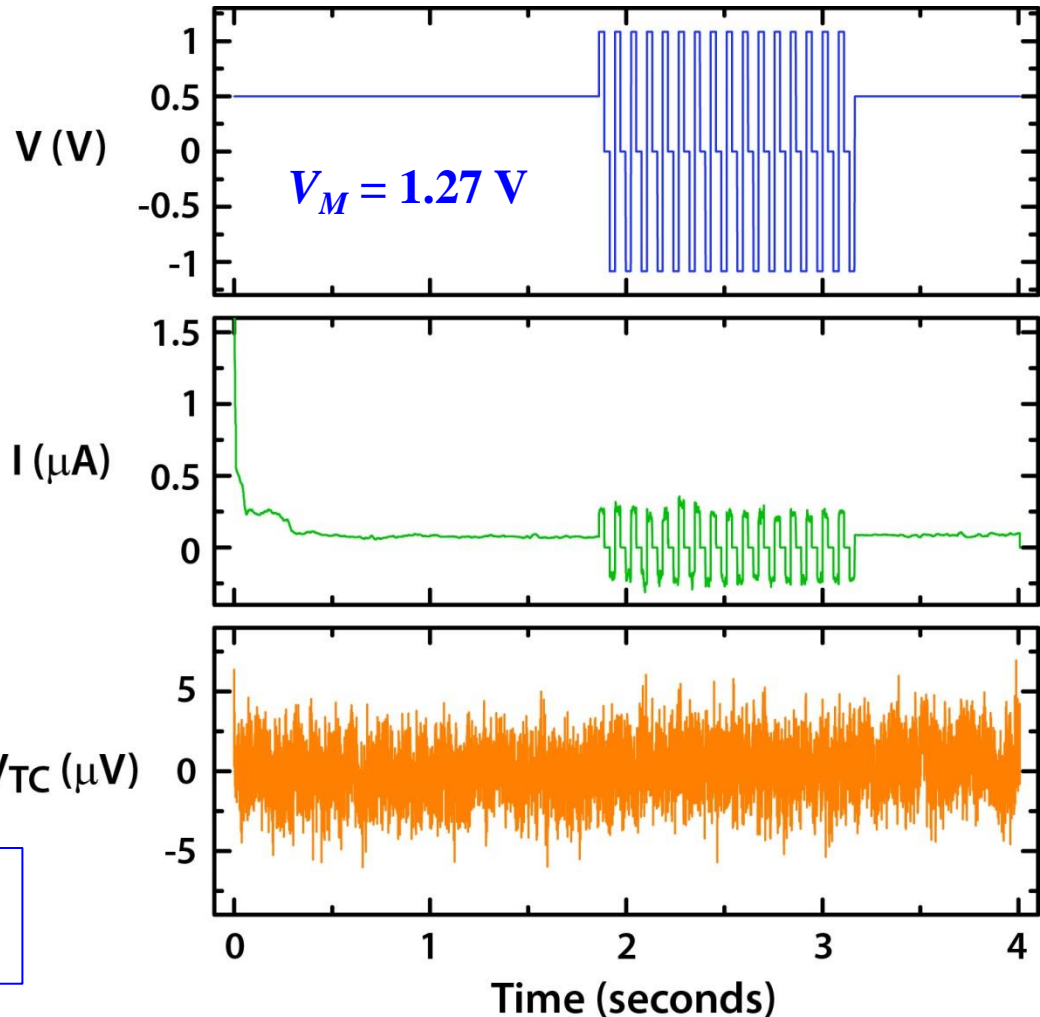
$V_M$  = amplitude of the modulation voltage.

**Probe**



**Substrate**

$T_P = 80$  ms period of the voltage pulses.



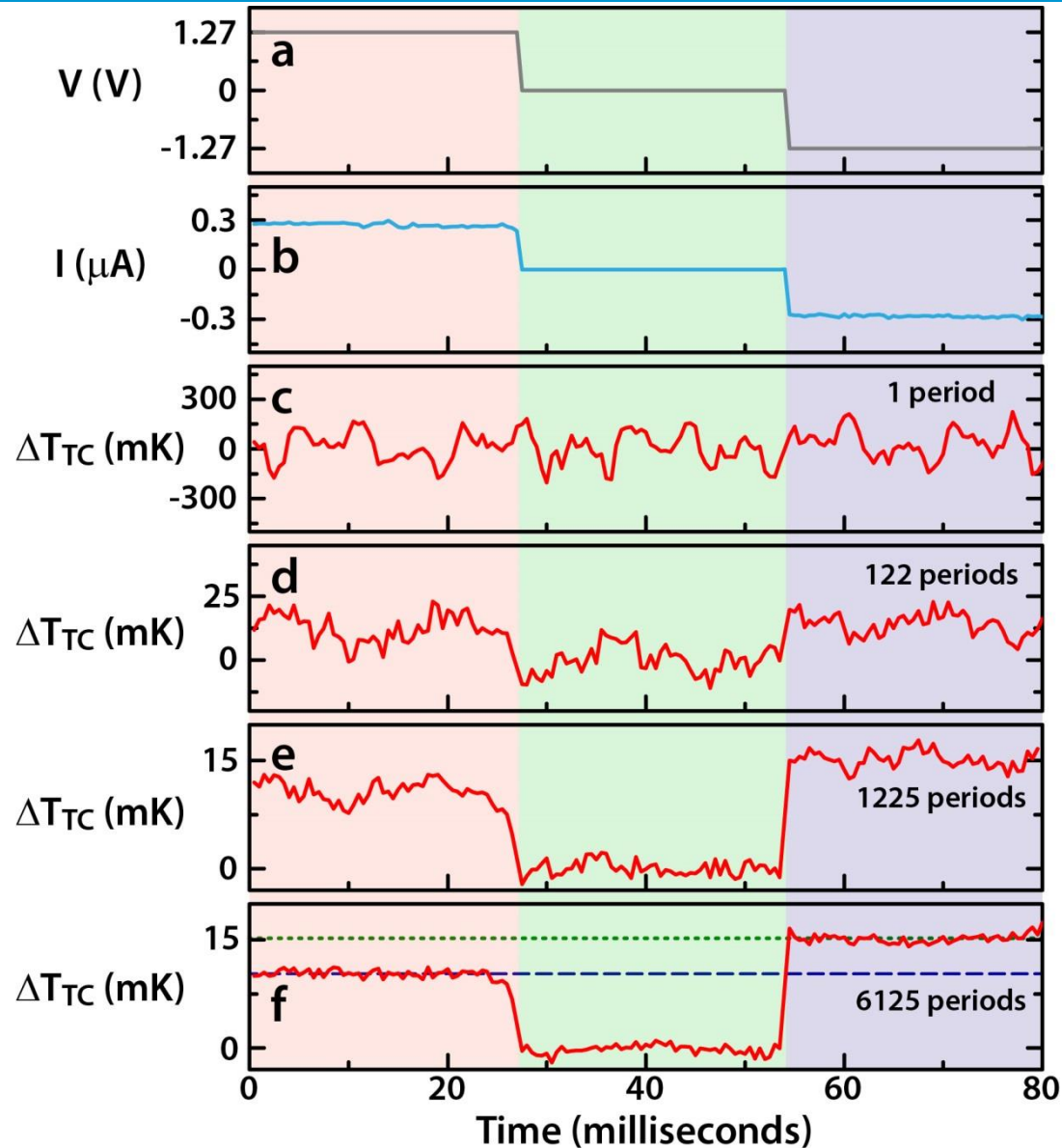
# BDNC junctions: Representative raw data and modulation scheme



$$V_M = 1.27 \text{ V}$$

$$Q_{Total} = 0.35 \text{ mW}$$

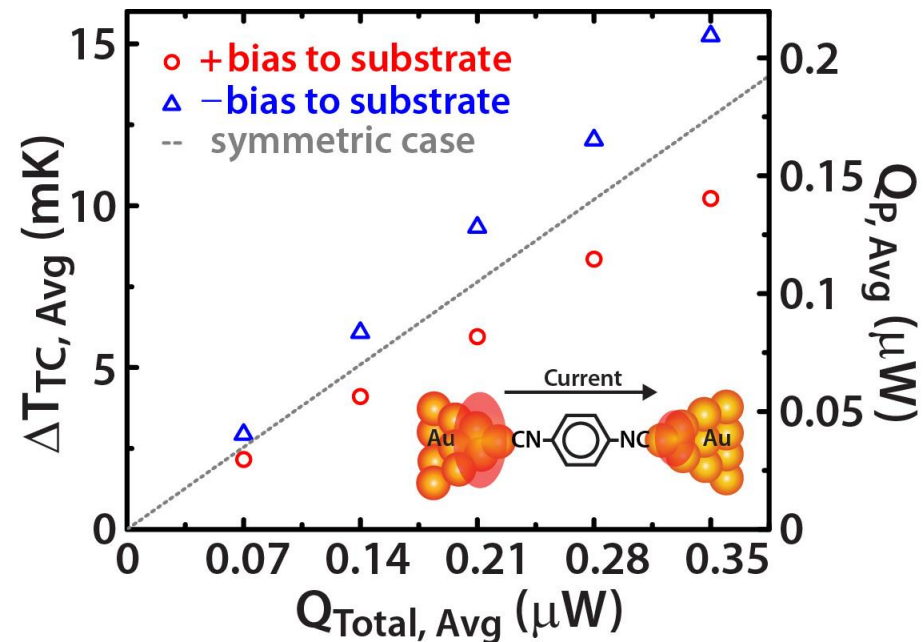
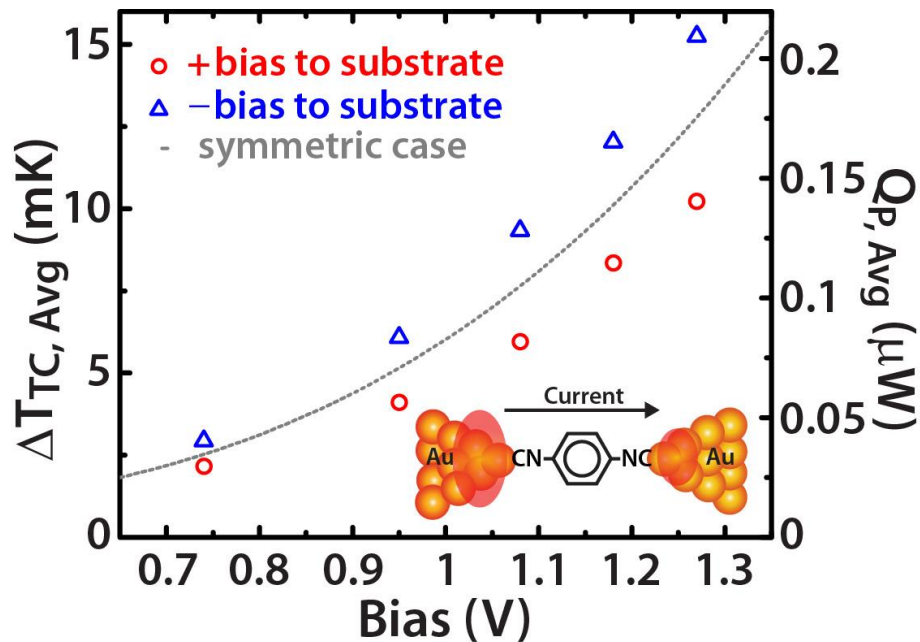
$$1 \text{ period} = 80 \text{ ms}$$



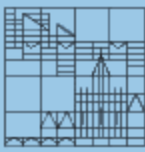
# BDNC single-molecule junctions



A **positive** (**negative**) bias corresponds to a scenario where the probe is grounded, while the substrate is at a **higher** (**lower**) potential.



- Heat dissipation in the electrodes of Au-BDNC-Au junctions is bias-polarity-dependent and unequal.
- Why is the heat dissipation in the electrodes unequal in spite of the symmetric geometry of the molecular junctions?



# Heat dissipation and thermopower in atomic-scale junctions

Motivation

Experimental approach

**Theory**

Tuning the heating

Conclusions





# Landauer theory of heat dissipation

## Heat current from a reservoir with potential $\mu$

$$I_Q = I_E - \frac{\mu}{e} I_e$$

Heat current      Energy current      Charge current

## Charge and energy currents

$$I_e(V) = \frac{2e}{h} \int_{-\infty}^{\infty} \tau(E, V) [f_P(E, \mu_P) - f_S(E, \mu_S)] dE$$

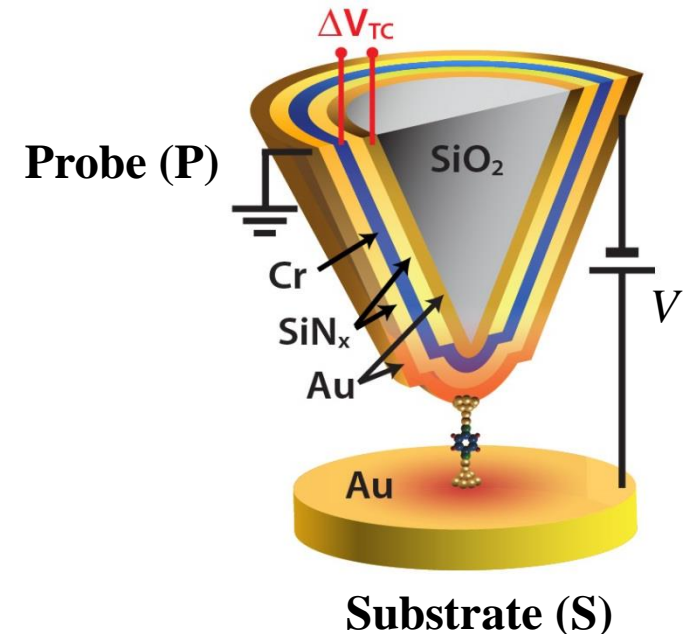
$$I_E(V) = \frac{2}{h} \int_{-\infty}^{\infty} E \tau(E, V) [f_P(E, \mu_P) - f_S(E, \mu_S)] dE$$

## Power dissipated in the electrodes

$$Q_P(V) = \frac{2}{h} \int_{-\infty}^{\infty} (\mu_P - E) \tau(E, V) [f_P(E, \mu_P) - f_S(E, \mu_S)] dE$$

$$Q_S(V) = \frac{2}{h} \int_{-\infty}^{\infty} (E - \mu_S) \tau(E, V) [f_P(E, \mu_P) - f_S(E, \mu_S)] dE$$

$$Q_P(V) + Q_S(V) = IV = Q_{Total}(V) \quad \text{[energy conservation]}$$





- **Is the heat equally dissipated in both electrodes?**

$$Q_P(V) = Q_S(V) \text{ if } \tau(E, V) = \tau(-E, V)$$

[electron-hole symmetry implies equal dissipation]

- **Does the power dissipation depend on the bias polarity?**

$$Q_P(V) = Q_P(-V) \text{ if } \tau(E, V) = \tau(-E, -V)$$

[in general, the power dissipated in the probe depends on bias polarity]

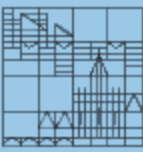
**General conclusion:** the heat dissipation in the electrodes of an atomic-scale contact is, in general, asymmetric and it depends on both the bias polarity and the nature of the majority carriers (electrons vs. holes).

- **Low-bias expansions to illustrate the statements above**

$$Q_P(V) - Q_P(-V) = 2TGSV + O(V^3)$$

$$Q_P(V) - Q_S(V) = 2TGSV + O(V^2)$$

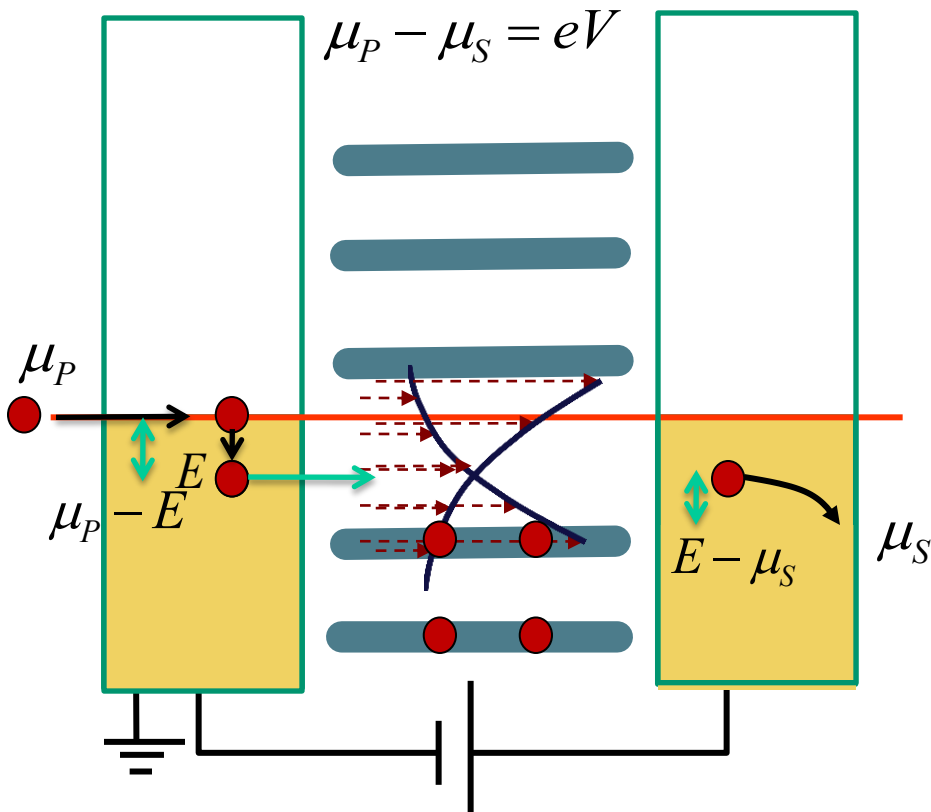
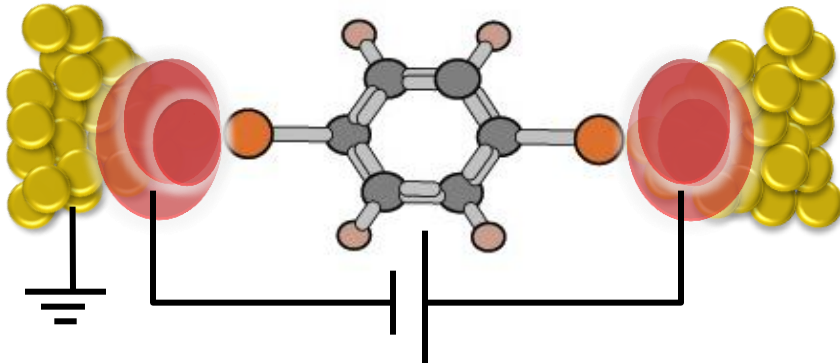
$\left\{ \begin{array}{l} T = \text{temperature} \\ G = \text{linear conductance} \\ S = \text{thermopower} \end{array} \right.$



# Asymmetric heat dissipation: a simple argument

Probe

Substrate



- A electron flows elastically through the contact with energy  $E$  leaving behind a hole.
- The electron thermalizes and dissipates an energy  $(E - \mu_S)$  in the substrate.
- The hole left in the probe is filled by an electron releasing an energy  $(\mu_P - E)$  in the probe.
- Power balance

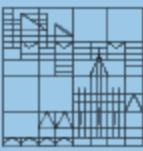
$$Q_P(V) = \frac{2}{h} \int_{-\infty}^{\infty} (\mu_P - E) \tau(E, V) [f_P - f_S] dE$$

$$Q_S(V) = \frac{2}{h} \int_{-\infty}^{\infty} (E - \mu_S) \tau(E, V) [f_P - f_S] dE$$

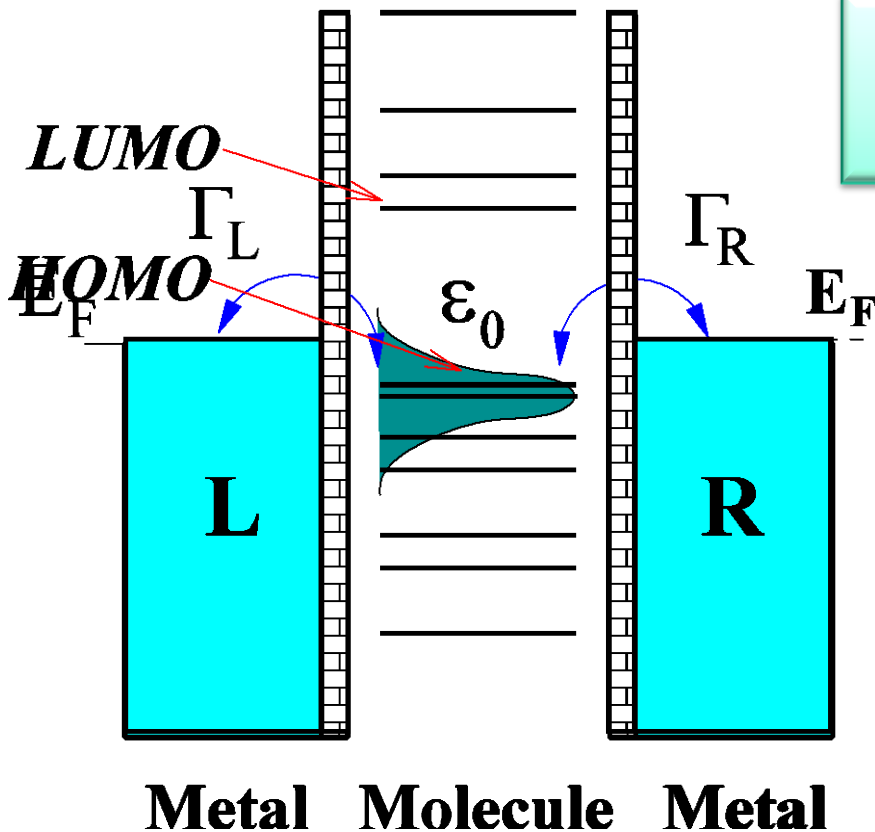
$$Q_P(V) + Q_S(V) = IV$$

→ **An energy-dependent transmission leads to asymmetric heating.**

# Lessons from a toy model



Often the transport through a molecular junction is dominated by a single molecular orbital. Those situations can be described within the **single-level model**.



$$\tau(E, V) = \frac{\Gamma_L \Gamma_R}{[E - \varepsilon_0(V)]^2 + [\Gamma_L + \Gamma_R]^2 / 4}$$

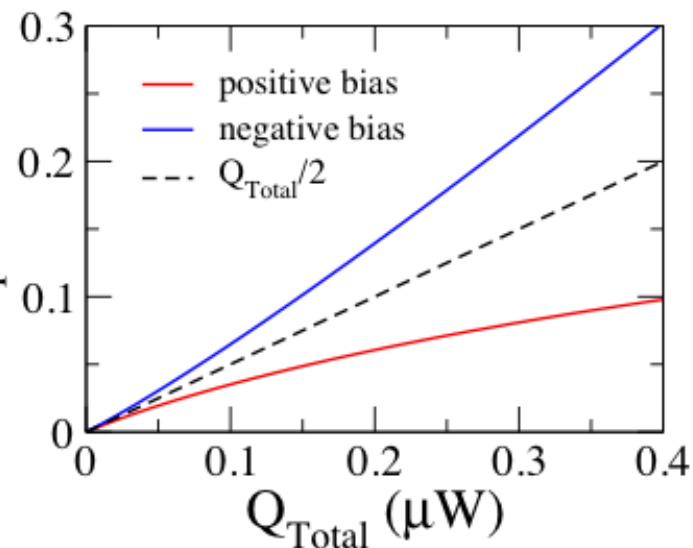
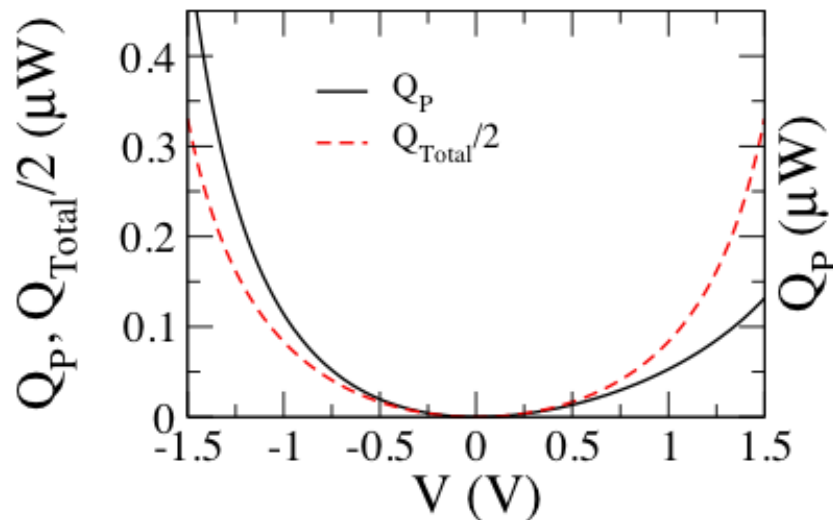
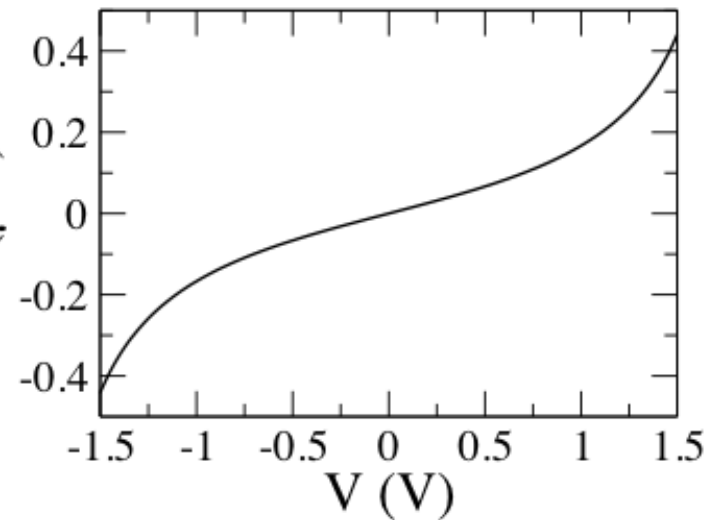
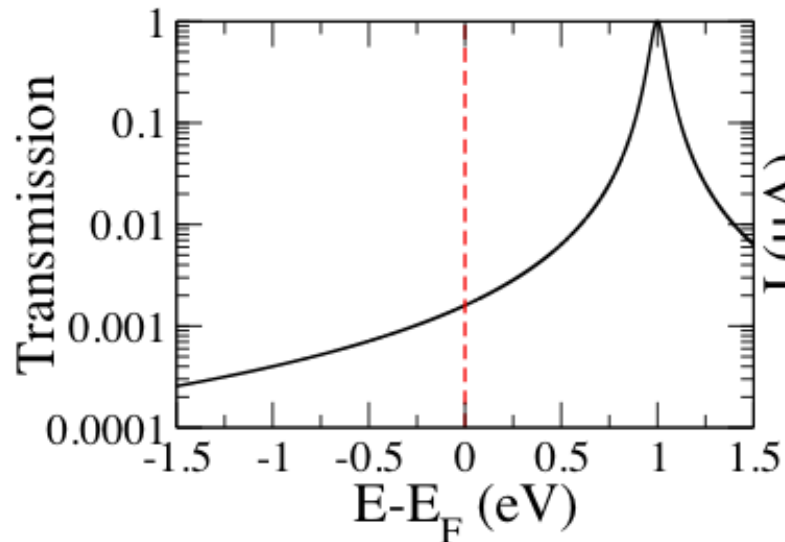
**Breit-Wigner formula**

$$\left\{ \begin{array}{l} \varepsilon_0 = \text{level position} \\ \Gamma_L + \Gamma_R = \text{level width} \end{array} \right.$$

# Single-level model: LUMO-dominated transport



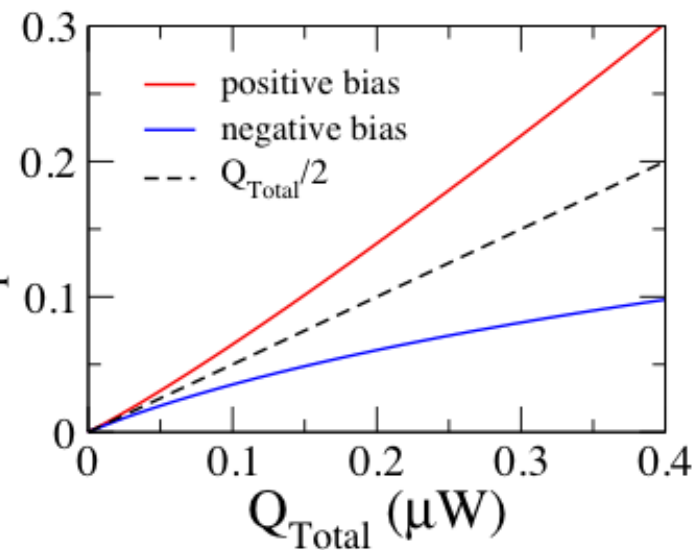
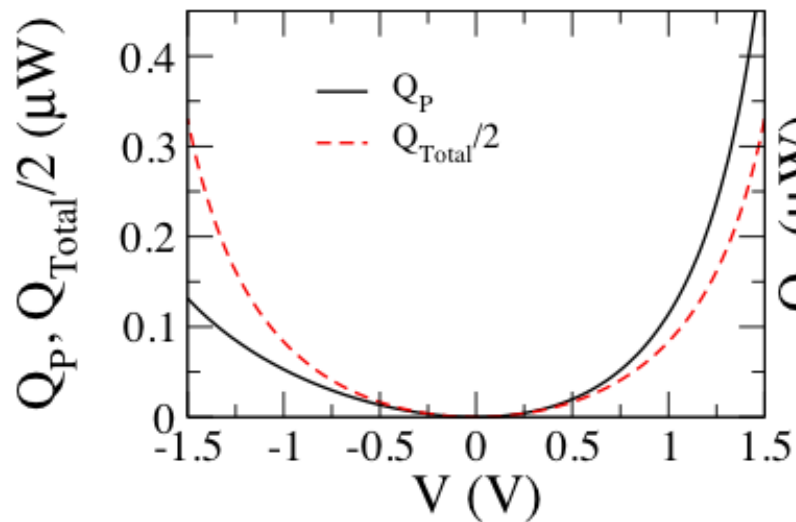
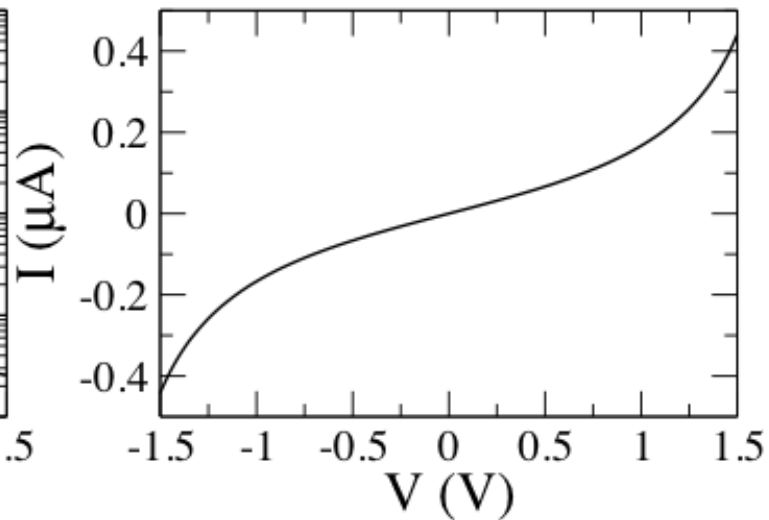
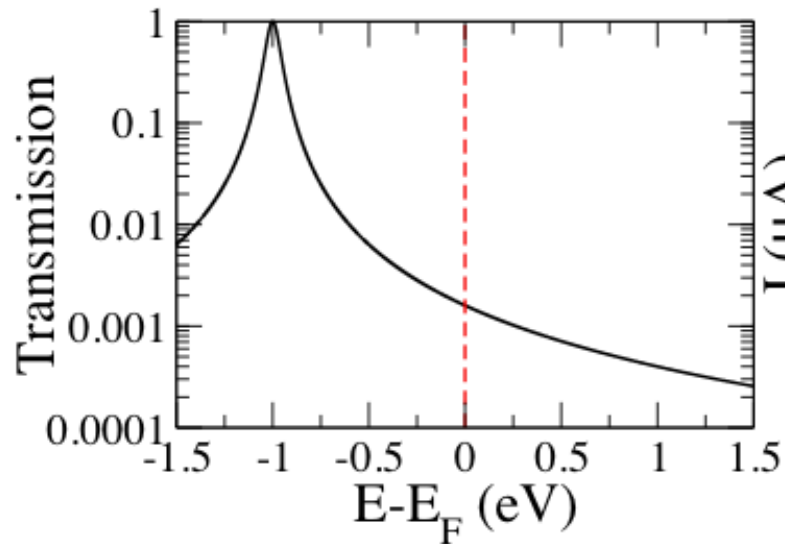
$\varepsilon_0 = +1$  eV;  $T = 300$  K;  $\Gamma_L = \Gamma_R = \Gamma = 40$  meV (symmetric contact)



# Single-level model: HOMO-dominated transport



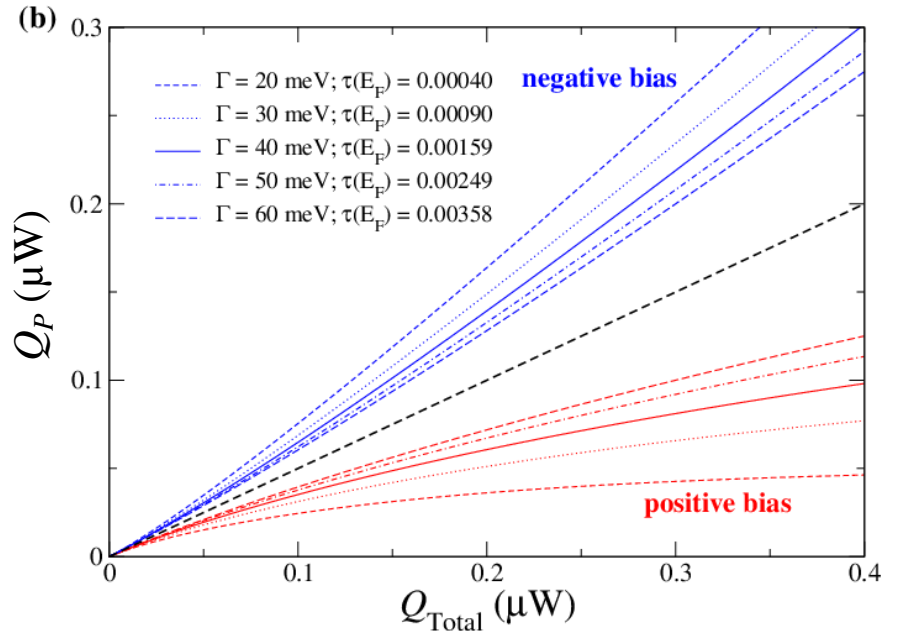
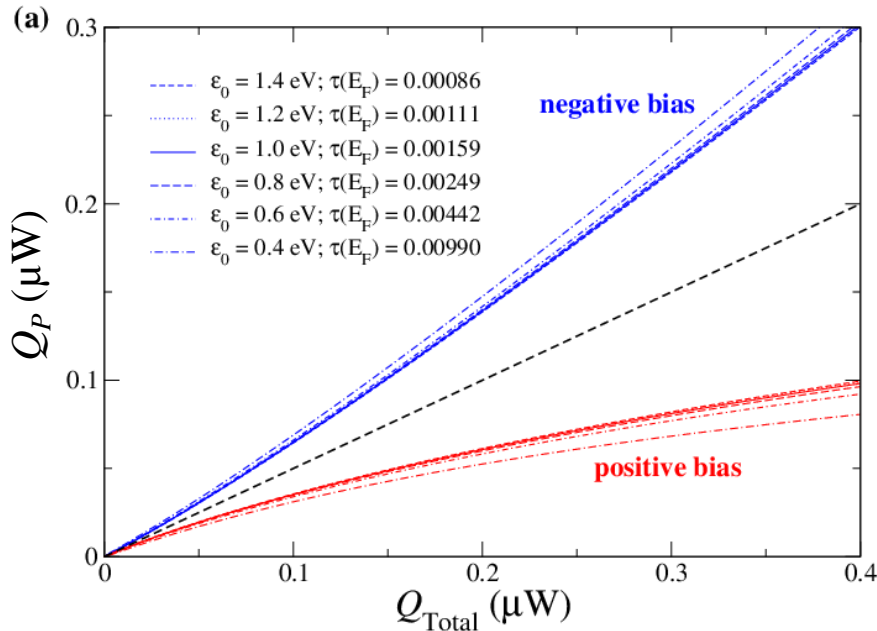
$\varepsilon_0 = -1$  eV;  $T = 300$  K;  $\Gamma_L = \Gamma_R = \Gamma = 40$  meV (symmetric contact)





In off-resonant situations, the relation between  $Q_P$  and  $Q_{Total}$  is not very sensitive to the level alignment.

$T = 300$  K



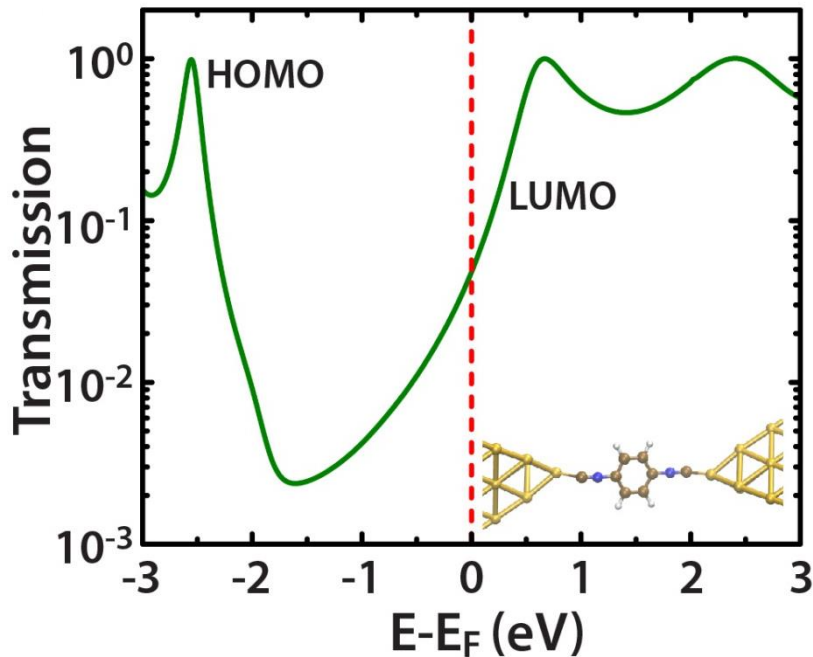
**Low-power expansion in the off-resonant situation ( $|\epsilon_0| \gg \Gamma$  and  $T = 0$  K)**

$$Q_P(Q_{Total}) \approx \begin{cases} \frac{1}{2} Q_{Total} + \text{sgn}(\epsilon_0) \frac{e}{6G_0^{1/2}} \frac{1}{\Gamma} Q_{Total}^{3/2} & \text{(for negative bias)} \\ \frac{1}{2} Q_{Total} - \text{sgn}(\epsilon_0) \frac{e}{6G_0^{1/2}} \frac{1}{\Gamma} Q_{Total}^{3/2} & \text{(for positive bias)} \end{cases}$$

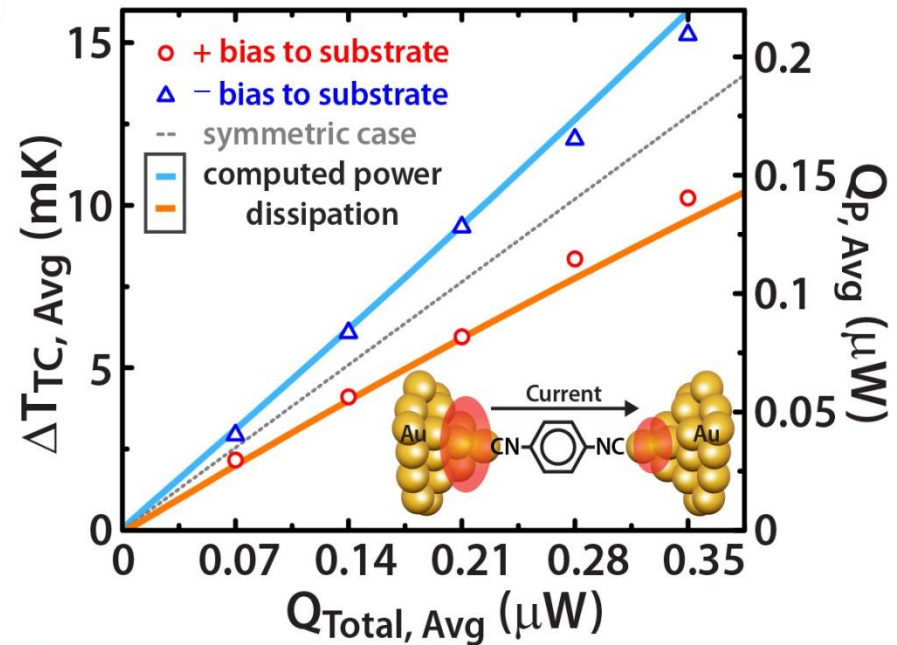
# BDNC single-molecule junctions: Comparison between theory & experiment



## DFT + NEGF



## Power Dissipation



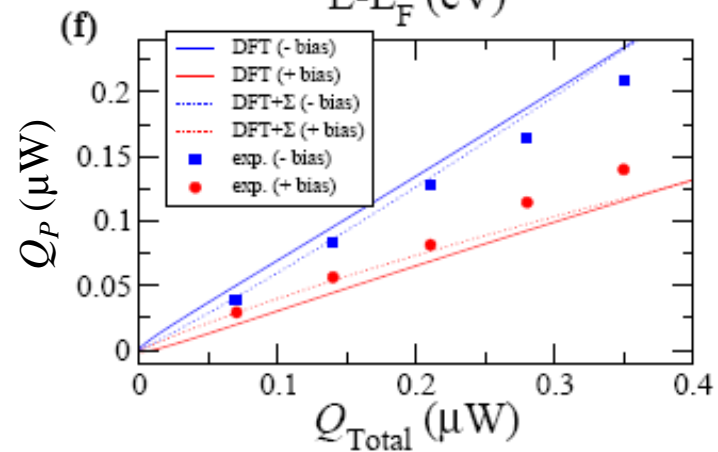
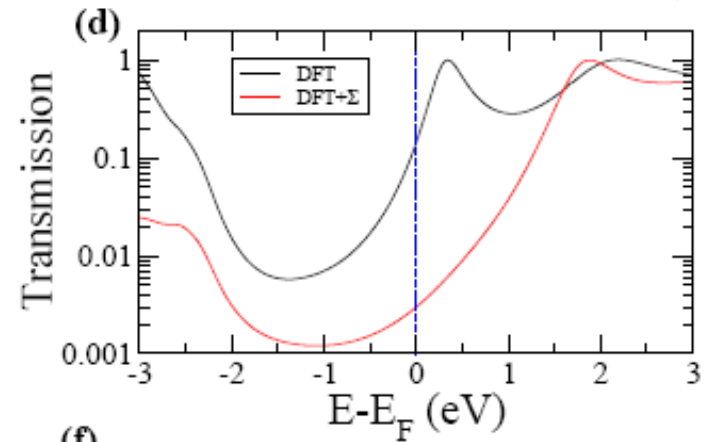
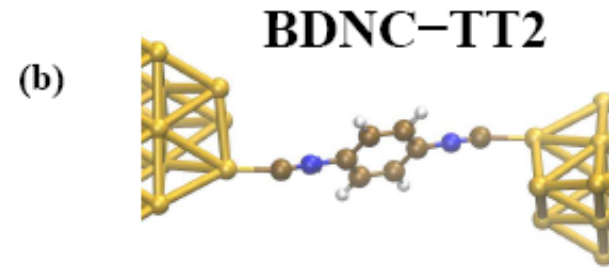
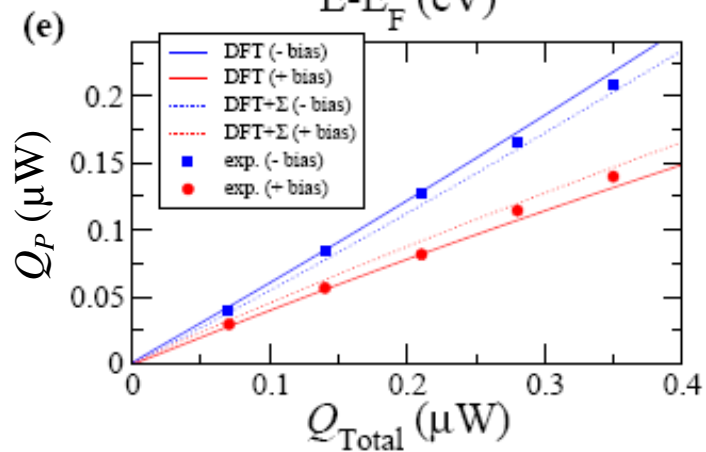
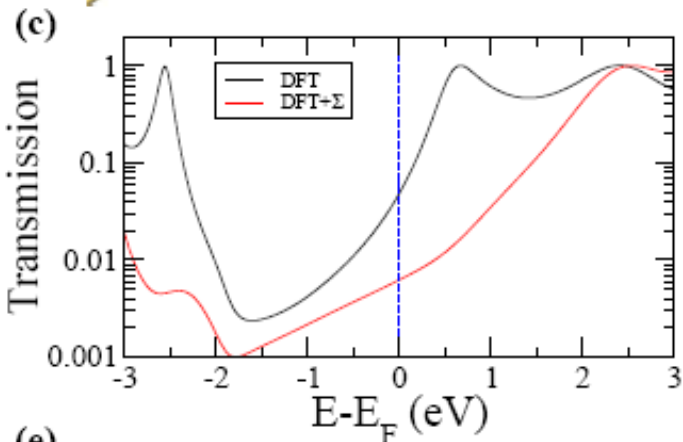
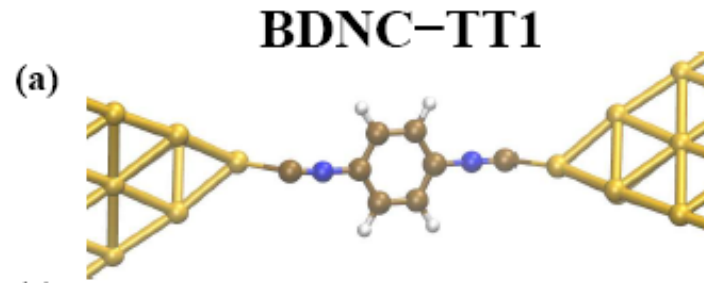
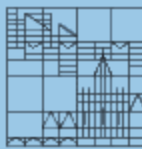
**Approximation:** Use zero-bias transmission

$$I(V) = \frac{2e}{h} \int_{-\infty}^{\infty} \tau(E, V=0) [f_P - f_S] dE \Rightarrow Q_{Total}(V) = I(V) \times V$$

$$Q_P(V) = \frac{2}{h} \int_{-\infty}^{\infty} (\mu_P - E) \tau(E, V=0) [f_P - f_S] dE$$



# BDNC single-molecule junctions: Comparison between theory & experiment





# Heat dissipation and thermopower in atomic-scale junctions

Motivation

Experimental approach

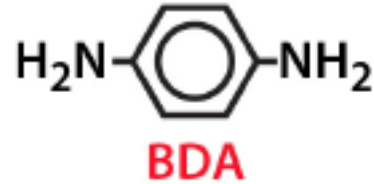
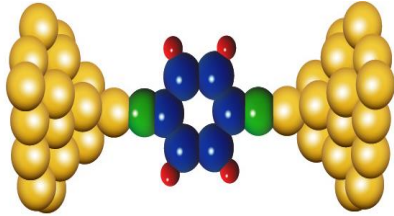
Theory

**Tuning the heating**

Conclusions

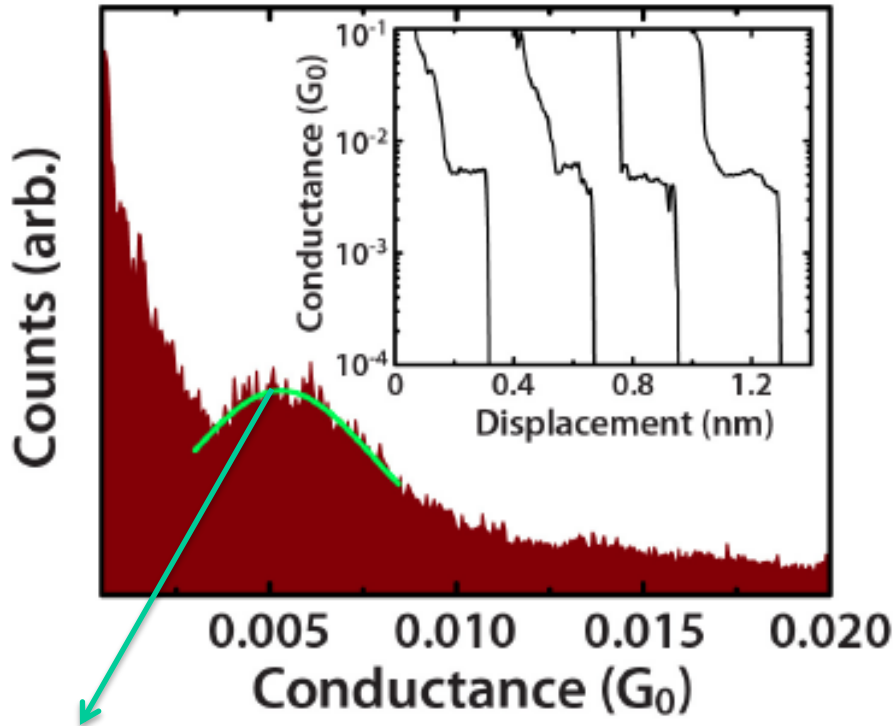


# BDA single-molecule junctions

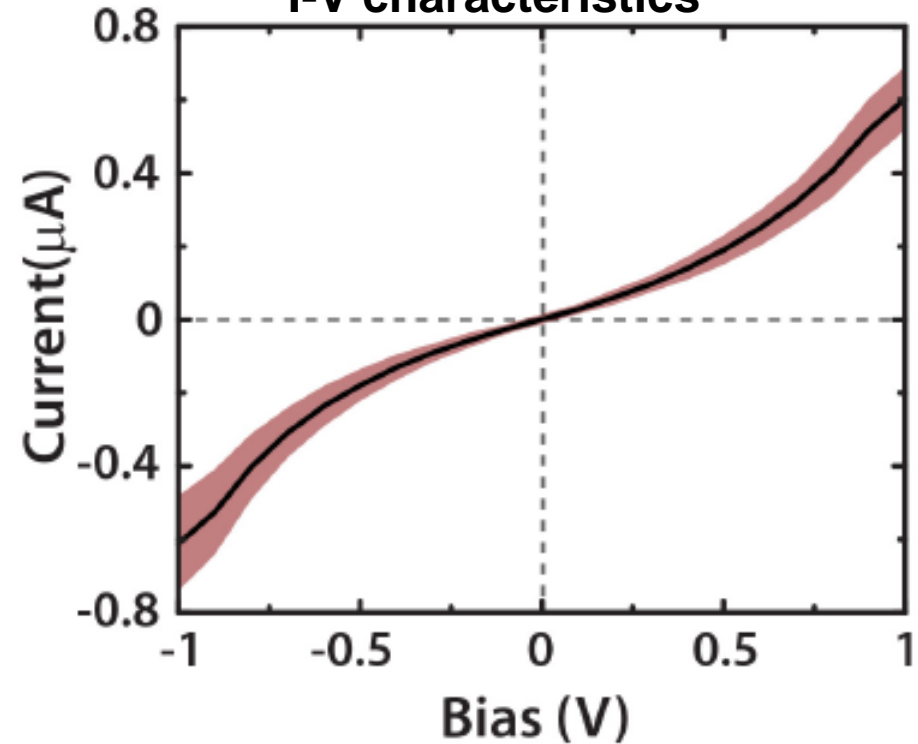


**1,4-benzenediamine**

## Conductance traces and histogram



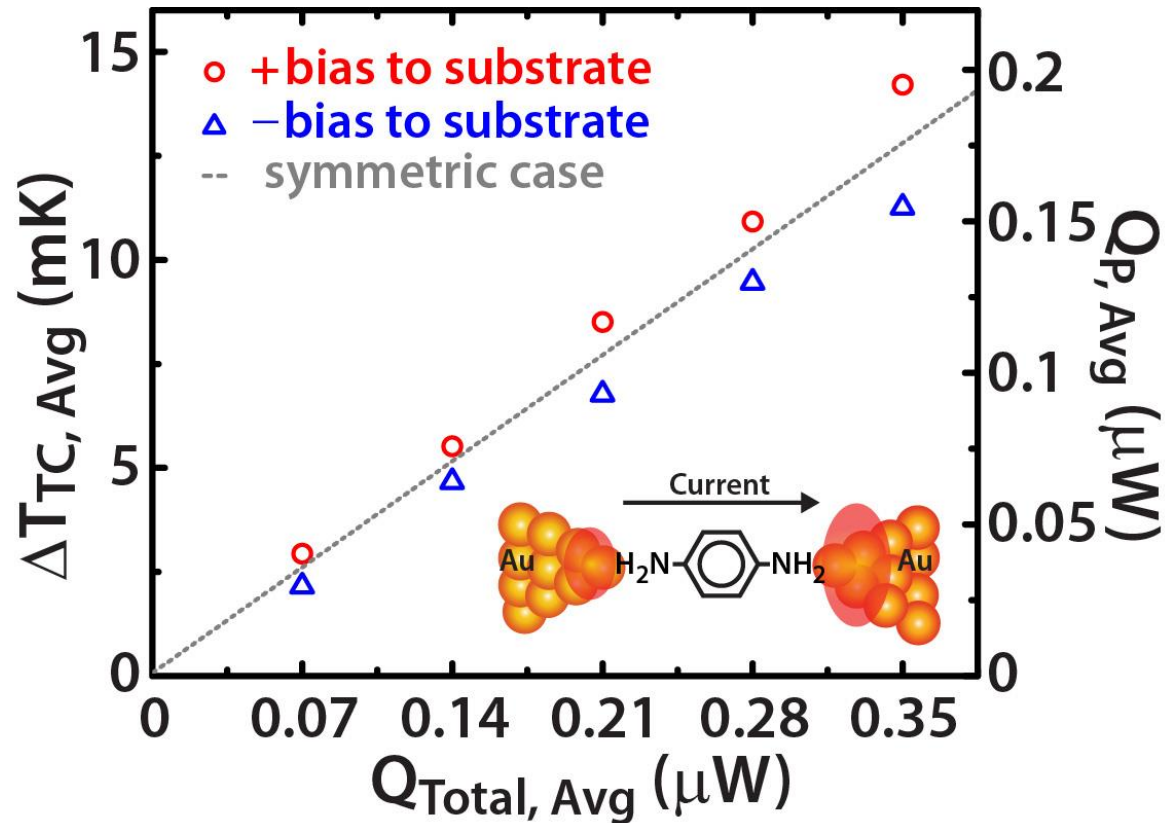
## I-V characteristics



Conductance peak at  $0.005G_0$  compatible with L. Venkataraman *et al.*, Nano Lett. 6, 458 (2006).



# BDA single-molecule junctions

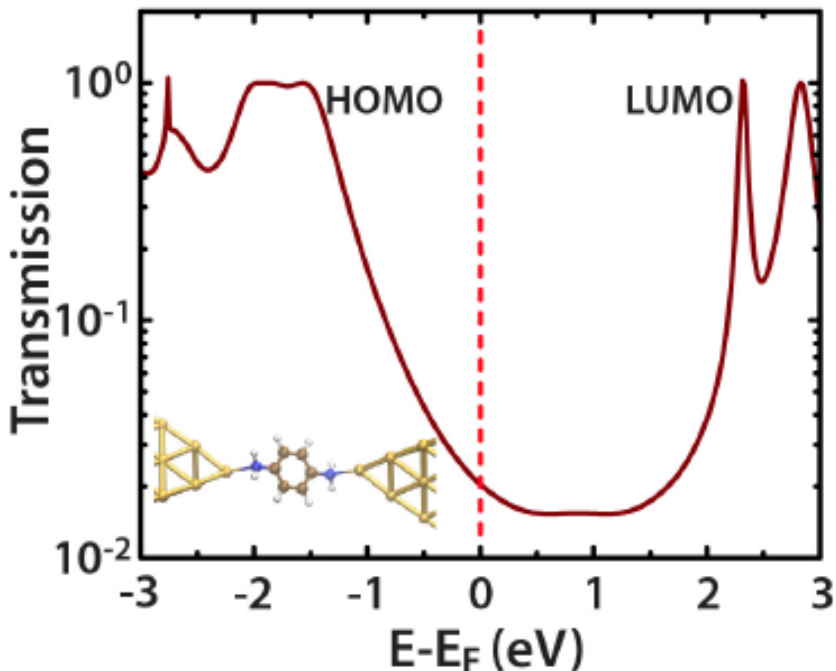


The BDA junctions show larger power dissipation in the probe for a positive bias than for a negative one in contrast to the observations in BDNC junctions.

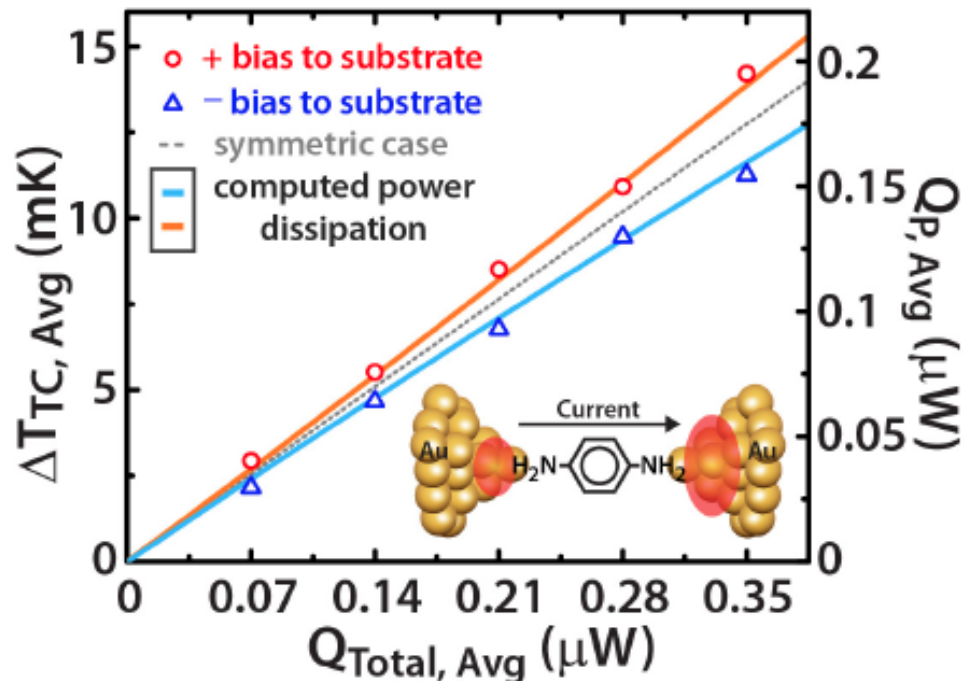
# BDA single-molecule junctions: Comparison between theory and experiment



### DFT + NEGF

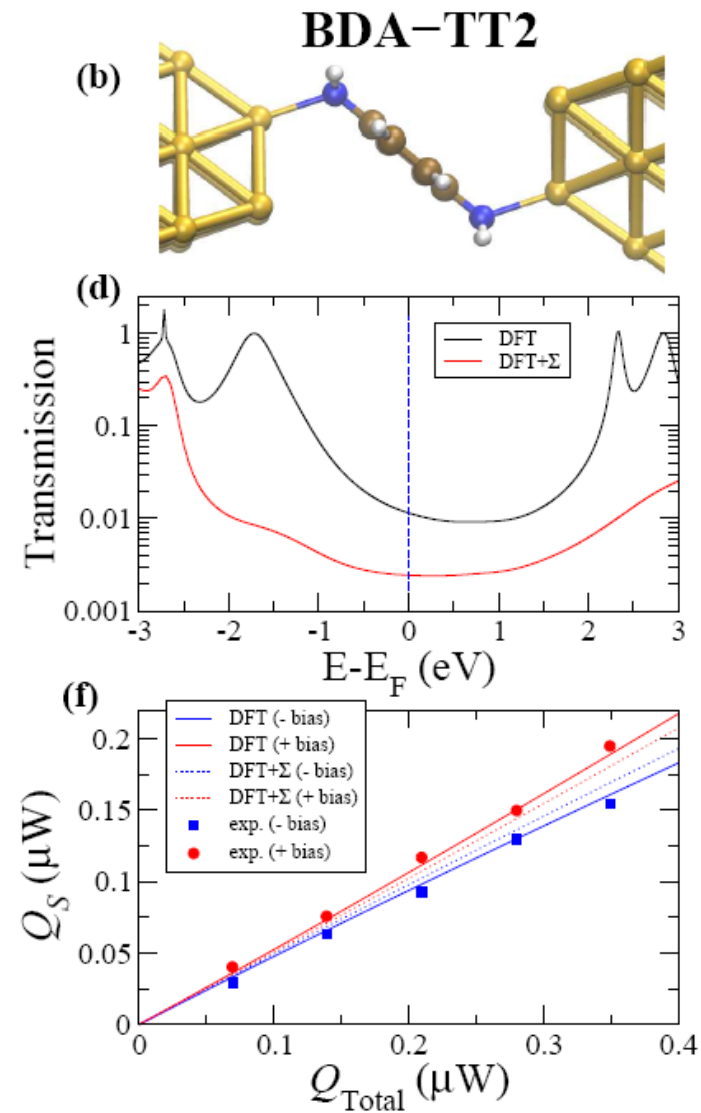
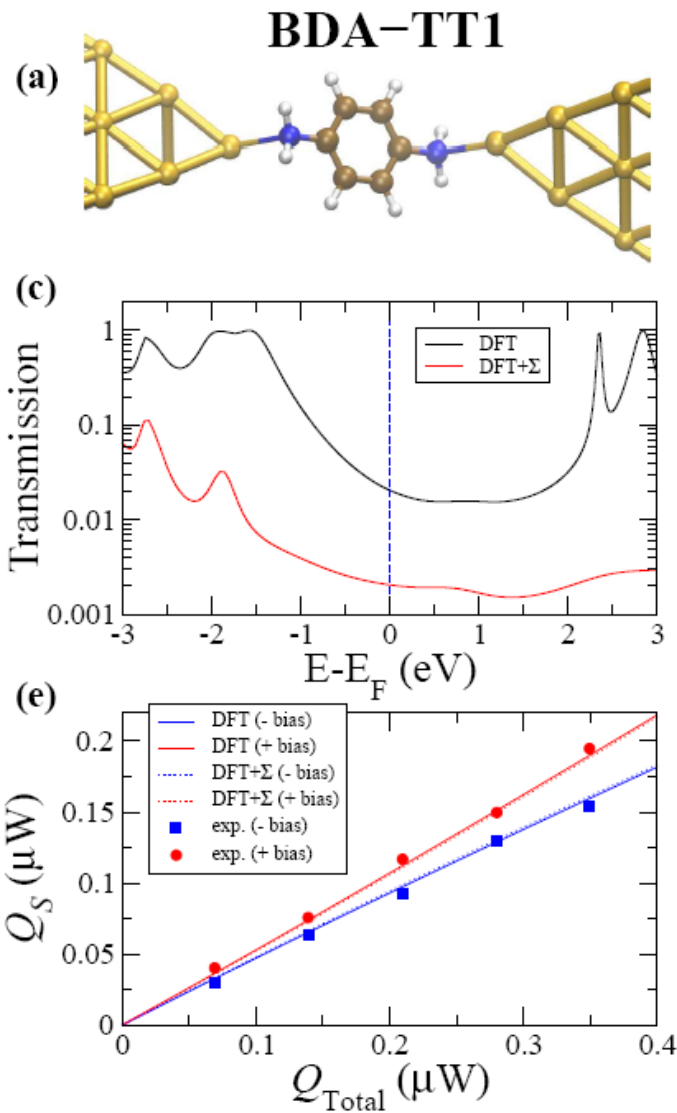
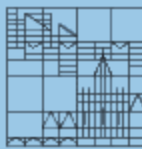


### Power Dissipation

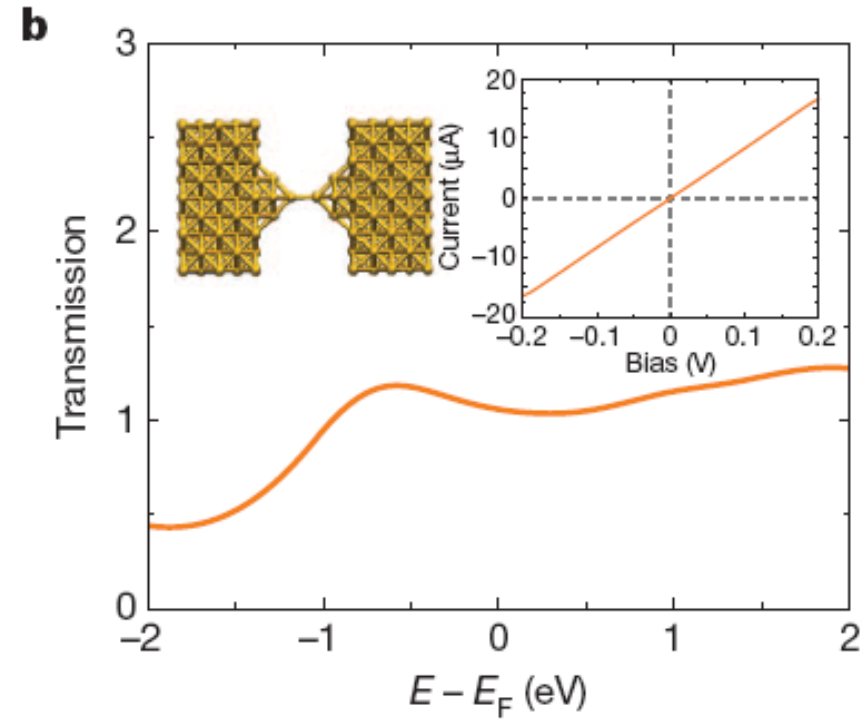
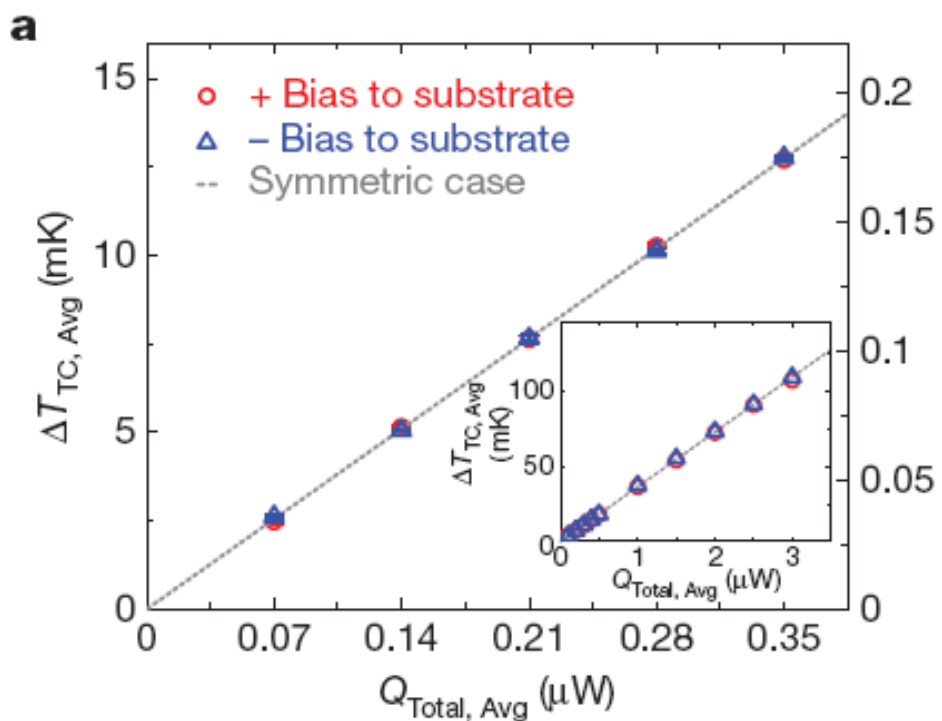


The BDA junctions show larger power dissipation in the probe for a positive bias because the transport is dominated by the HOMO, which leads to positive Seebeck coefficient.

# BDA single-molecule junctions: Comparison between theory and experiment



# Gold single-atom contacts



In Au atomic junctions the heat is equally dissipated in both electrodes irrespective of the magnitude or polarity of the bias voltage. This is due to the weak energy dependence of the transmission around the Fermi energy.



# Heat dissipation and thermopower in atomic-scale junctions

Motivation

Experimental approach

Theory

Tuning the heating

**Conclusions**





- Novel scanning tunnelling probes with integrated thermocouples allow to probe heat dissipation in the electrodes of atomic and molecular junctions.
- The good agreement between measured and computed asymmetries in the heat dissipation confirms that heat dissipation is intimately related to the transmission characteristics of the junctions, as predicted by the Landauer theory.
- Our results contradict recent claims of asymmetric heat dissipation in Au atomic junctions, which are not in agreement with theoretical predictions.
- The insights obtained here regarding heat dissipation should hold for any mesoscopic system where charge transport is predominantly elastic. Such systems include semiconductor nanowires, two-dimensional electron gases, semiconductor heterostructures, carbon nanotubes, graphene, etc.

## Perspectives

- Peltier cooling & heat transport in atomic-scale junctions may be explored by extension of the developed techniques.

W. Lee, K. Kim, W. Jeong, L. A. Zotti, F. Pauly, J. C. Cuevas, and P. Reddy, *Nature* 498, 209 (2013)

L. A. Zotti, M. Bürkle, F. Pauly, W. Lee, K. Kim, W. Jeong, Y. Asai, P. Reddy, J. C. Cuevas, arXiv:1307.8336



# Influence of vibrations on electron transport

## Method

Gold junctions

Octane-based junctions



# Inelastic electron tunneling spectra (IETS)

Energy of vibrational mode:  $\hbar\omega$

Conductance changes if the voltage is  $eV \approx \hbar\omega$ .

Second derivative of the current shows changes clearly

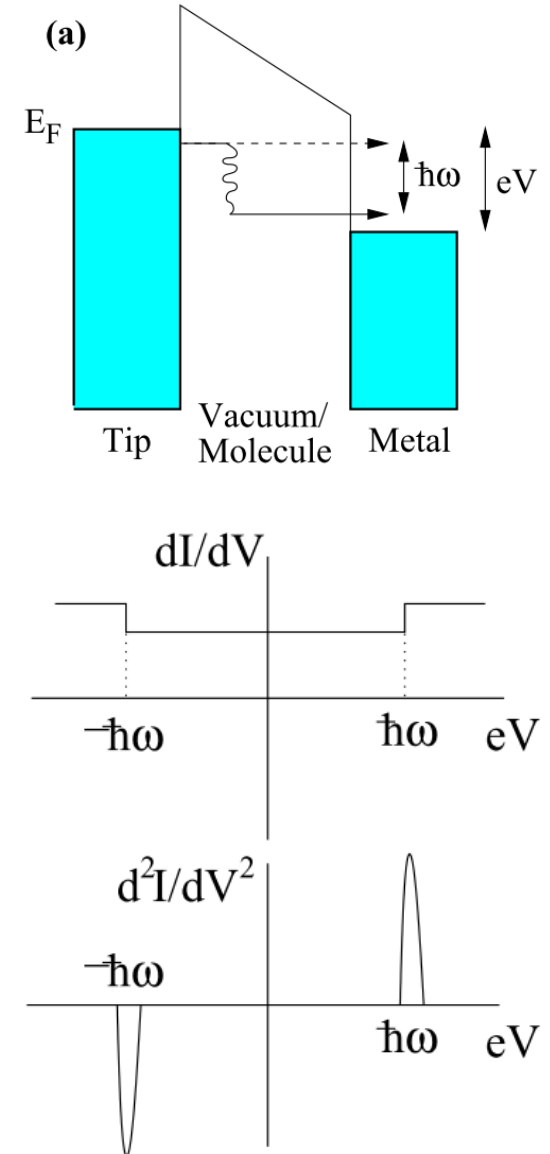
Goal:

Determine vibrational modes and e-vib couplings from first principles (DFT)

See for instance:

J. K. Viljas *et al.*, Phys. Rev. B 72, 245415 (2005)

J. C. Cuevas and E. Scheer, *Molecular Electronics*, World Scientific Pub. Co. (2010)





# Inelastic transport method

$$H = H_e + H_{vib} + H_{e-vib} \quad H_e = \sum_{i,j} d_i^\dagger H_{ij} d_j \quad H_{vib} = \sum_{\alpha} \hbar \omega_{\alpha} b_{\alpha}^\dagger b_{\alpha} \quad H_{e-vib} = \sum_{i,j} \sum_{\alpha} d_i^\dagger \lambda_{ij}^{\alpha} d_j (b_{\alpha}^\dagger + b_{\alpha})$$

$$\lambda_{ij}^{\alpha} = \sqrt{\frac{\hbar}{2\omega_{\alpha}}} \sum_{k,\mu} \langle i | \nabla_{k\mu} H_e | \bar{Q}=0 | j \rangle A_{k\mu,\alpha}$$

- Implementation in TURBOMOLE by M. Bürkle using density functional perturbation theory (DFPT)
- “analytical” derivatives
- available in TURBOMOLE 6.6

## Lowest-order expansion of current in electron-vibration coupling

$$I = I_{el} + \delta I_{el} + I_{inel}$$

$$I_{el} = \frac{2e}{h} \int dE \text{Tr}[\mathbf{G}^r \mathbf{\Gamma}_R \mathbf{G}^a \mathbf{\Gamma}_L](f_L - f_R)$$

$$\delta I_{el} = \frac{4e}{h} \int dE \text{ReTr}[\mathbf{\Gamma}_L \mathbf{G}^r \mathbf{\Sigma}_{e-vib}^r \mathbf{G}^r \mathbf{\Gamma}_R \mathbf{G}^a](f_L - f_R)$$

$$I_{inel} = -i \frac{2e}{h} \int dE \text{Tr} \left[ \mathbf{G}^a \mathbf{\Gamma}_L \mathbf{G}^r \left\{ (f_L - 1) \mathbf{\Sigma}_{e-vib}^< - f_L \mathbf{\Sigma}_{e-vib}^> \right\} \right]$$

Transport theory: J. K. Viljas, J. C. Cuevas, F. Pauly, and M. Häfner, Phys. Rev. B 72, 245415 (2005)  
M. Bürkle, J. K. Viljas, T. J. Hellmuth, E. Scheer, F. Weigend, G. Schön, F. Pauly, arXiv:1309.4552



# Influence of vibrations on electron transport

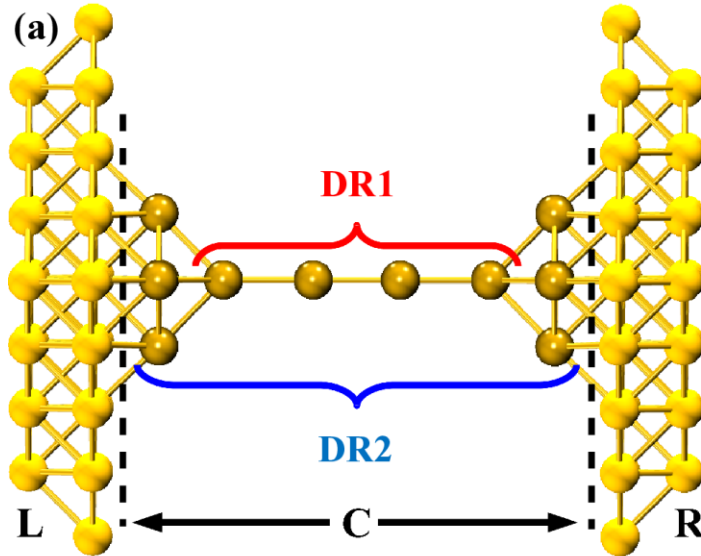
Method

**Gold junctions**

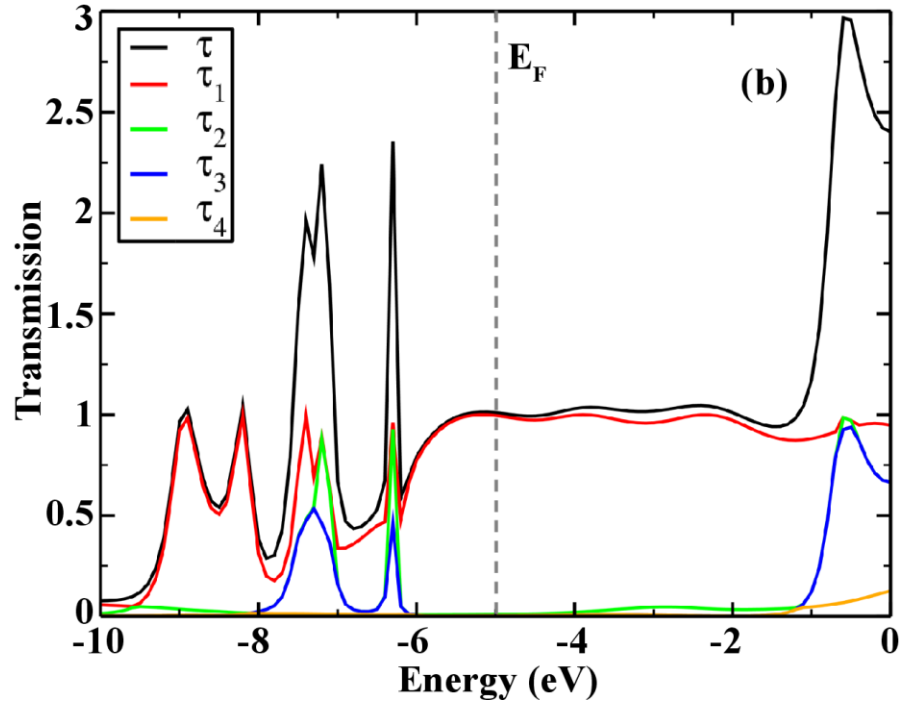
Octane-based junctions



# Elastic transport in gold junctions



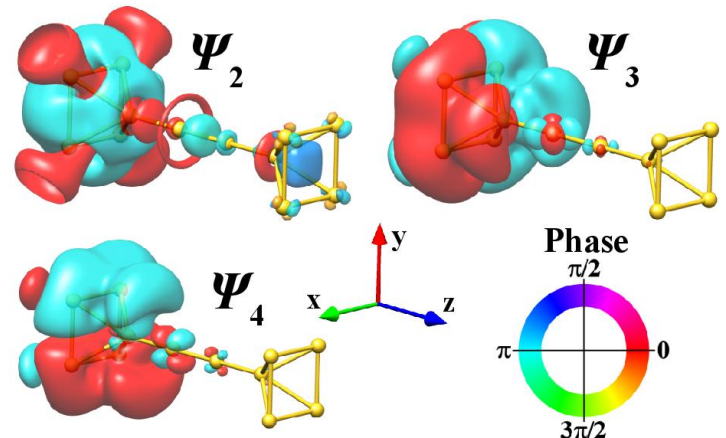
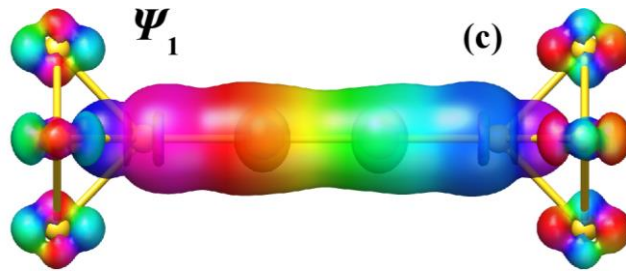
● vibrational active atoms



$$\tau_1 = 0.996$$

$$\tau_2 = 0.009$$

$$\tau_3 = \tau_4 = 0.003$$

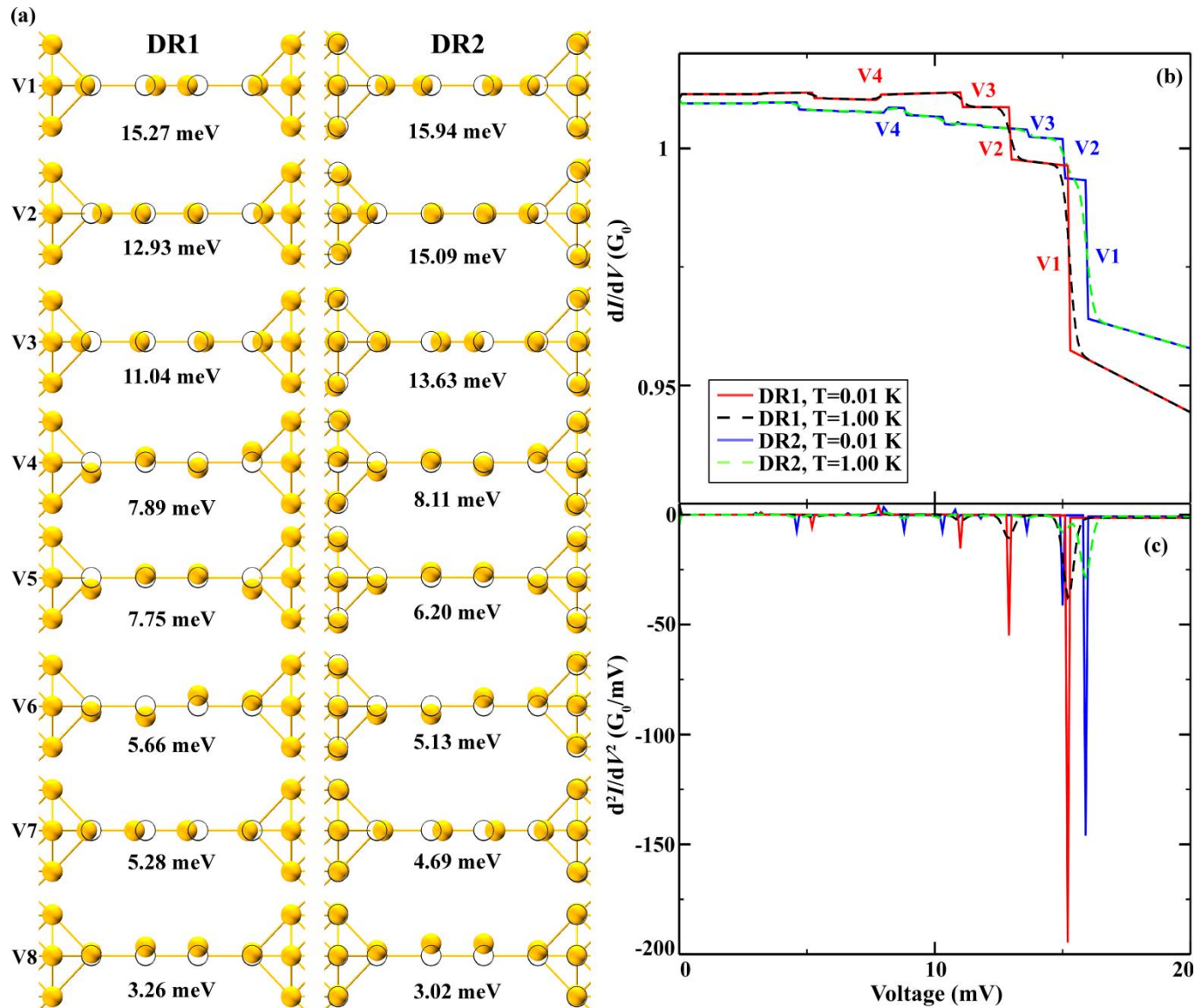


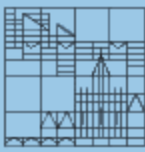
M. Bürkle et al., Phys. Rev. B 85, 075417 (2012)

M. Bürkle et al., arXiv:1309.4552



# Inelastic transport in gold junctions





# Influence of vibrations on electron transport

Method

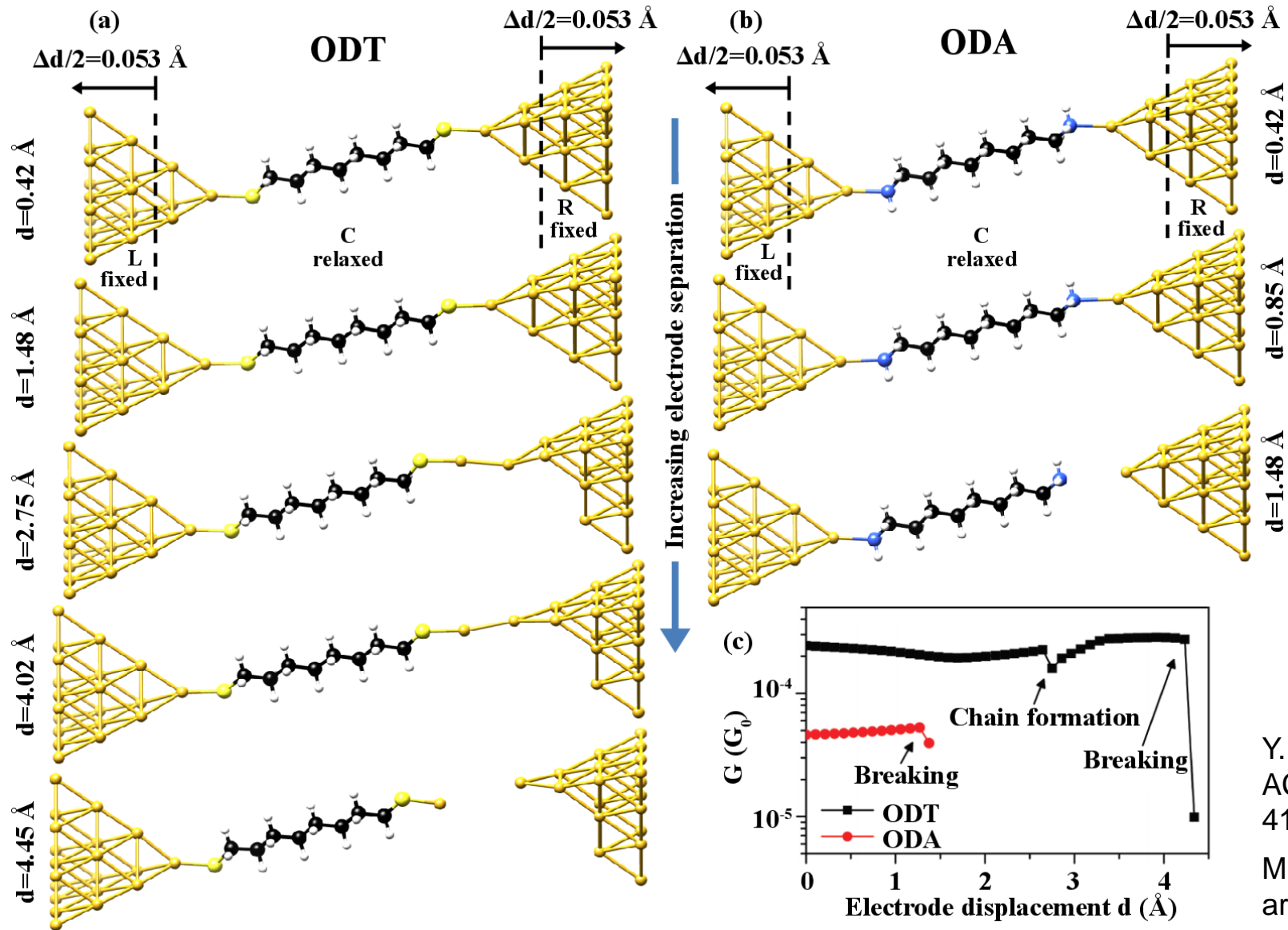
Gold junctions

**Octane-based junctions**





# Elastic transport in octane-based junctions



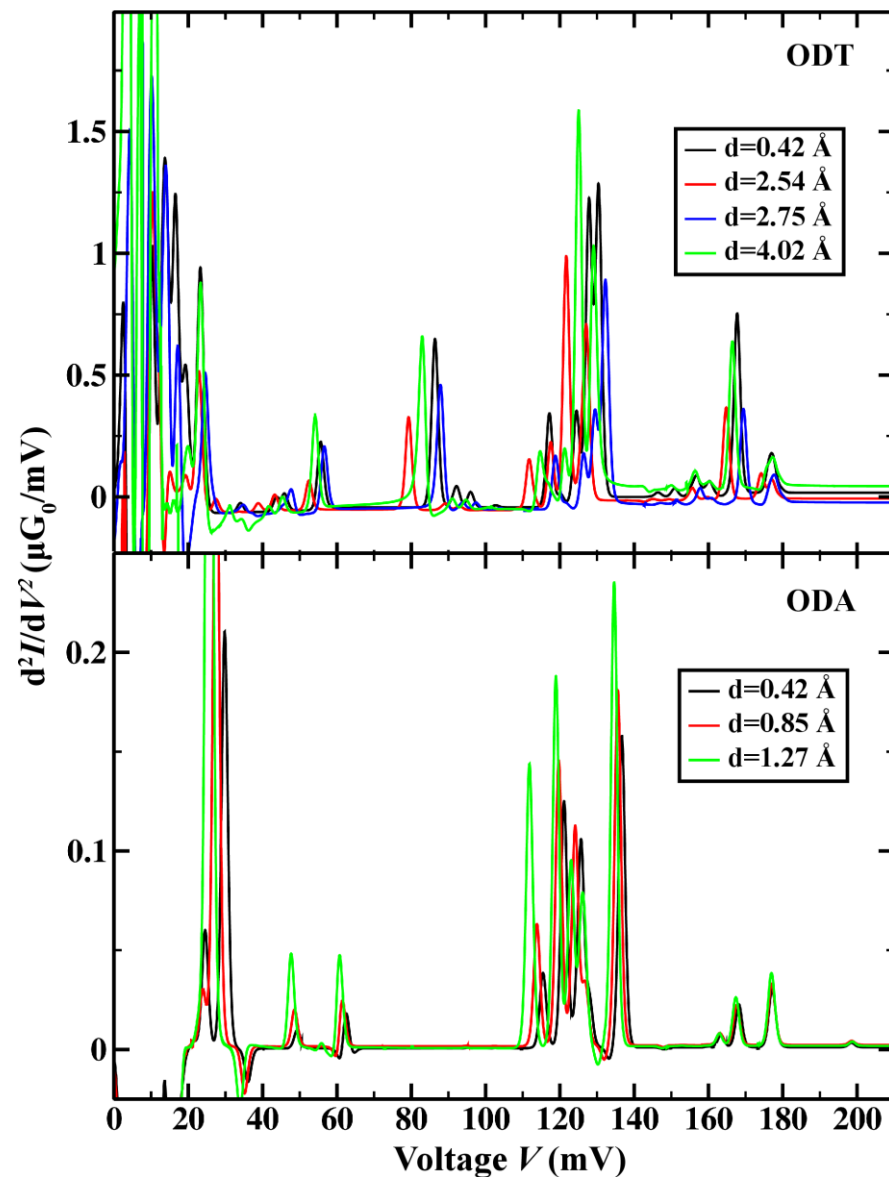
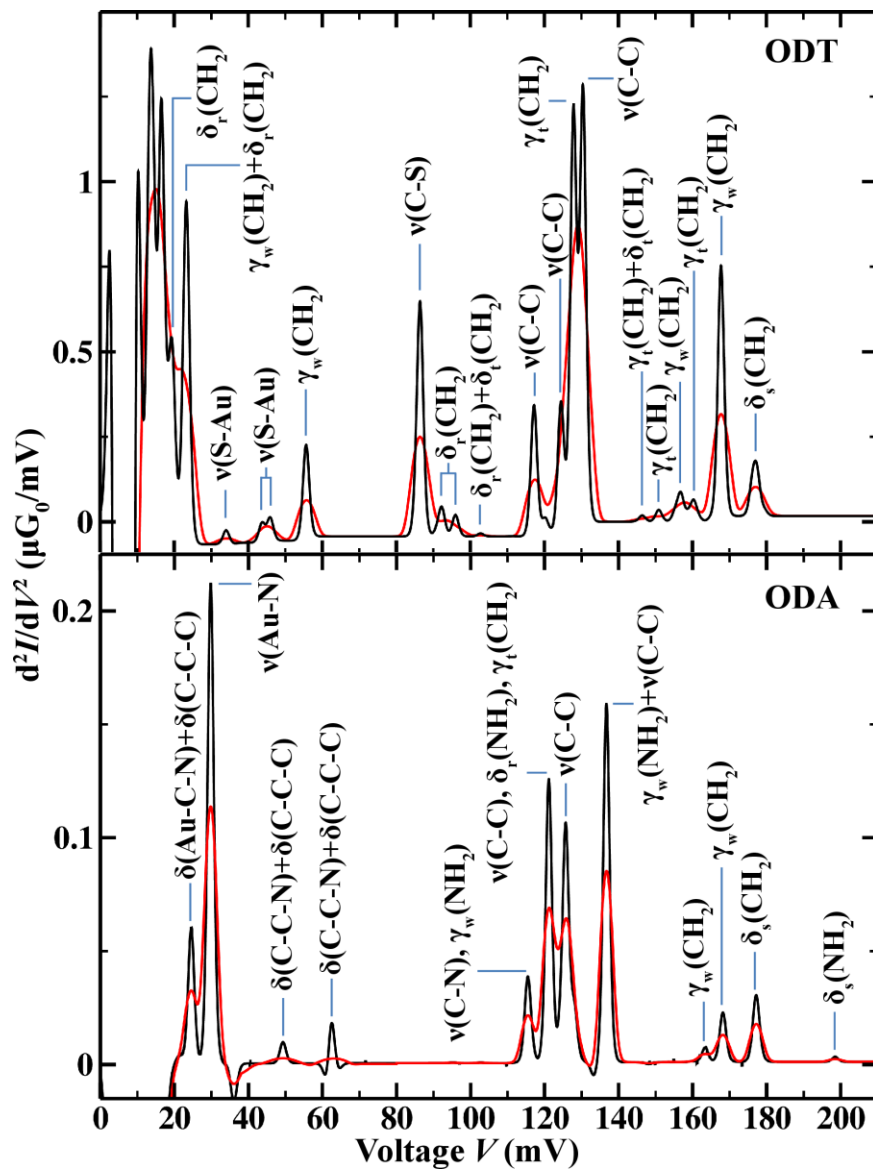
Y. Kim et al.,  
ACS Nano 5,  
4104 (2011)

M. Bürkle et al.,  
arXiv:1309.4552

# Inelastic transport in octane-based junctions



M. Bürkle *et al.*, arXiv:1309.4552

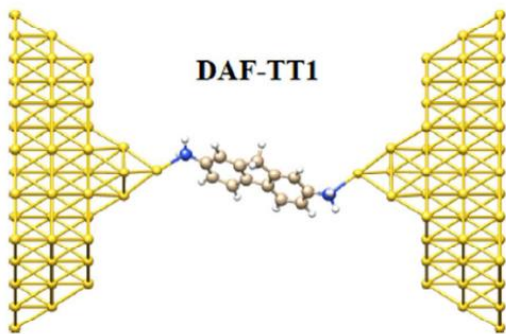
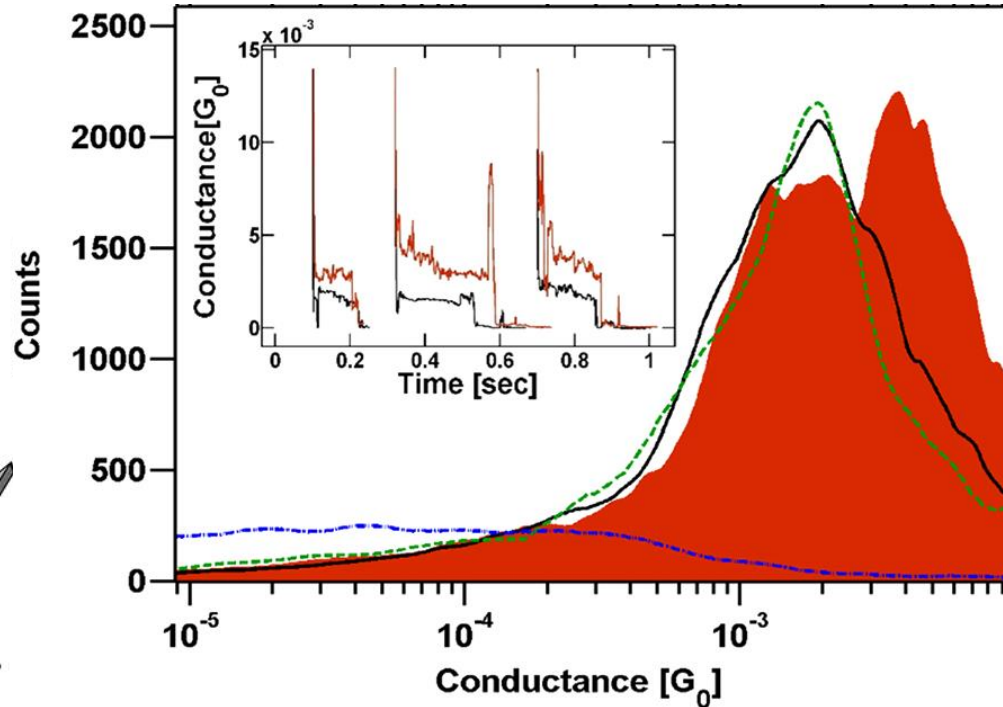
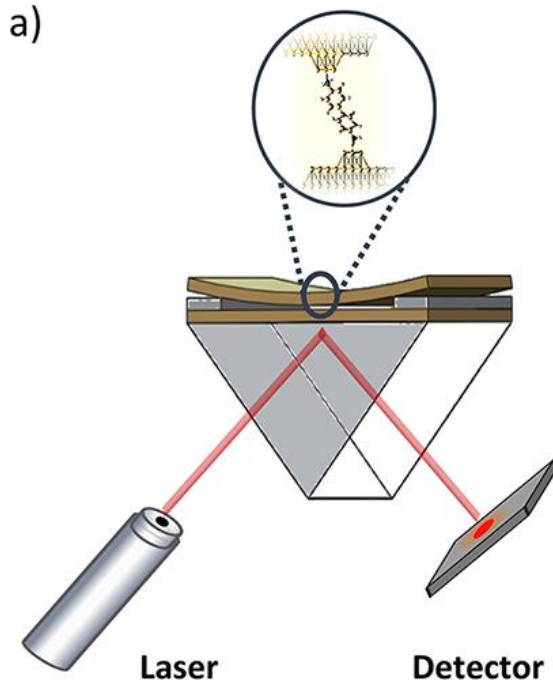




# Miscellaneous



# Plasmon-induced conductance enhancement



Conductance histogram of Au-DAF-Au

- no light
- 781 nm, p-polarized light
- 781 nm, s-polarized light
- .- pure solvent

M. Vadai, N. Nachman, M. Bürkle, F. Pauly, J. C. Cuevas, and Y. Selzer, *J. Phys. Chem. Lett.* 4, 2811 (2013)



# Plasmon-induced conductance enhancement

Radiation creates oscillating bias voltage  $V_{AC}$  on top of  $V_{DC}$  due to plasmonic response.

P. K. Tien and J. P. Gordon, Phys. Rev. 1963  
 J. K. Viljas *et al.*, Phys. Rev. B 75, 075406 (2007)  
 N. Ittah *et al.*, Nano Lett. 9, 1615 (2009)

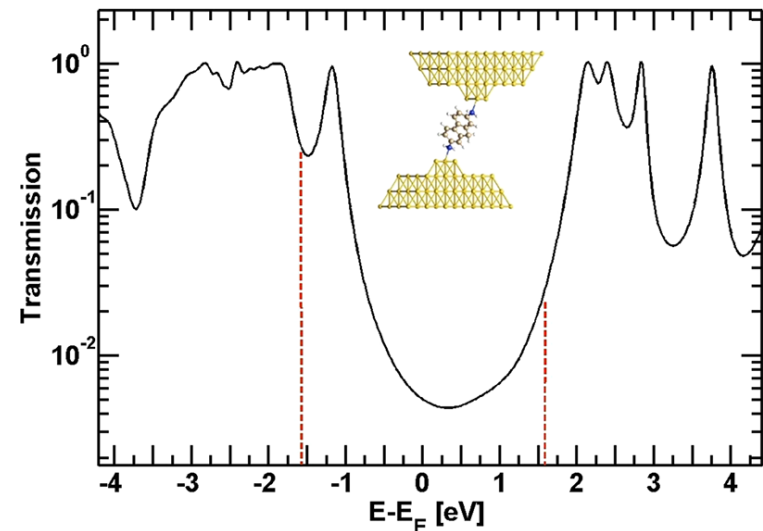
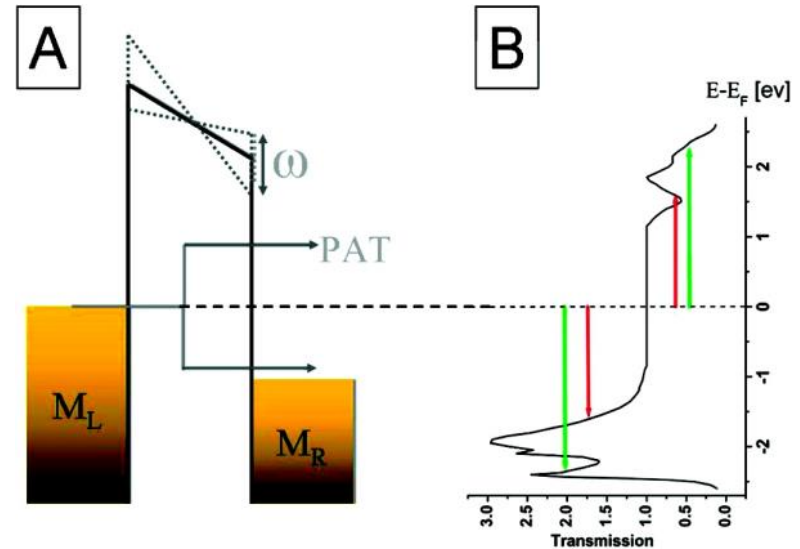
$$G_{dc}(\omega) = G_0 \sum_{n=-\infty}^{\infty} J_n^2(\alpha) \tau(E_F + n\hbar\omega)$$

with  $\alpha = eV_{ac} / \hbar\omega$

$\alpha \ll 1$  and  $\tau(E_F), \tau(E_F + \hbar\omega) \ll \tau(E_F - \hbar\omega)$

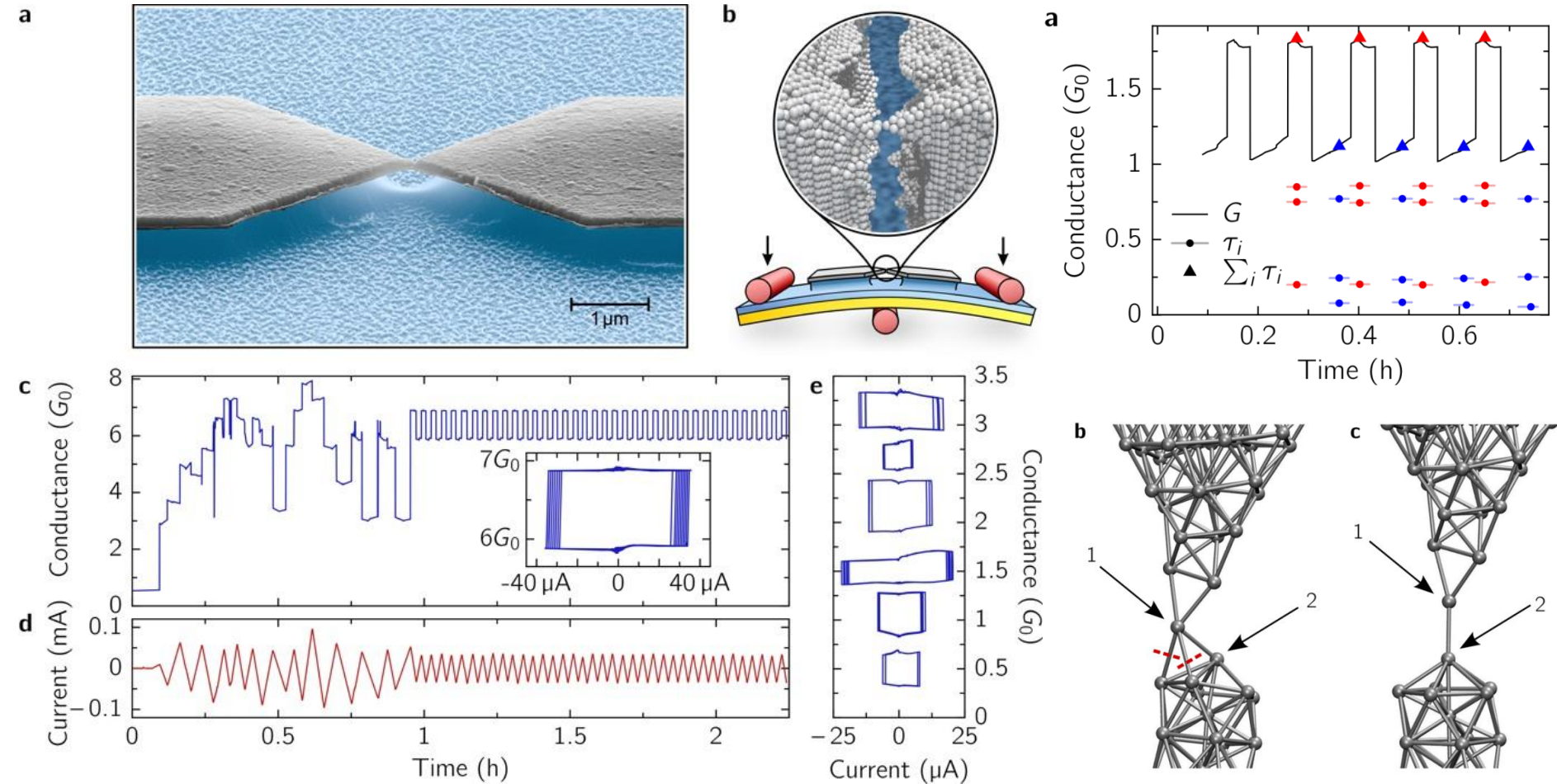
$$eV_{ac} = 2\hbar\omega \sqrt{\frac{G_{dc}(\omega) - G_{dc}(0)}{G_0 \tau(E_F - \hbar\omega)}}$$

$V_{ac} \approx 0.17$  V; field enhancement  $\approx 1100$





# A current-driven single-atom memory



C. Schirm, M. Matt, F. Pauly, J. C. Cuevas, P. Nielaba, and E. Scheer, *Nature Nanotechnology* 8, 645 (2013)

See also News & Views: S. J. van der Molen, *Nature Nanotechnology* 8, 622 (2013)



# Thanks to

## ... my collaborators ...

- Marius Bürkle (Postdoc), Thomas Hellmuth (PhD), Gerd Schön (KIT)
- Juan Carlos Cuevas (UA Madrid)
- Elke Scheer & Group (U Konstanz)
- Peter Nielaba & Group (U Konstanz)
- Paul Leiderer & Group (U Konstanz)
- Marcel Mayor & Group (U Basel)
- Thomas Wandlowski & Group (U Bern)
- Pramod S. Reddy & Group (U Michigan)



Open position:  
1 Postdoc/PhD



MB (Japan)



TH



## ... and funding agencies



# Summary

- **Heat dissipation and thermopower in atomic-scale junctions**
  - **Influence of vibrations on electron transport**
    - Gold junctions
    - Octane-based junctions
  - **Miscellaneous**
    - Plasmon-induced conductance enhancement in single-molecule junctions
    - A current-driven single-atom memory
- Improved understanding of charge transport at smallest scale by measurement of several quantities: Conductance, IETS, thermopower, heating, ...

## Outlook

- **Phonon transport**
  - Realistic  $ZT$ , including more than just electronic contributions